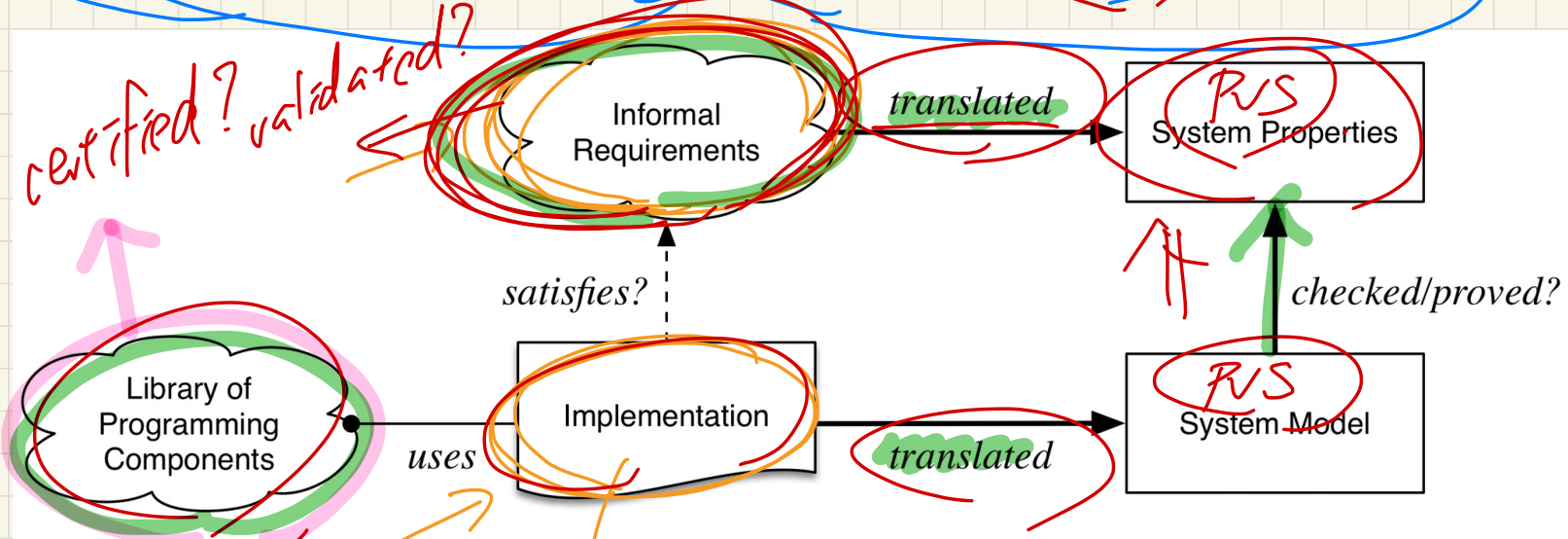


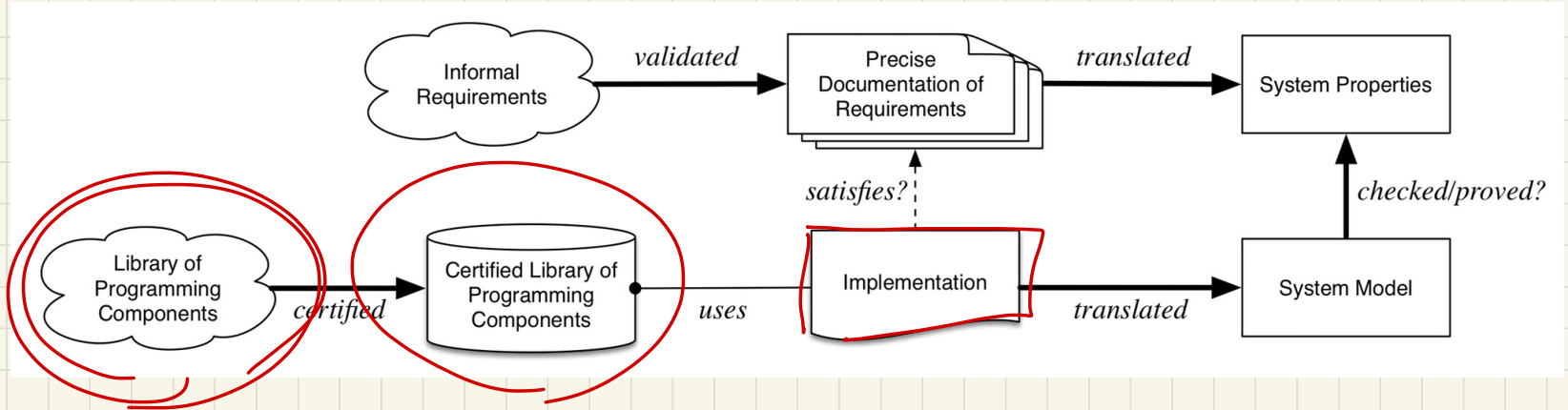
GUEST LECTURE
TUESDAY OCTOBER 22

Building the product right? Building the right product?

