

Deep Generative Models for Trajectory Prediction and Mobility Network Forecasting

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Jun 11, 2025

YORK 

Introduction

Trajectory/Mobility Data

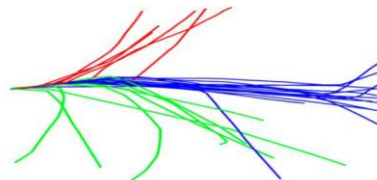
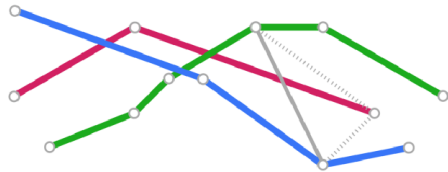
Trajectory: A Sequence of (Spatiotemporal) Points



Vast Amounts of Trajectory/Mobility Data



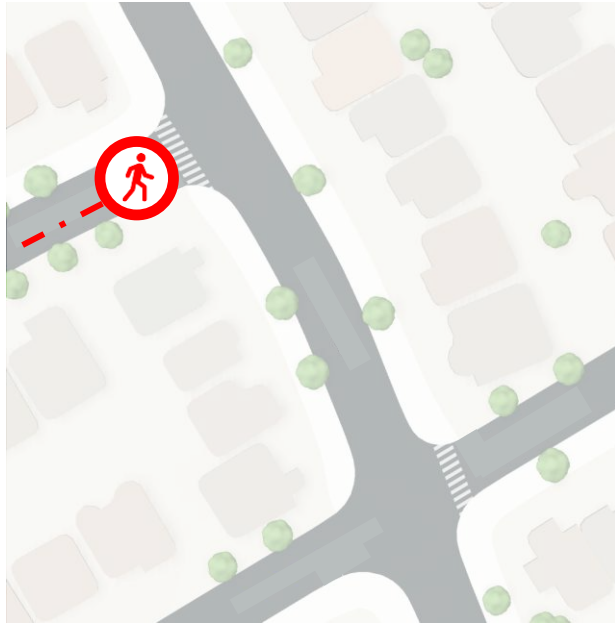
Trajectory-related Problems



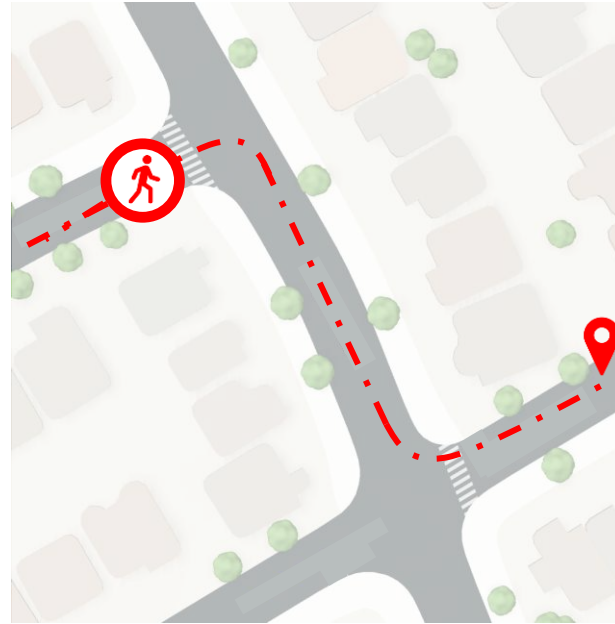
trajectory similarity
trajectory clustering
trajectory imputation
pedestrian crowd behavior

...

Problem 1: Trajectory Prediction



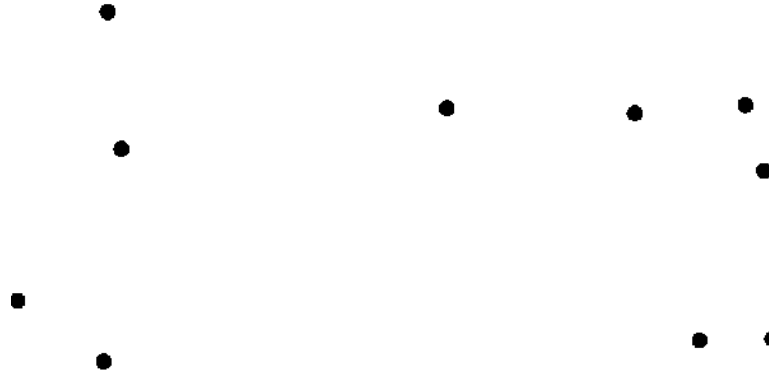
History trajectory



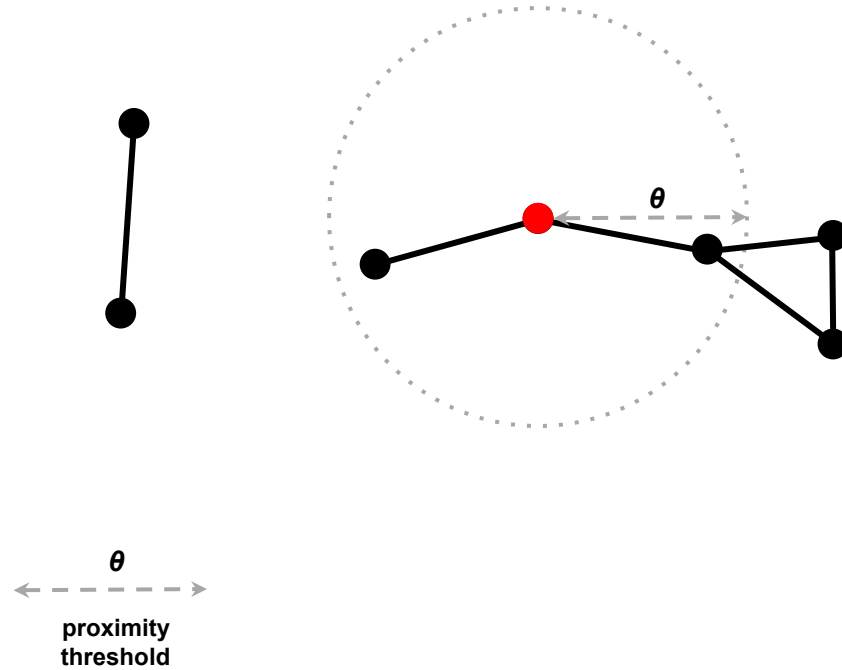
Predict future contact

Trajectories of moving objects

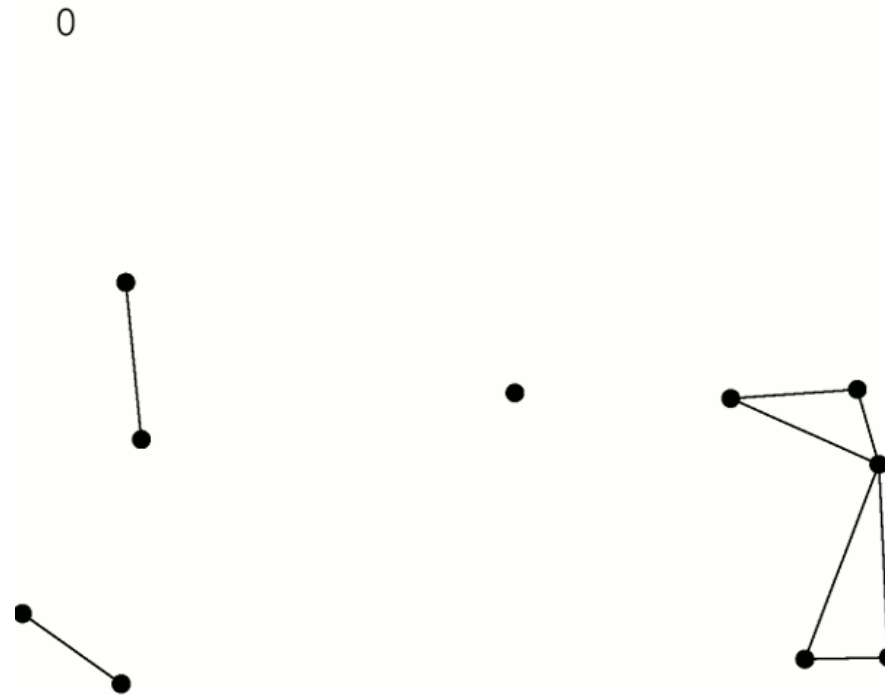
7/22/14



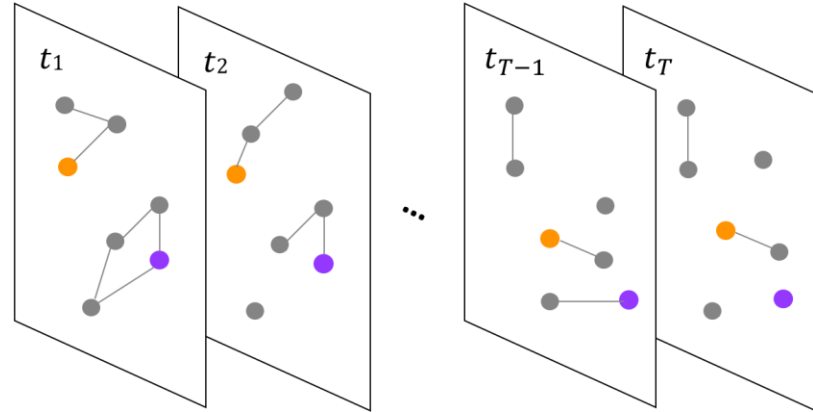
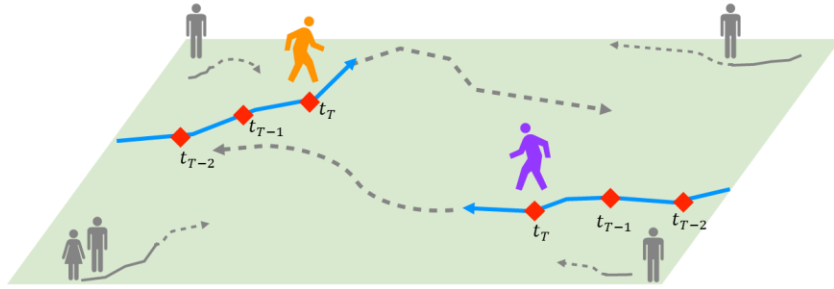
Proximity Network



Mobility Network



Problem 2: Mobility Network Prediction



Plethora of Applications



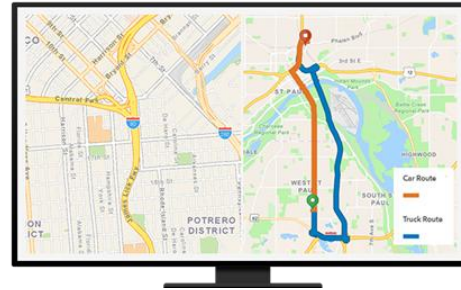
Ride-sharing services



Next POI recommendation



Autonomous vehicles



Traffic flow optimization

Problem Statement

Trajectory Prediction

Let

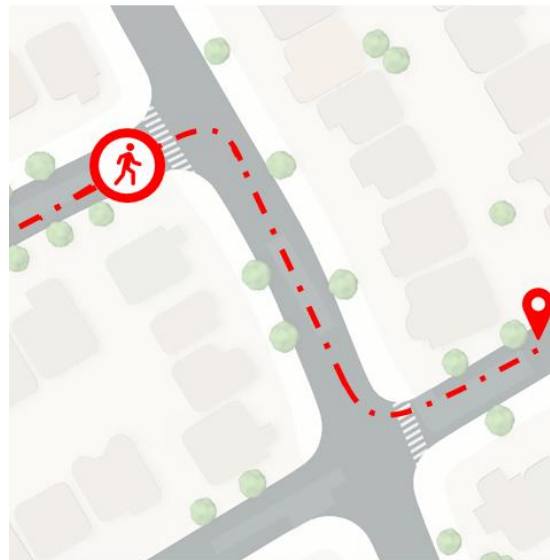
- an observation area \mathcal{M}
- a set of objects \mathcal{N} and their history trajectories \mathcal{T}^l
- an observation period $[0, \mathcal{W}]$

Input: Given

- a moving object i in \mathcal{N}
- a partial trajectory $T = \langle p_{i_1}, p_{i_2}, \dots, p_{i_l} \rangle$
- a prediction horizon $k > 0$

Output: We want to

predict the next k spatiotemporal points $\langle p_{i_{l+1}}, p_{i_{l+2}}, \dots, p_{i_{l+k}} \rangle$ of the partial trajectory T



Mobility Network Prediction

Let

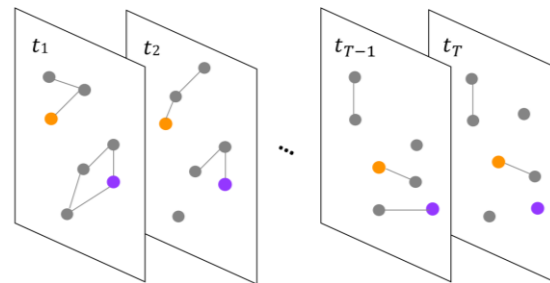
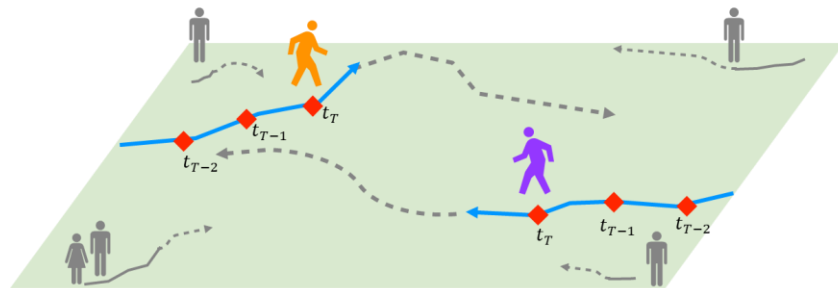
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- a set of objects \mathcal{N} and their history trajectories \mathcal{T}^l
- an observation period $[0, \mathcal{W}]$

Input: Given

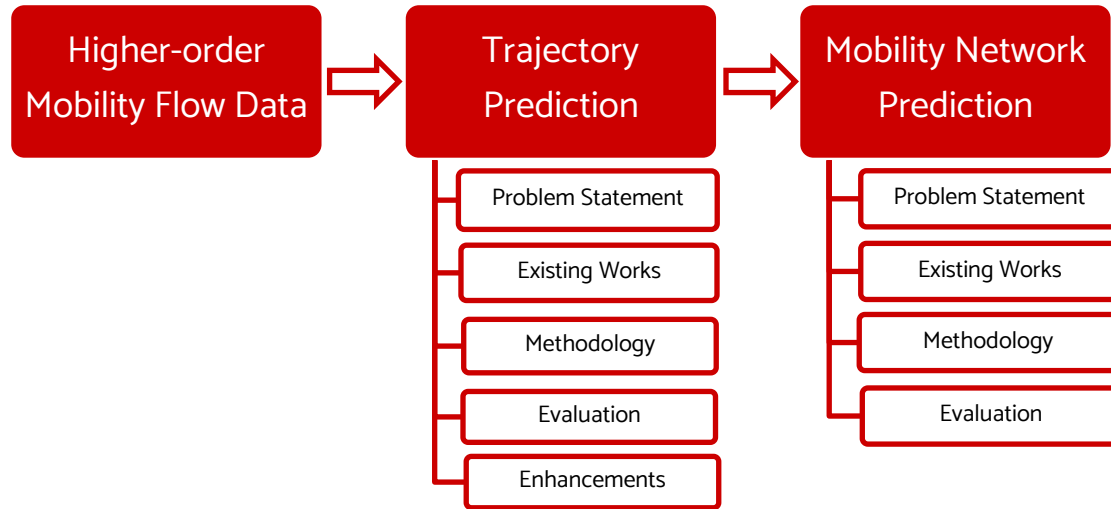
- a prediction horizon $k > 0$

Output: We want to

predict the next k future proximity networks $\langle G_{i_{w+1}}, G_{i_{w+2}}, \dots, G_{i_{w+k}} \rangle$

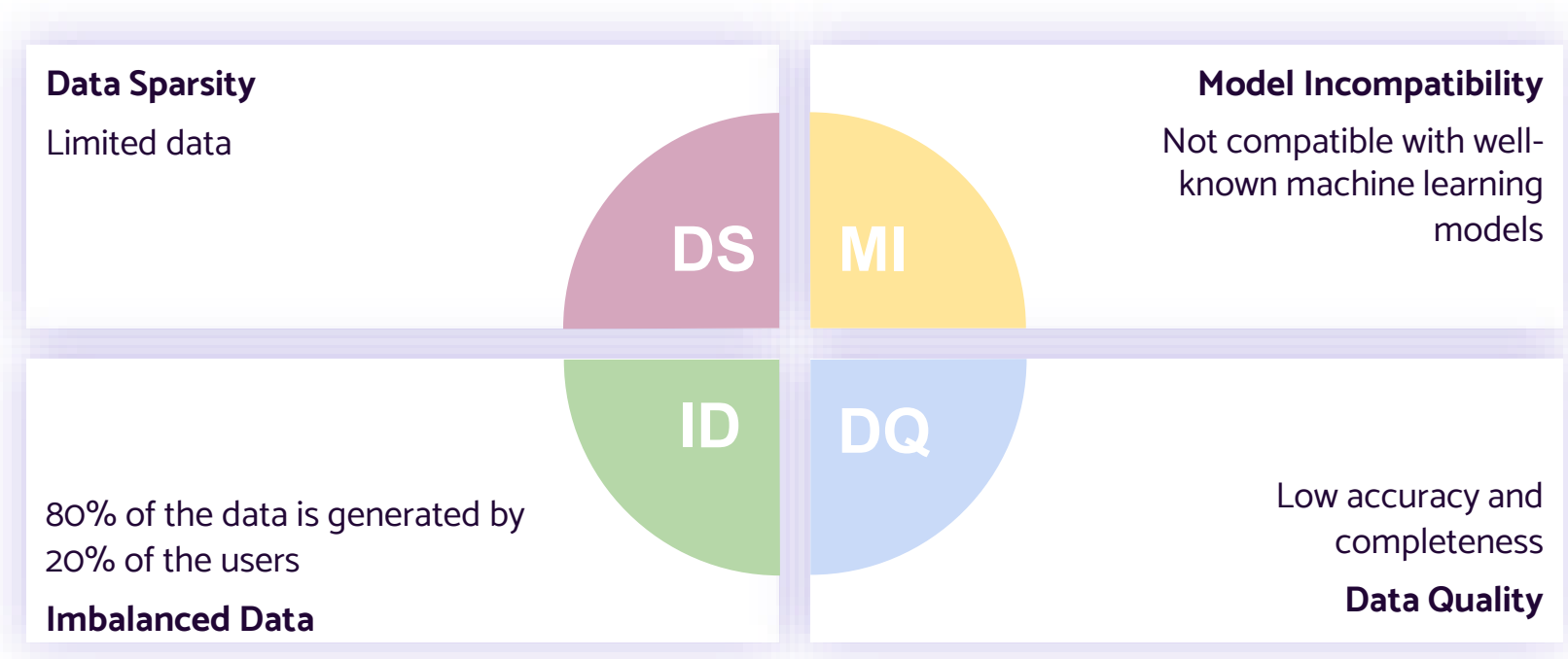


Overview



Higher-order Mobility Flow Data

Challenges of Working with Trajectory Data

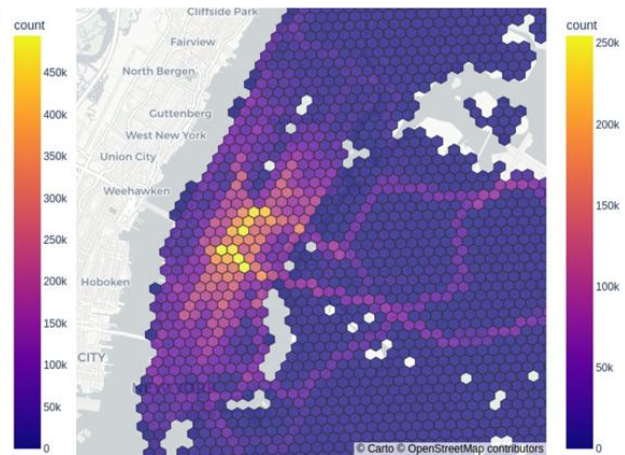
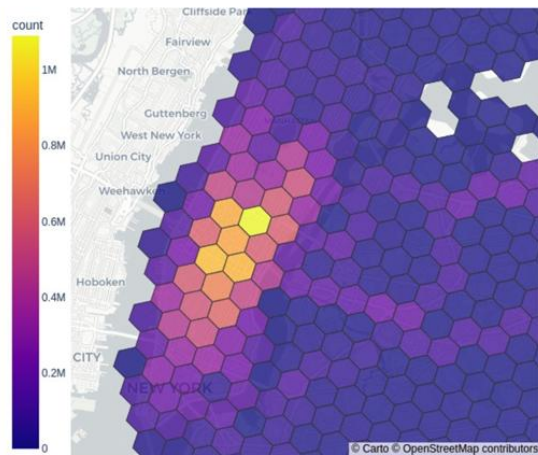


Map Tessellation

Low resolution



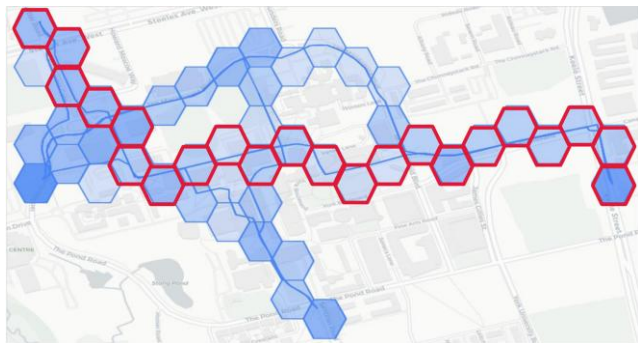
High resolution



Why hexagons?

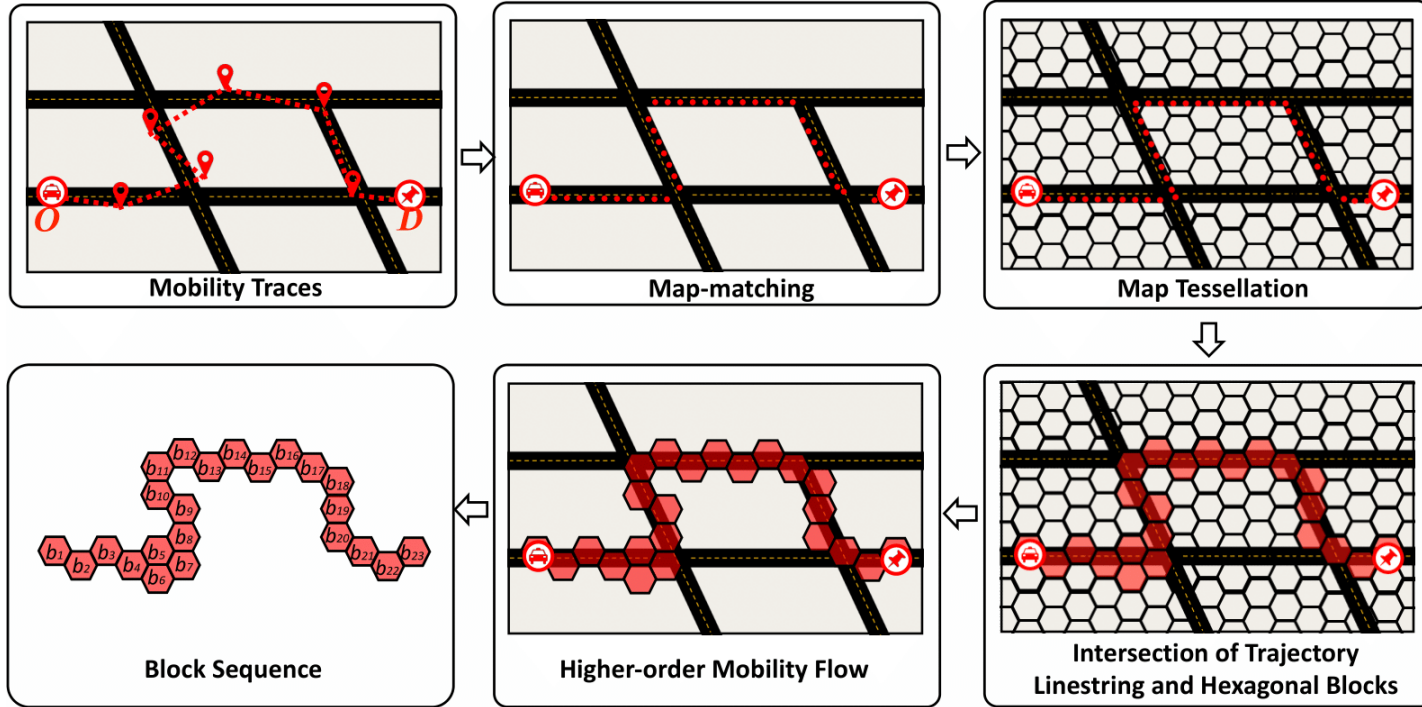
- More **circular** that fully tessellates the space
- **Same distance** to all adjacent neighbours