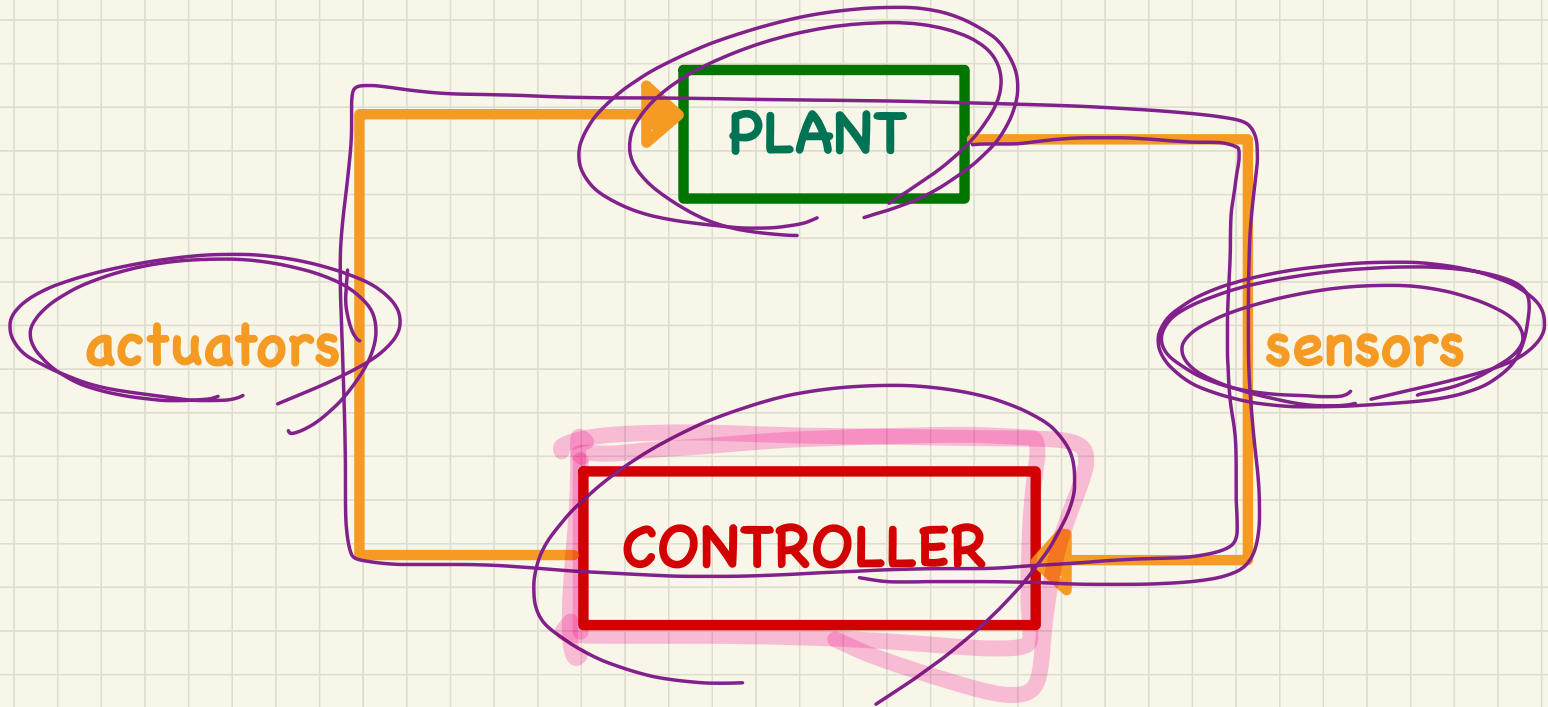


C, Java, Eiffel, FB

Building the right product right?