Trajectories: Sequences of Hexagons



Trajectory: $h_1, h_2, h_3 \dots h_{20}, h_{21}, h_{22}$

Overview of the Pipeline

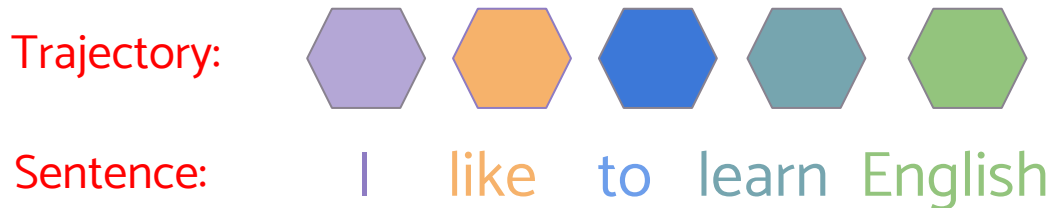




**Treat Trajectories as
Language Statement**

Treat Trajectories as Language Statements

Hexagons represent 'tokens' & trajectories represent 'sentences'



Advantages:

- Reduced data sparsity
- More compatible with well-known ML models (e.g., sequence models, LLMs)

Problem 1: Trajectory Prediction

Trajectory Prediction (Revisited)

Let

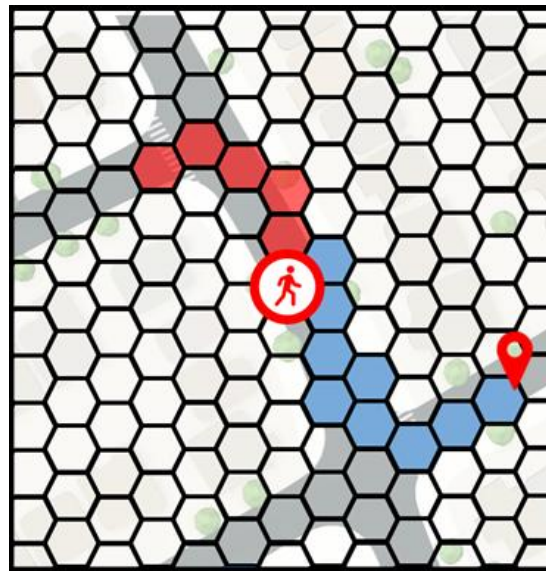
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- an observation period $[0, \mathcal{W}]$

Input: Given

- a moving object i in \mathcal{N}
- a partial trajectory $T = \langle b_{i_1}, b_{i_2}, \dots, b_{i_l} \rangle$
- a prediction horizon $k > 0$

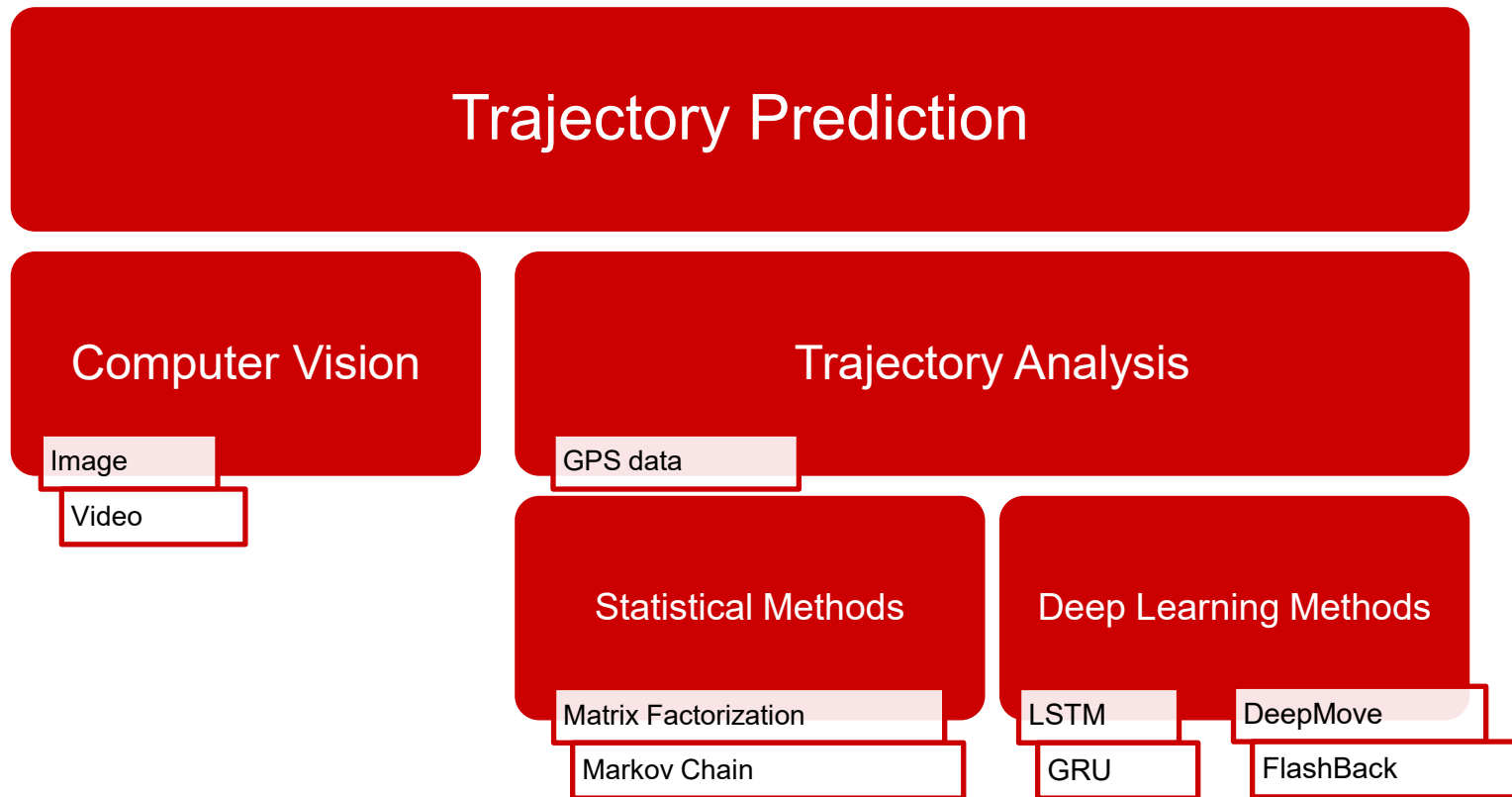
Output: We want to

predict the next k blocks $\langle b_{i_{l+1}}, b_{i_{l+2}}, \dots, b_{i_{l+k}} \rangle$ of the partial trajectory T



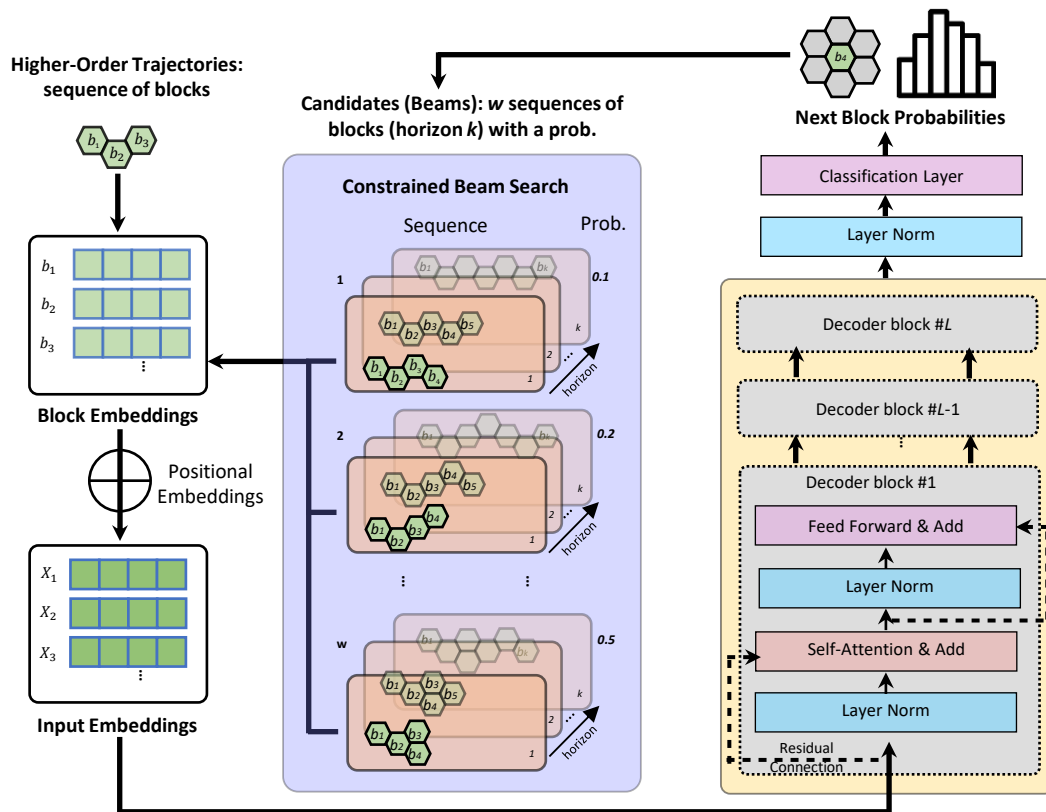
Existing works

Literature Overview



Methodology

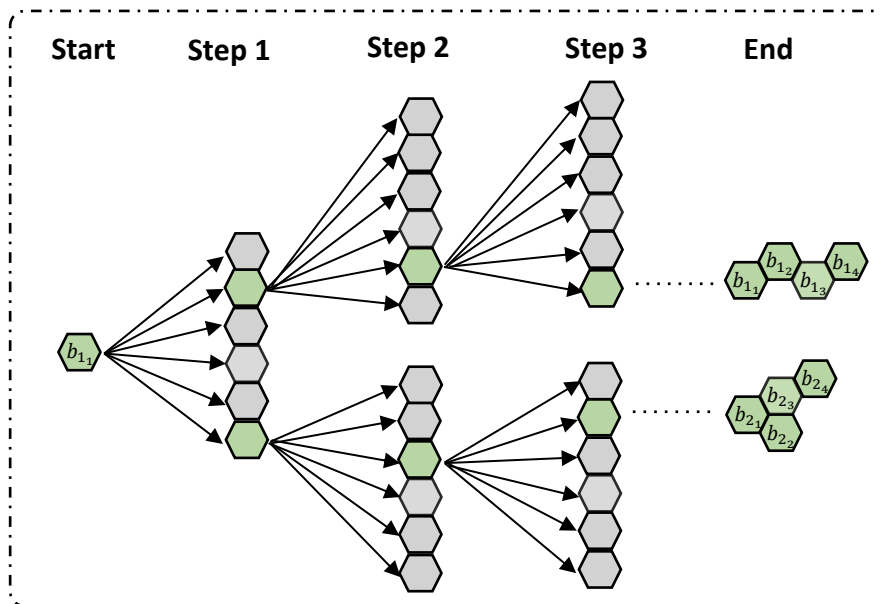
TrajLearn Overview



Beam Search with Constraints

A **heuristic** search algorithm that explores the most promising trajectory paths

$$P(b_{i_1} b_{i_2}) = P(b_{i_1}) \times P(b_{i_2} | b_{i_1})$$
$$P(b_{i_1} b_{i_2} b_{i_3}) = P(b_{i_1} b_{i_2}) \times P(b_{i_3} | b_{i_1} b_{i_2})$$
$$P(b_{i_1} b_{i_2} b_{i_3} b_{i_4}) = P(b_{i_1} b_{i_2} b_{i_3}) \times P(b_{i_4} | b_{i_1} b_{i_2} b_{i_3})$$



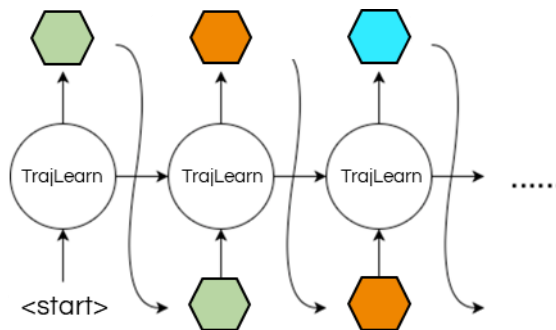
Model Training

<EOT> in Trajectories

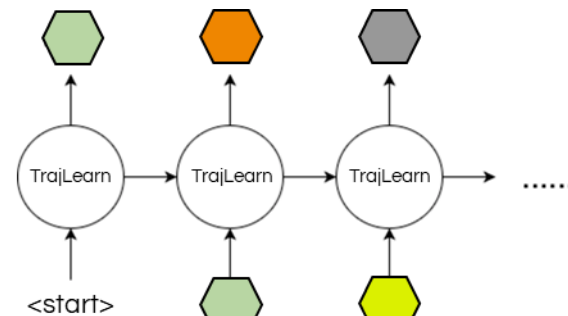
- Temporal cutoff and Spatial cutoff

Implementation technique

- Teacher forcing



Without Teacher Forcing



With Teacher Forcing

Evaluation

Experimental Scenarios

RQ 1) Model Accuracy Performance

- What is the accuracy performance of TrajLearn against baselines?

RQ 2) Parameter Sensitivity Analysis

- How performance varies with different input length and prediction horizon?

RQ 3) Beam Search Analysis

- How is the performance affected by varying values of beam width?

RQ 4) Map Resolution Analysis

- How does the performance change with varying levels of map tessellation?

RQ 5) Ablation Study

- How does beam search model hyperparameters impact performance?

Experimental Setup

Computational Environment

- NVIDIA RTX A6000 graphics card and 320GB of memory
- Implementation: Python 3, PyTorch 1.13

Map Tessellation and Resolutions

- H3 geo-indexing resolutions 7 to 9

Training Parameters

- AdamW optimizer with learning rate = 5×10^{-3} to 5×10^{-7} ,
- Batch size = 64
- Dropout rate = 0.1

Datasets

Dataset	Entities	Time Period	Res	#Block	#Trajectory	Avg. Length
Ho-Rome	315	02/01/14 – 03/02/14	7	172	5,678	72.75
			8	875	5,837	260.17
			9	4,231	5,854	689.75
Ho-Porto	442	07/01/13 – 06/30/14	7	3,491	45,186	25.55
			8	12,998	397,367	24.07
			9	45,633	1,151,544	35.33
HO-GeoLife	57	04/01/07 - 10/31/11	7	1,878	1,556	117.58
			8	6,360	1,830	219.28
			9	21,270	1,964	525.72



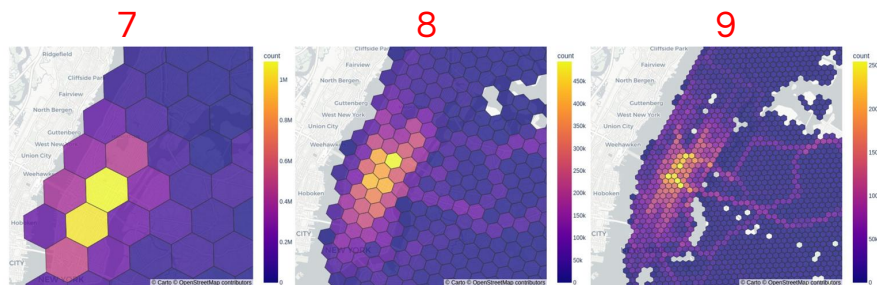
Timely ordered trajectory data set is split into:

70% Training, 10 % Validation, 20% Testing

Map Tessellation and Resolutions

Resolution	Hex Edge Length (Km)	Hex Area (Km ²)	Avg. Length
7	1.406	5.161	72.75
8	0.531	0.737	260.17
9	0.201	0.105	689.75
10	0.076	0.015	25.55

H3 geo-indexing system



Baselines

Statistical Methods

- MC [Gambs et al., MPM'12]

Deep Learning Methods

- LSTM
- GRU
- LSTM-ATTN [Luong et al., EMNLP'15]
- DeepMove [Feng et al., WWW'18]
- Flashback++ [Deng et al., ACM TIST'23]

Our Method

- TrajLearn

Computational complexity

Model	Time Complexity	Memory Complexity	# Parameters
MC	$O(1)$	$O(1)$	≈ 10 K
LSTM	$O(T \cdot H^2)$	$O(T \cdot H)$	≈ 6.1 M
LSTM-ATTN	$O(T \cdot H^2 + T^2 \cdot H)$	$O(T^2 \cdot H)$	≈ 6.1 M
GRU	$O(T \cdot H^2)$	$O(T \cdot H)$	≈ 5.1 M
DeepMove	$O(T \cdot H^2 + T^2 \cdot H)$	$O(T^2 \cdot H)$	≈ 8.4 M
Flashback++	$O(T \cdot H^2)$	$O(T \cdot H)$	≈ 6.5 M
TrajLearn (ours)	$O(T \cdot H^2 + T^2 \cdot H)$	$O(T^2 \cdot H)$	≈ 7.3 M

Inference complexity for single step prediction

H : Hidden embedding dimension

T : Input trajectory length

Metrics

Accuracy@N [↑]

- Measure the proportion of true samples included in the predictions

$$Accuracy@N = \frac{|\{s \in P \mid \text{true}(s) \in \text{Top}_N(s)\}|}{|P|}$$

BLEU Score [↑]

- Measure how many n-grams of the predicted sequence match with the n-grams in the actual sequence

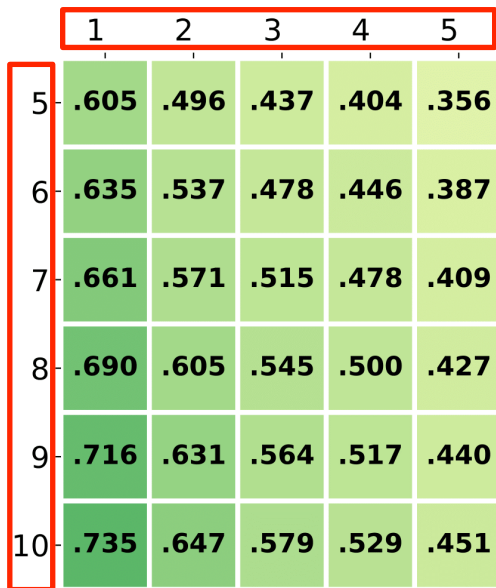
$$BLEU = BP \cdot \sum_{n=1}^T w_n \log(p_n), \quad BP = \begin{cases} 1 & \text{if } c > r \\ e^{1-\frac{r}{c}} & \text{if } c \leq r \end{cases}$$

RQ 1) Model Accuracy Performance

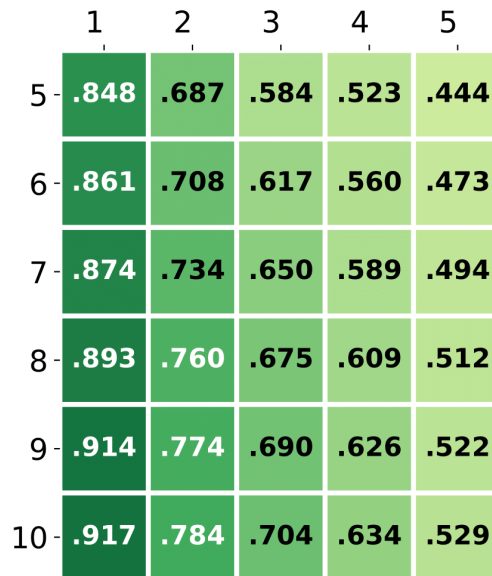
Dataset	Model	Resolution 7				Resolution 8				Resolution 9			
		Acc@1	Acc@3	Acc@5	BLEU	Acc@1	Acc@3	Acc@5	BLEU	Acc@1	Acc@3	Acc@5	BLEU
Ho-Porto	MC	0.2232	0.246	0.2483	0.2443	0.2131	0.239	0.2426	0.2359	0.2239	0.2511	0.2561	0.249
	LSTM	0.436	0.507	0.5325	0.4836	0.3268	0.4435	<u>0.4888</u>	0.3778	0.3744	0.5168	0.5626	0.4132
	LSTM-ATTN	0.4383	<u>0.5112</u>	<u>0.5387</u>	0.4891	0.3233	0.4377	0.4781	0.3719	0.3675	0.5086	0.5556	0.4075
	GRU	0.314	0.3741	0.4089	0.3581	0.201	0.2771	0.3067	0.2411	0.2236	0.3074	0.3364	0.2588
	DeepMove	0.0802	0.2038	0.345	0.1516	0.1272	0.1994	0.2482	0.1725	0.2463	0.3139	0.3497	0.2858
	Flashback++	<u>0.4439</u>	0.5015	0.5254	<u>0.4929</u>	<u>0.332</u>	<u>0.4599</u>	0.4867	<u>0.4066</u>	<u>0.3993</u>	<u>0.5316</u>	<u>0.5809</u>	<u>0.4314</u>
	TrajLearn (ours)	0.4507	0.5285	0.5648	0.5108	0.4244	0.5638	0.6138	0.486	0.4785	0.6555	0.7111	0.5255
	Improvement	1.53%	5.38%	7.5%	3.63%	27.84%	22.59%	26.11%	19.53%	19.81%	23.3%	22.42%	21.8%
Ho-Rome	MC	0.044	0.0591	0.0643	0.0685	0.1335	0.1482	0.1512	0.1504	0.1459	0.1699	0.1726	0.1686
	LSTM	0.2284	0.2919	0.3195	0.2566	0.3191	0.4152	0.4536	0.349	0.3664	0.502	0.5527	0.3977
	LSTM-ATTN	0.2264	0.2892	0.317	0.255	0.3164	0.4133	0.4508	0.3462	0.3663	0.5016	0.5522	0.3972
	GRU	0.2132	0.2656	0.2934	0.2392	0.2244	0.2806	0.3064	0.248	0.1636	0.242	0.2801	0.1932
	DeepMove	<u>0.2644</u>	<u>0.3594</u>	<u>0.394</u>	<u>0.2966</u>	<u>0.3529</u>	0.414	0.4367	<u>0.3815</u>	OOM	OOM	OOM	OOM
	Flashback++	0.2448	0.3086	0.3386	0.2658	<u>0.3364</u>	<u>0.4292</u>	<u>0.4666</u>	0.3634	<u>0.386</u>	<u>0.5269</u>	<u>0.5821</u>	<u>0.4225</u>
	TrajLearn (ours)	0.2924	0.37	0.4046	0.3279	0.3953	0.5149	0.5631	0.4317	0.4515	0.6085	0.6704	0.4886
	Improvement	10.6%	2.95%	2.69%	10.56%	17.5%	19.95%	20.7%	18.8%	16.96%	15.51%	15.15%	15.63%
Ho-GeoLife	MC	0.1045	0.1083	0.1093	0.1113	0.0743	0.0848	0.0858	0.0864	0.0665	0.0882	0.0899	0.0857
	LSTM	0.3837	0.471	0.5009	0.3996	0.3632	0.4325	0.4631	0.3787	0.3909	0.4898	0.5203	0.4166
	LSTM-ATTN	0.4208	0.484	0.5109	0.4376	0.4081	0.4742	0.5048	0.4271	0.3892	0.4809	0.5136	0.4142
	GRU	0.3051	0.3544	0.3995	0.3183	0.2187	0.3135	0.3656	0.2391	0.107	0.1811	0.2437	0.1308
	DeepMove	<u>0.4212</u>	<u>0.5928</u>	<u>0.6679</u>	<u>0.4765</u>	0.3598	<u>0.5136</u>	<u>0.6255</u>	0.3778	OOM	OOM	OOM	OOM
	Flashback++	0.3907	0.4755	0.5072	0.4072	<u>0.3911</u>	0.442	0.4885	<u>0.3995</u>	<u>0.4144</u>	<u>0.5154</u>	<u>0.5301</u>	<u>0.4311</u>
	TrajLearn (ours)	0.6008	0.6683	0.7028	0.6235	0.5303	0.6082	0.6427	0.5565	0.4266	0.5247	0.5589	0.4545
	Improvement	42.6%	12.75%	5.23%	30.82%	35.6%	37.63%	31.56%	39.3%	2.94%	1.8%	8.44%	5.43%