Cyber-Physical Systems: Plant, Sensors, Controller, Actuators



Function Tables

$x=3$

		Result
Condition		f
C_1	$C_{1.1}$	val_1
	$C_{1.2}$	val_2

	$C_{1.m}$	val_m
...		...
C_n		val_n

```
IF  $C_1$ 
  IF  $C_{1.1}$  THEN f =  $val_1$ 
  ELSEIF  $C_{1.2}$  THEN f =  $val_2$ 
  ...
  ELSEIF  $C_{1.m}$  THEN f =  $val_m$ 
ELSEIF ...
ELSEIF  $C_n$  THEN f =  $val_n$ 
```

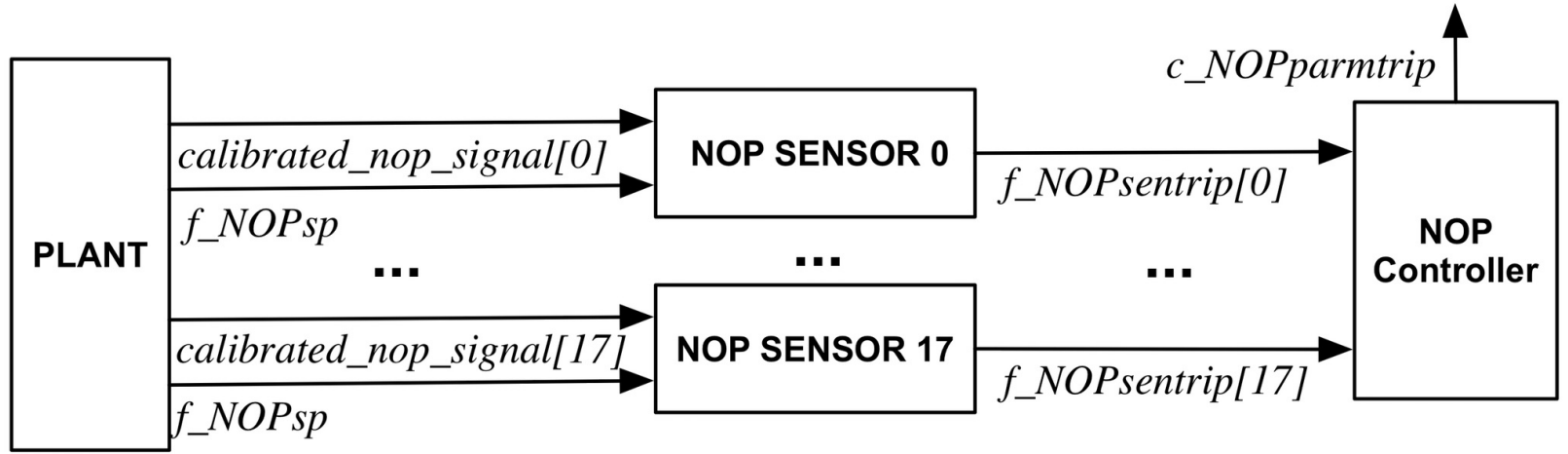
	Result/f
$x \geq 0$	v1
$x \leq 0$	v2

$\neg(C_{1.1} \wedge C_{1.2})$

Proof obligation of Completeness?

Proof obligation of Disjointness?

Example CPS: Neutron OverPower Unit of Darlington SDS



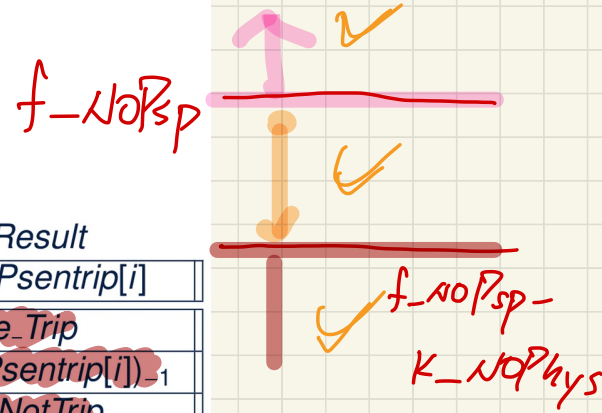
Formalizing Requirements of NOP using Function Tables

Condition	Result
$\exists i \in 0..17 \bullet f_NOPsentrip[i] = e_Trip$	e_Trip
$\forall i \in 0..17 \bullet f_NOPsentrip[i] = e_NotTrip$	$e_NotTrip$