Input length = 10, Prediction horizon = 5

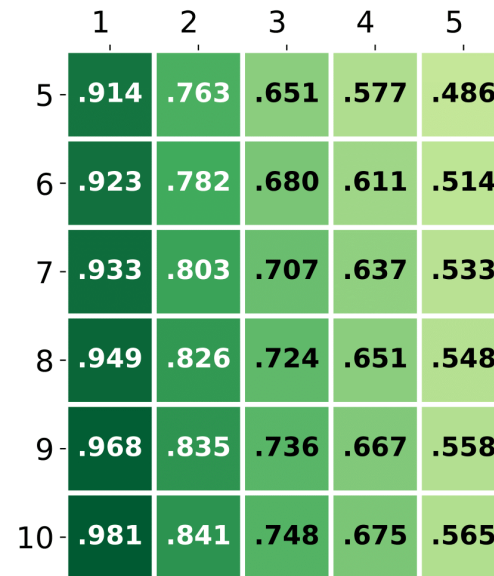
RQ 2) Parameter Sensitivity Analysis



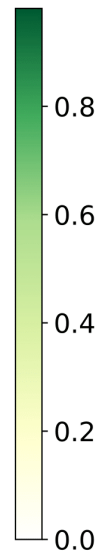
Acc@1



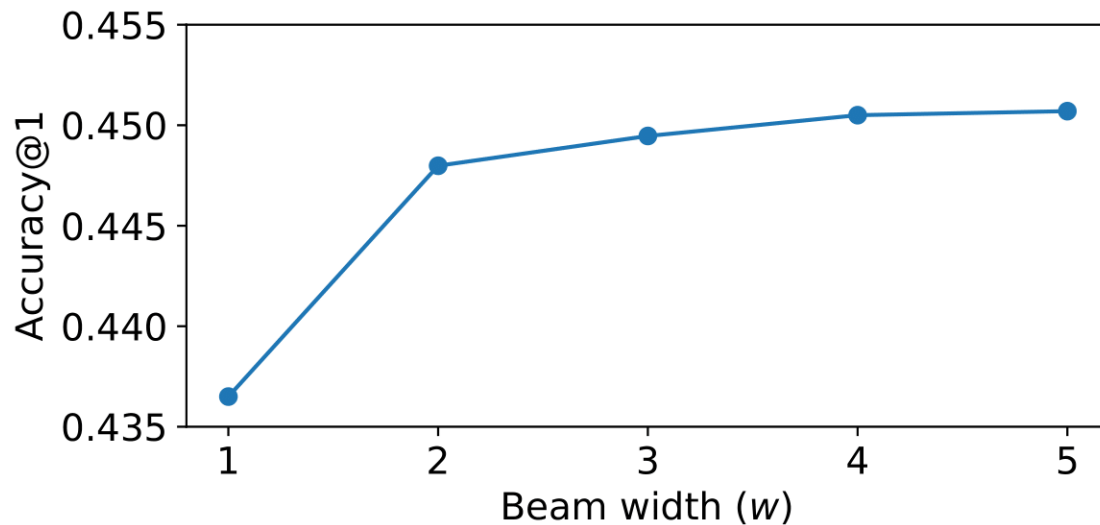
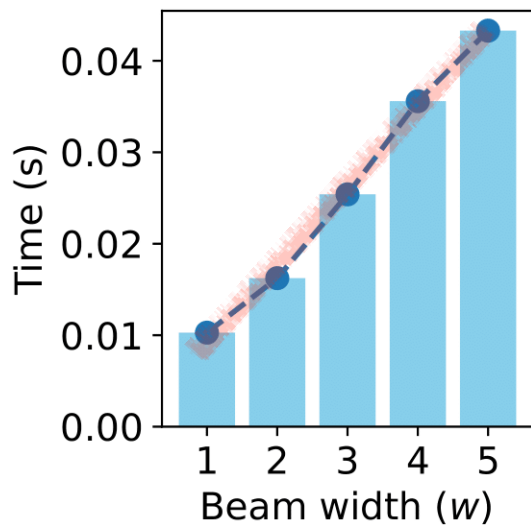
Acc@3



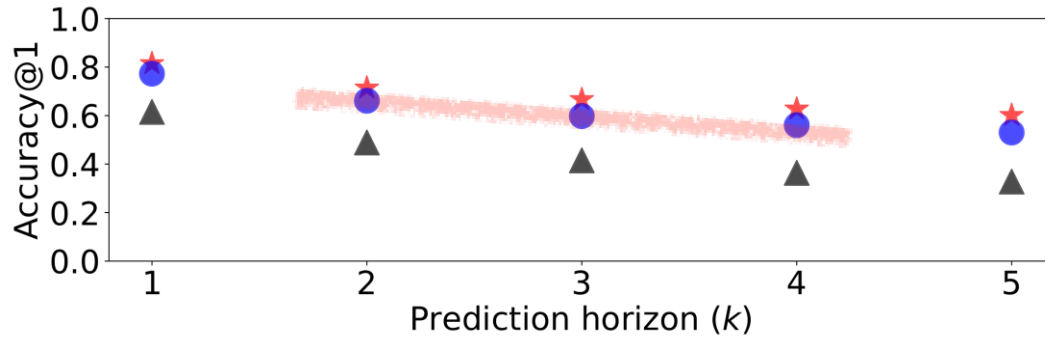
Acc@5



RQ 3) Beam Search Analysis



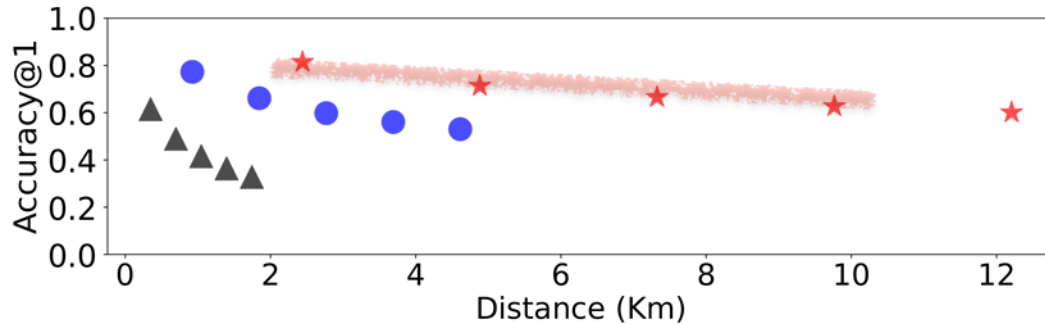
RQ 4) Map Resolution Analysis



7: star

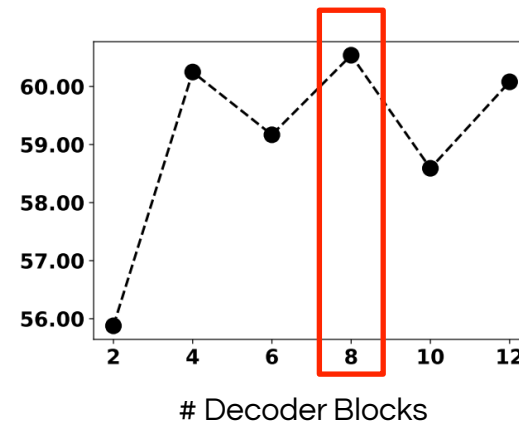
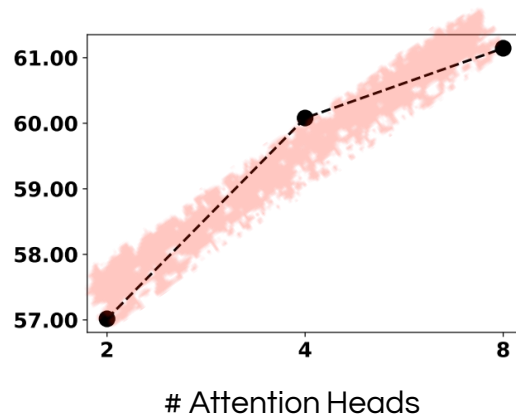
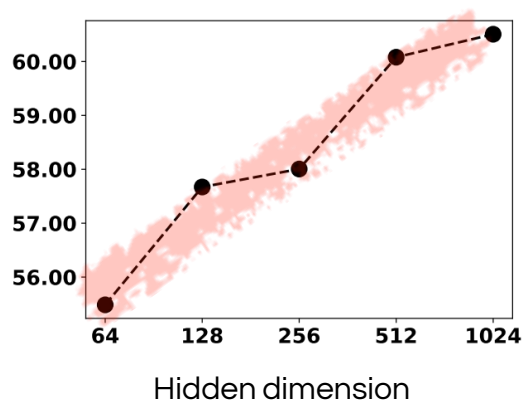
8: circle

9: triangle



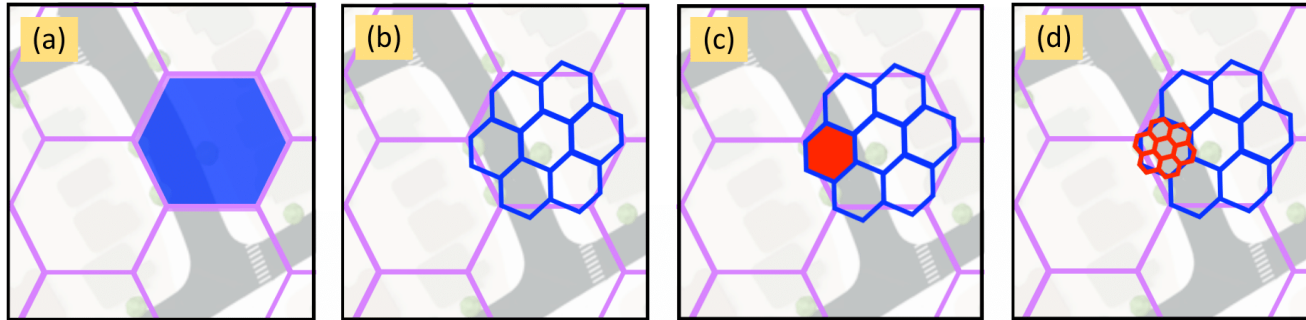
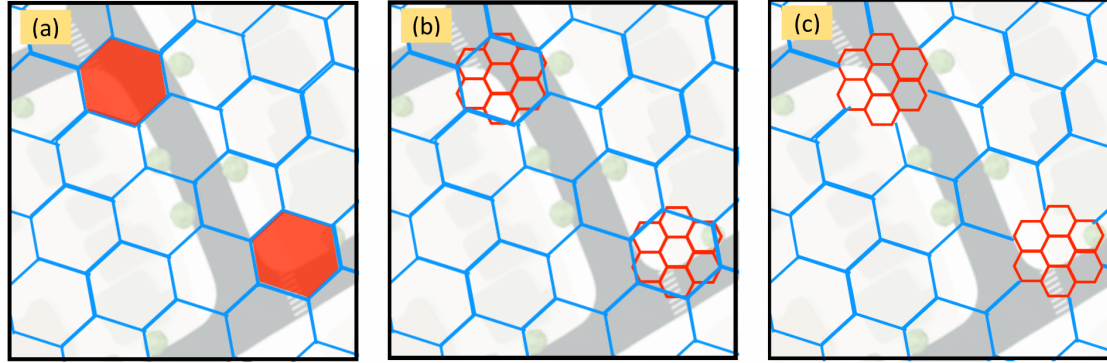
RQ 5) Ablation Study