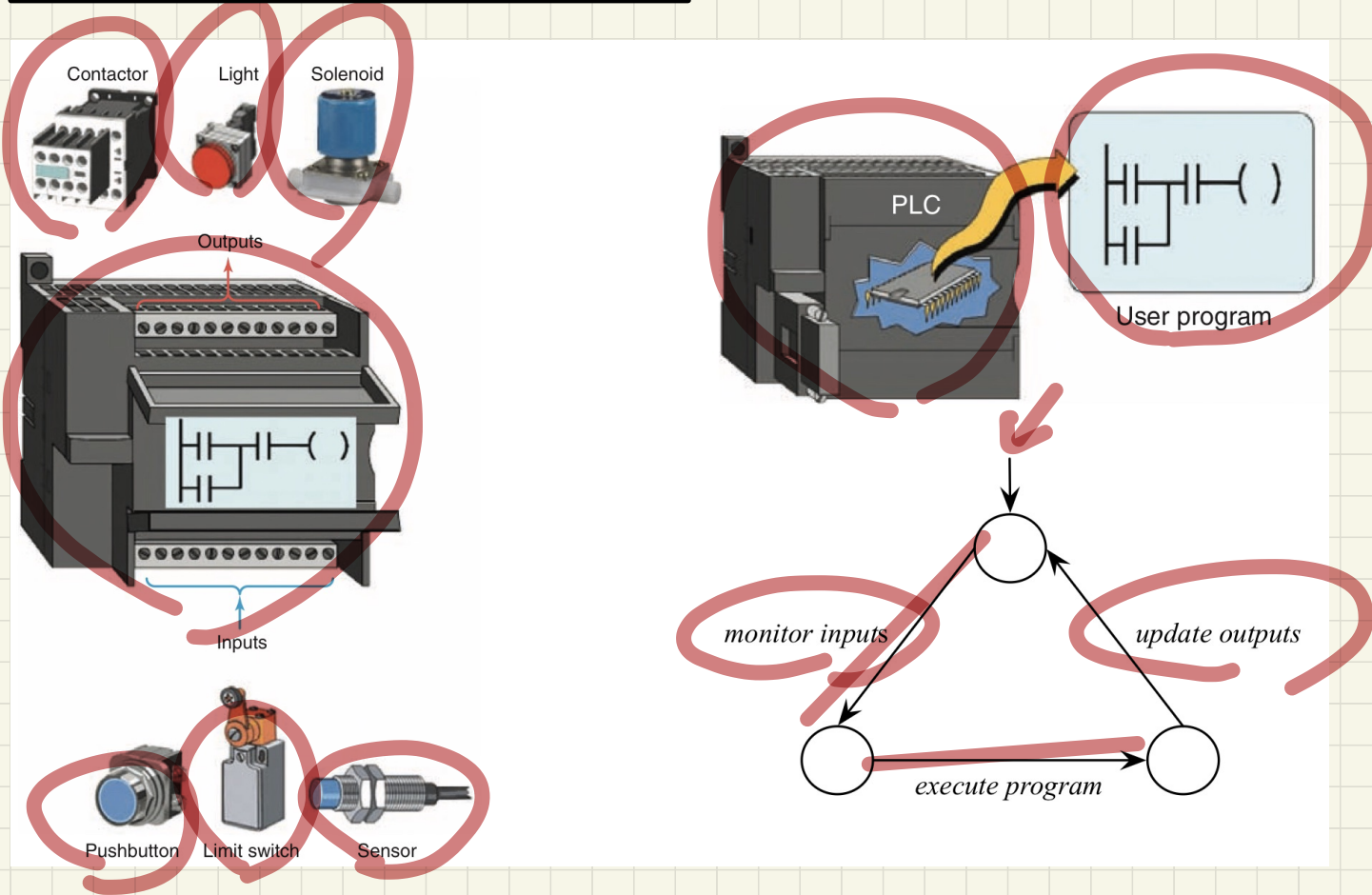
Table: NOP Controller

Condition	Result
$calibrated_nop_signal[i] \geq f_NOPsp$	e_Trip
$f_NOPsp - k_NOPphys < calibrated_nop_signal[i] < f_NOPsp$	$(f_NOPsentrip[i])_{-1}$
$calibrated_nop_signal[i] \leq f_NOPsp - k_NOPphys$	$e_NotTrip$