Resolution	Accuracy@1	Accuracy@1 W/O Beam	Change (%)
7	0.4507	0.4365	-3.15
8	0.4244	0.4064	-4.24
9	0.4785	0.4677	-2.26



Enhancement: Hierarchical Maps

Hierarchical Maps



Hierarchical Map Generation Algorithm

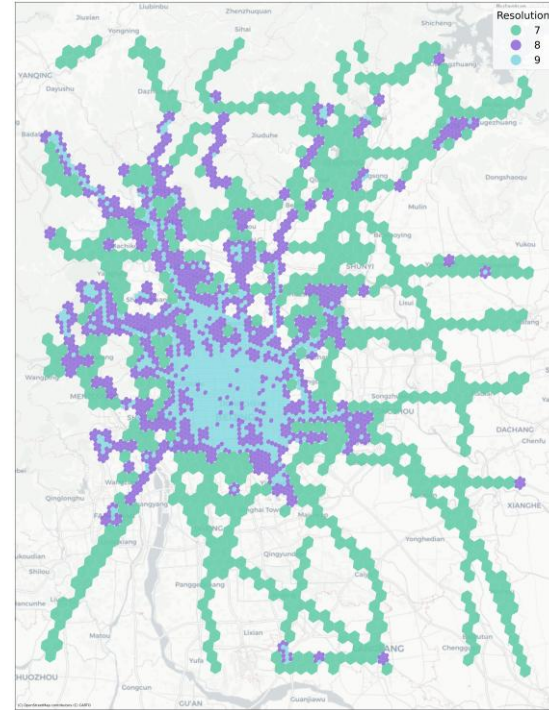
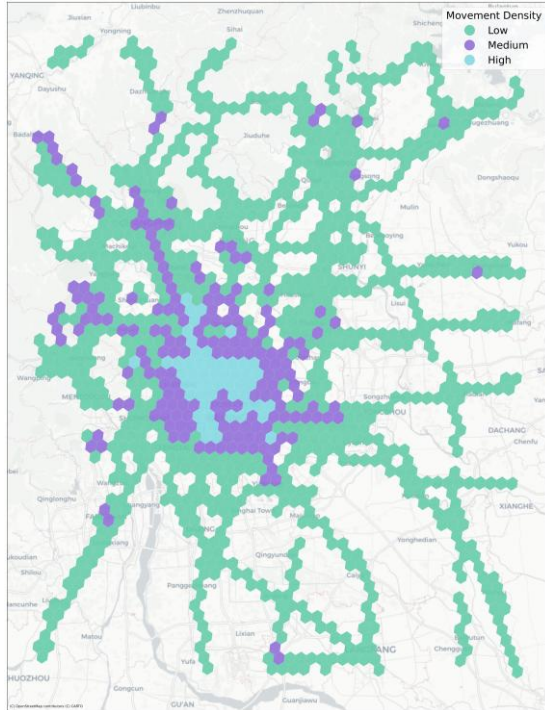
Input: Map M , Minimum resolution R_{\min} , Maximum resolution R_{\max} , Maximum iterations max_iter

Output: Hierarchical map H

// Initialize hexagon set at the minimum resolution

```
1  $H \leftarrow$  Tessellate( $M, R_{\min}$ );
2 for  $i \leftarrow 1$  to  $max\_iter$  do
3   if termination_condition_fn( $H$ ) then
4     | break
5   end
6   foreach hexagon  $h \in H$  do
7     | if splitting_condition_fn( $h$ ) and Resolution( $h$ ) <  $R_{\max}$  then
8       |   Split  $h$  into smaller hexagons at the next resolution level;
9     | end
10  end
11  Update  $H$  with the newly created hexagons;
12 end
```

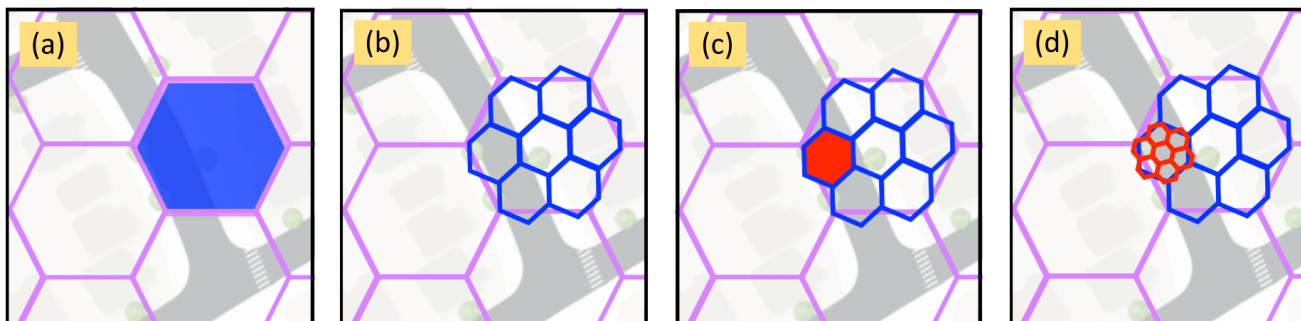
Hierarchical Maps



Performance of Trajectory Prediction Using Hierarchical Maps

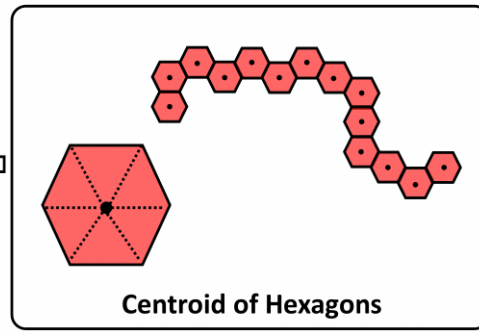
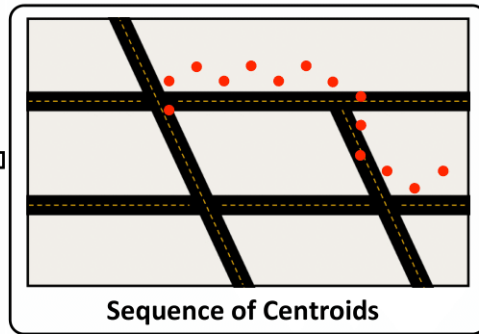
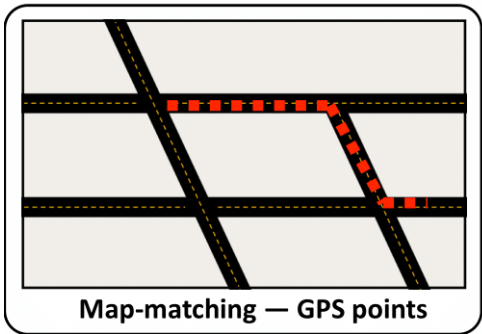
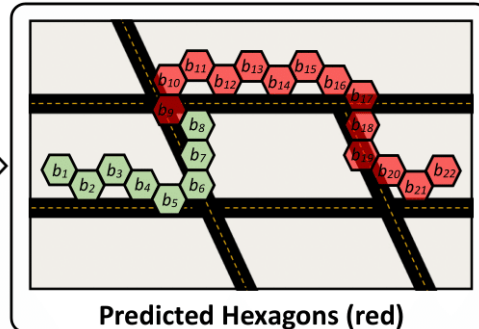
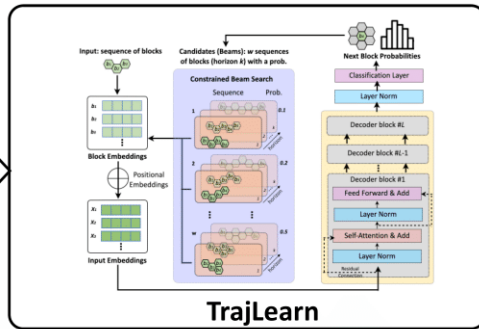
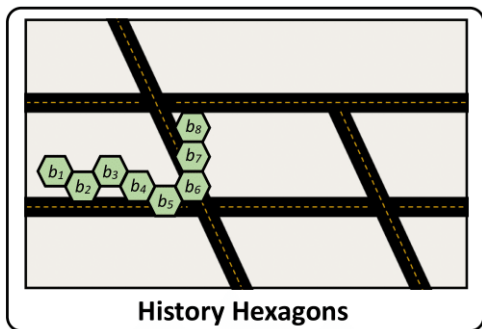
Dataset	Acc@1	Acc@3	Acc@5	BLEU
Ho-Porto	0.4476	0.5333	0.6099	0.5289
Ho-Rome	0.3213	0.4915	0.5605	0.3747
Ho-GeoLife	0.4854	0.5727	0.6496	0.5267

Resolution 7 to 9

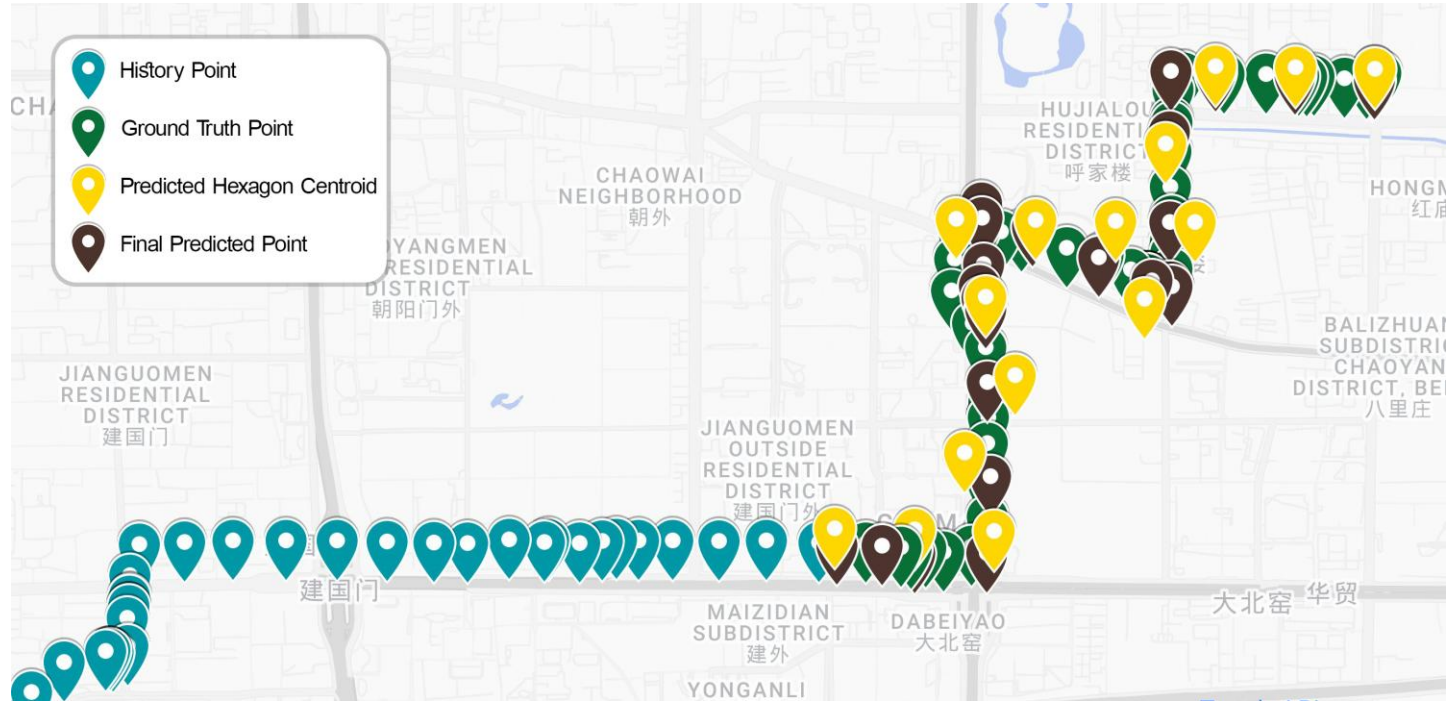


Enhancement: Mapping Predicted Hexagons to GPS Points

Mapping Predicted Hexagons to GPS Points



Mapping Predicted Hexagons to GPS Points: An Example



Problem 2: Mobility Network Prediction

Mobility Network Prediction (Revisited)

Let

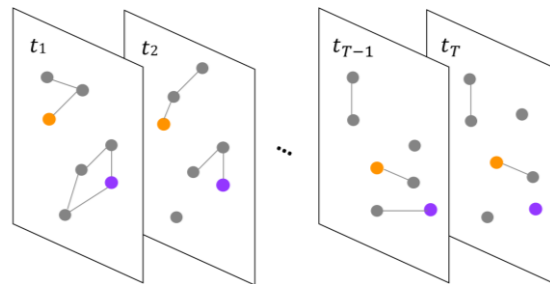
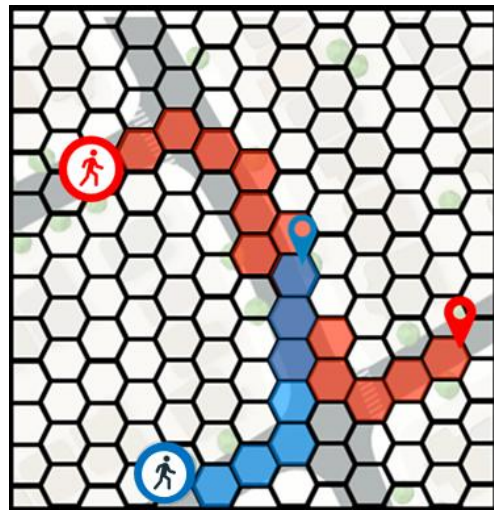
- an observation area \mathcal{M}
- a set of objects \mathcal{N} and their history trajectories \mathcal{T}^l
- an observation period $[0, \mathcal{W}]$

Input: Given

- a prediction horizon $k > 0$

Output: We want to

predict the next k future proximity networks $\langle G_{i_{w+1}}, G_{i_{w+2}}, \dots, G_{i_{w+k}} \rangle$



Existing works

Dynamic Link Prediction

Continuous-Time Dynamic Networks

TGAT

DyRep

CAW

Discrete-Time Dynamic Networks

EvolveGCN

Roland

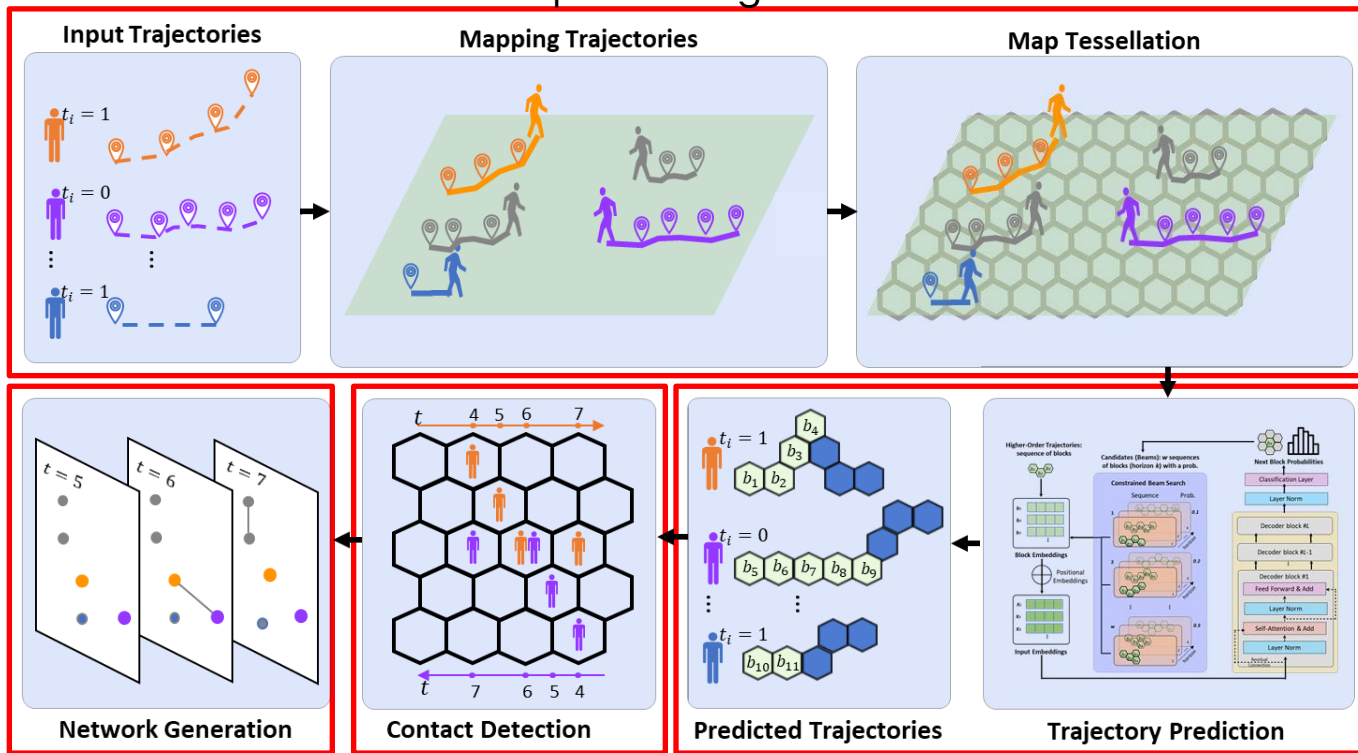
AGCRN

DyTed

Methodology

MobiNetForecast Overview

Preprocessing

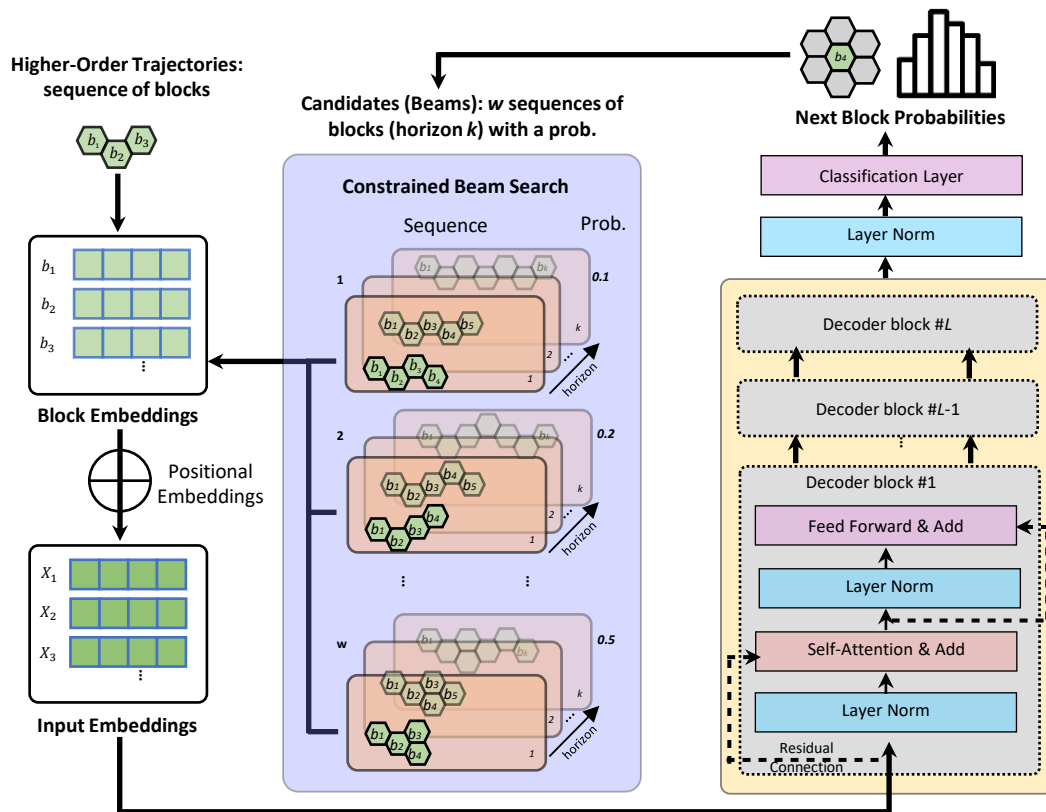


Module 3

Module 2

Module 1

Trajectory Prediction Module

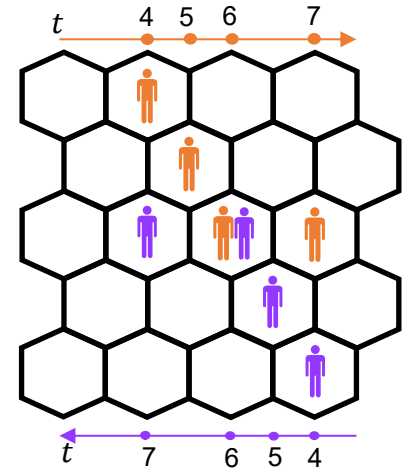


Contact Detection Module

The set of **all contacts** C_t at a given **time step** t is collected as:

$$C_{uv}(t) = \begin{cases} 1 & \text{if } b_{u_t} = b_{v_t} \\ 0 & \text{otherwise} \end{cases}$$

$$C_t = \{(u, v) | C_{uv}(t) = 1 \text{ and } u \neq v\}$$



Mobility Network Construction Module

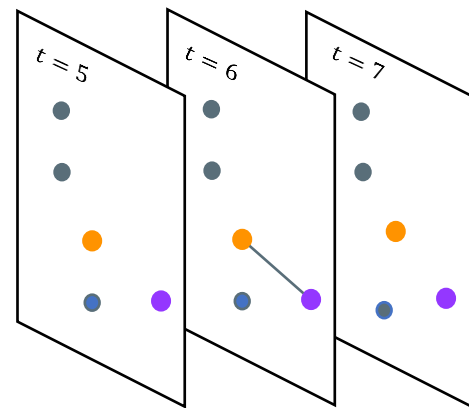
For each **time step** t , we create a **network snapshot** $G_t = (N_t, E_t)$

$$N_t = \{ u \mid u \text{ appears in } T^u \text{ at time } t \}$$

$$E_t = \{ (u, v) \mid (u, v) \in C_t \}$$

Assemble a **dynamic mobility network** G that evolves over time:

$$G = \{ G_{T+1}, G_{T+2}, \dots, G_{T+k} \}$$



Evaluation

Experimental Scenarios

RQ 1) Framework Performance

- How does MobiNetForecast compare against established baseline methods in predicting dynamic networks?

RQ 2) Model Performance

- How does TrajLearn used in MobiNetForecast compare against using other trajectory prediction methods in predicting dynamic networks?

RQ 3) Map Resolution Analysis

- How does varying the resolution of map tessellation (the size of hexagons) impact the accuracy of contact detection and network construction?

Experimental Setup

Computational Environment

- NVIDIA RTX A6000 graphics card and 320GB of memory
- Implementation: Python 3, PyTorch 2.3

Map Tessellation and Resolutions

- H3 geo-indexing resolutions 8 to 10

Training Parameters

- AdamW optimizer with learning rate = 10^{-4} to 5×10^{-9} ,
- Batch size = 256
- Dropout rate = 0

Datasets

Dataset	Duration	# Objects	# Trajectories	# Contacts@10
GeoLife	4 years	182	17,621	124K
SFCO-3K	1 month	3,000	90,000	1.4M



Timely ordered trajectory data set is split into:
67.5% Training, 7.5% Validation, 25% Testing

Baselines

Temporal Link Prediction-Based Models (RQ1)

- EvolveGCN [Pareja et al., AAAI'20]
- ROLAND [You et al., KDD'22]
- DyTed [Zhang et al., KDD'23]
- AGCRN [Bai et al., NeurIPS'20]

Trajectory Prediction-Based Models (RQ2)

- MC [Gambs et al., MPM'12]
- LSTM
- GRU
- LSTM-ATTN [Luong et al., EMNLP'15]
- Flashback++ [Deng et al., ACM TIST'23]

Our Method

- MobiNetForecast

Metrics

Recall [↑]

- Measures the proportion of actual contacts (true positives) correctly predicted.

$$Recall = \frac{TP}{TP + FN}$$

Precision [↑]

- Quantifies the proportion of correctly predicted contacts among all predicted contacts.

$$Precision = \frac{TP}{TP + FP}$$

F1-Score [↑]

- The harmonic mean of precision and recall, providing a balanced measure of the model's accuracy

$$F1 = 2 \times \frac{Precision \times Recall}{Precision + Recall}$$

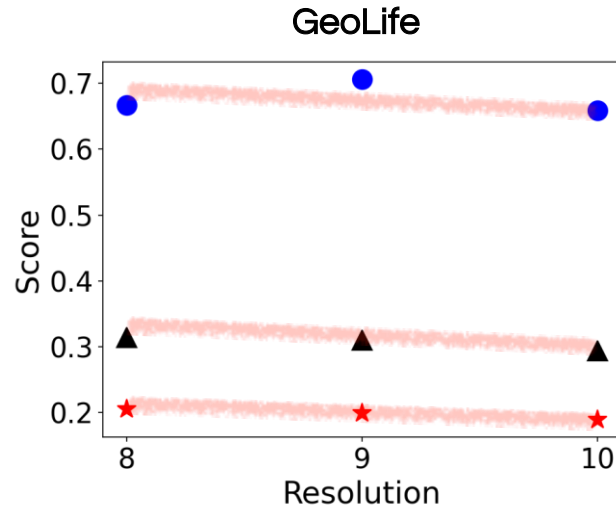
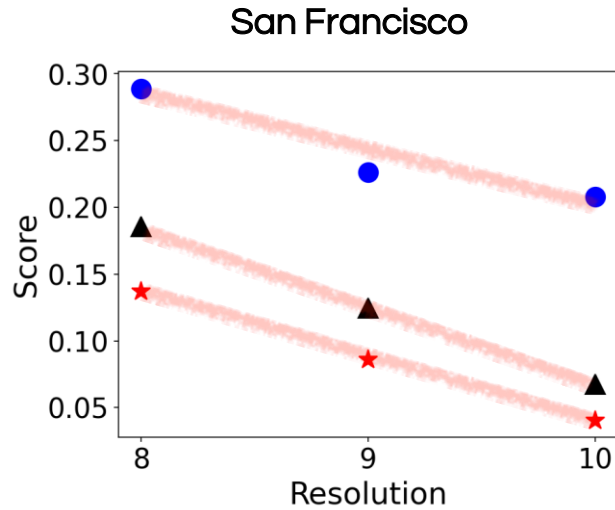
RQ 1) Framework Performance

Dataset	Model	Resolution 8			Resolution 9			Resolution 10		
		Prec.	Recall	F1	Prec.	Recall	F1	Prec.	Recall	F1
San Francisco	EvolveGCN	0.0002	0.247	0.0003	0.0002	0.187	0.0003	0.0001	0.119	0.0002
	Roland	0.0006	<u>0.277</u>	0.001	0.0006	0.15	0.001	0.0004	0.127	0.0008
	DyTed	<u>0.001</u>	0.271	<u>0.002</u>	<u>0.001</u>	<u>0.22</u>	<u>0.002</u>	<u>0.0008</u>	<u>0.181</u>	<u>0.002</u>
	AGCRN	0.0006	0.193	0.001	0.0005	0.14	0.0009	0.0004	0.13	0.0008
	MobiNetForecast (ours)	0.137	0.289	0.186	0.086	0.226	0.125	0.04	0.208	0.068
	Improvement	163×	4.21%	111×	80×	4.74%	58×	52×	15.16%	44×
GeoLife	EvolveGCN	0.039	0.207	0.066	0.054	0.214	0.086	0.068	0.221	0.104
	Roland	0.084	0.456	0.143	0.127	0.47	0.201	0.135	0.48	0.21
	DyTed	0.114	<u>0.513</u>	0.187	<u>0.163</u>	<u>0.528</u>	<u>0.25</u>	<u>0.154</u>	<u>0.518</u>	<u>0.238</u>
	AGCRN	<u>0.125</u>	0.437	<u>0.194</u>	0.121	0.455	0.191	0.125	0.479	0.199
	MobiNetForecast (ours)	0.206	0.667	0.315	0.199	0.706	0.311	0.189	0.659	0.294
	Improvement	65.10%	30.05%	62.18%	21.76%	33.84%	24.41%	22.54%	27.13%	23.57%

RQ 2) Model Performance

Dataset	Model	Resolution 8			Resolution 9			Resolution 10		
		Prec.	Recall	F1	Prec.	Recall	F1	Prec.	Recall	F1
San Francisco	MC	0.023	0.046	0.031	0.015	0.083	0.025	0.008	0.063	0.014
	LSTM	0.097	0.231	0.136	0.065	0.187	0.096	0.026	0.146	0.044
	LSTM-ATTN	0.103	0.245	0.145	0.072	0.193	0.105	0.03	0.158	0.044
	GRU	<u>0.118</u>	0.24	0.158	<u>0.075</u>	0.193	<u>0.108</u>	0.032	0.162	0.053
	Flashback++	0.115	<u>0.261</u>	<u>0.16</u>	0.073	<u>0.2</u>	0.1	<u>0.035</u>	<u>0.187</u>	<u>0.059</u>
	MobiNetForecast (ours)	0.137	0.289	0.186	0.086	0.226	0.125	0.04	0.208	0.068
	Improvement	16.01%	10.88%	16.41%	14.50%	17.02%	15.32%	15.14%	11.28%	14.52%
GeoLife	MC	0.013	0.049	0.02	0.01	0.051	0.023	0.008	0.047	0.013
	LSTM	0.143	0.482	0.221	0.132	0.514	0.21	0.137	0.506	0.216
	LSTM-ATTN	0.151	0.546	0.237	0.143	0.531	0.225	0.141	0.523	0.222
	GRU	0.157	0.51	0.24	0.153	0.549	0.239	0.141	<u>0.572</u>	0.227
	Flashback++	<u>0.171</u>	<u>0.553</u>	<u>0.261</u>	<u>0.165</u>	<u>0.586</u>	<u>0.258</u>	<u>0.16</u>	0.535	<u>0.25</u>
	MobiNetForecast (ours)	0.206	0.667	0.315	0.199	0.706	0.311	0.189	0.659	0.294
	Improvement	20.35%	20.60%	20.41%	20.46%	20.62%	20.50%	16.09%	15.18%	17.66%

RQ 3) Map Resolution Analysis



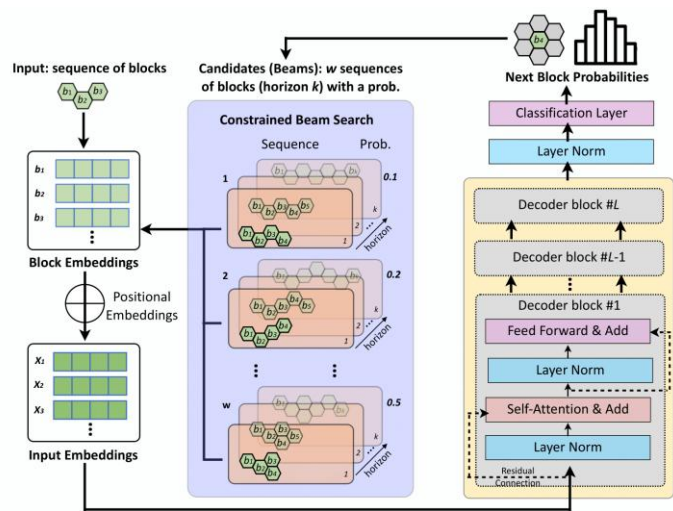
7: Precision

8: Recall

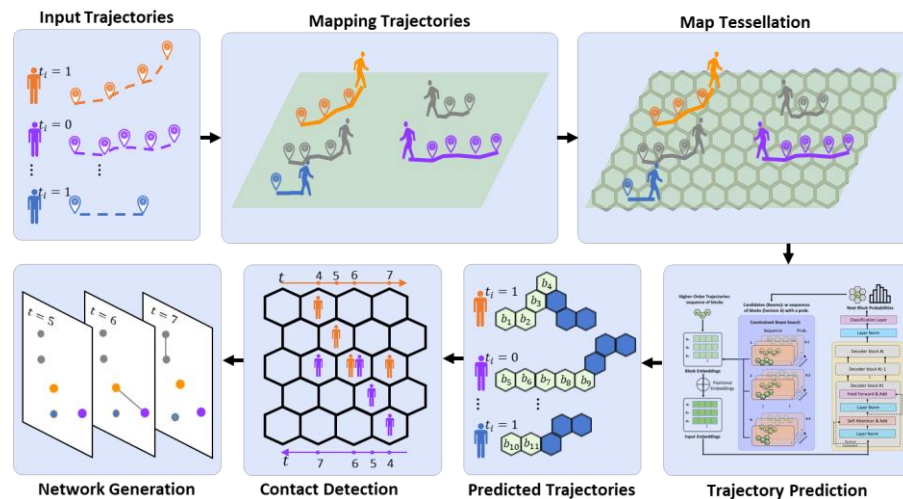
9: F1-Score

Conclusions

Thesis Contributions



TrajLearn



MobiNetForecast

Published work

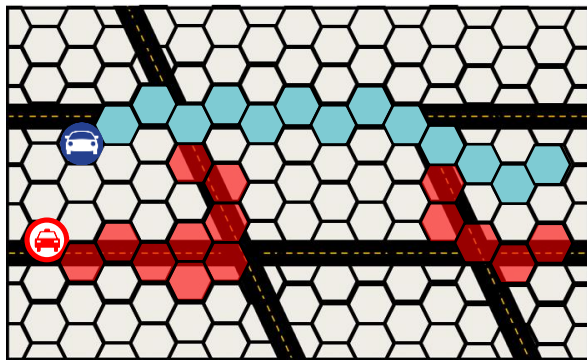
- (Submitted) A. Nadiri, J. Li, G. Abuoda, and M. Papagelis, "Mobility Network Forecasting: A Trajectory-based Contact Prediction Approach"
- (ACM TSAS, 2025) A. Nadiri, J. Li, A. Farajji, G. Abuoda, and M. Papagelis, "TrajLearn: Trajectory Prediction Learning using Deep Generative Models"
- (ACM SIGSPATIAL, 2023) A. Farajji*, J. Li*, G. Alix, M. Alsaeed, N. Yanin, A. Nadiri, and M. Papagelis, "Point2Hex: Higher-order Mobility Flow Data and Resources"

Limitations

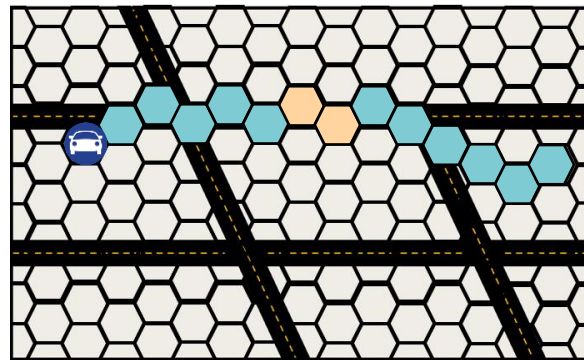
- GPS Data Quality
- Dataset Biases and Coverage
- Data Sensitivity
- Model Interpretability
- Temporal Generalization & Concept Drift

Future Work

Can we develop a **trajectory foundation model** for addressing many trajectory-related tasks?



Trajectory similarity



Trajectory imputation

Thank you!

Questions?