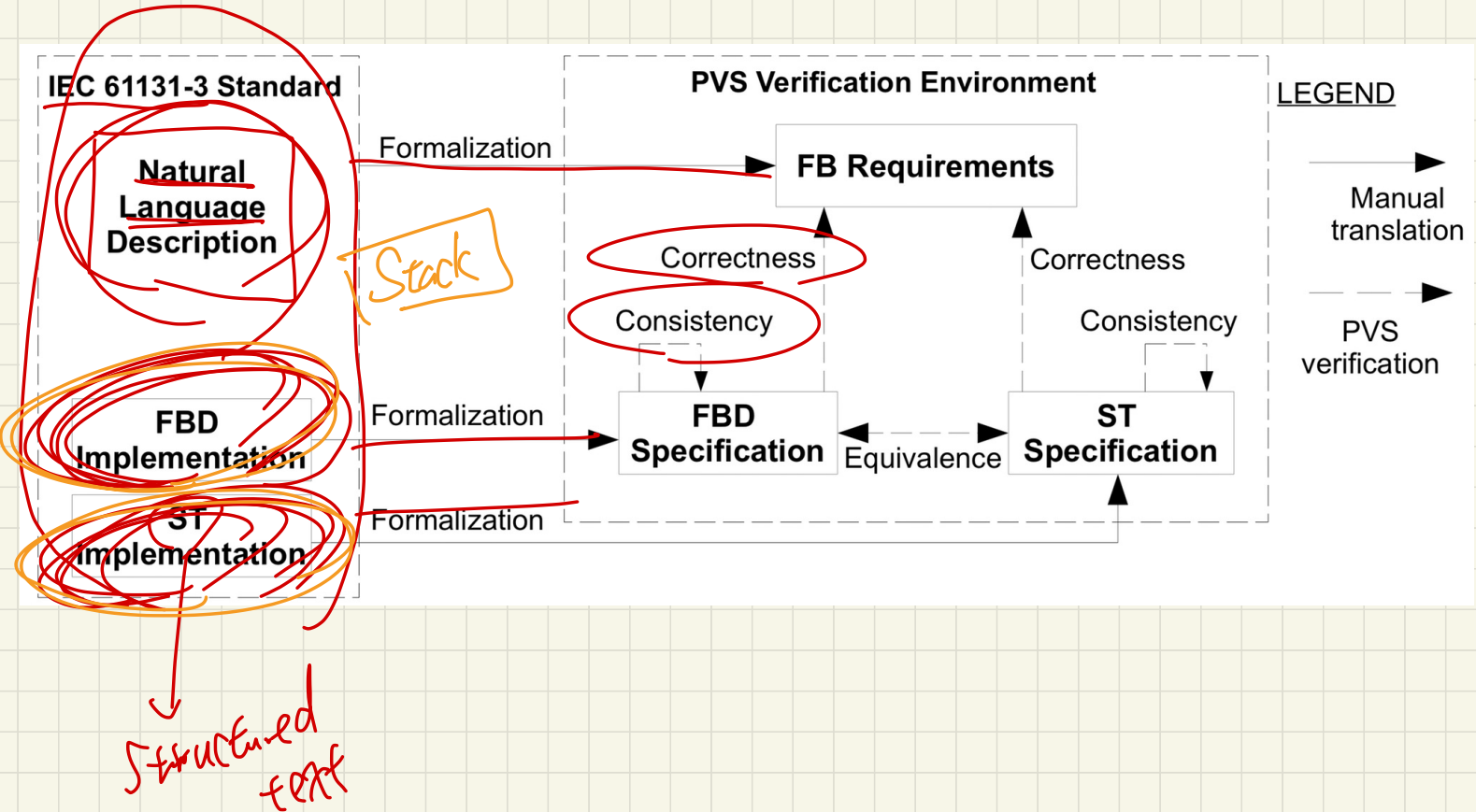
Table: NOP sensor $i, i \in 0..17$ (monitoring $calibrated_nop_signal[i]$)



PLC as a Cyclic Executive



Certifying IEC 61131-3 Function Block Library



IEC 61131-3 Annex F: Stack of Integers

```

PUSH_STK:
+-----+           +-----+           +-----+
| := |           | + |           | = |
1--|EN ENO|-----|EN ENO|-----|EN ENO|---
0--|   |--EMPTY 1--|   |--PTR--|G   |-----OFLO
+-----+           +---|   |NI---|   |
PTR-----+-----+           +-----+
+-----+           | +-----+
| := |           | | SEL |
|EN ENO|-----+---|G   |-----OUT
IN---+-----|---STK[PTR] +-----|INO |
| +-----+           | 0---|IN1 |
+-----+           +-----+

```

```

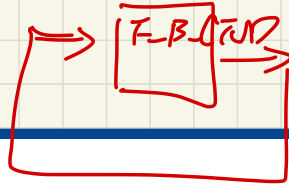
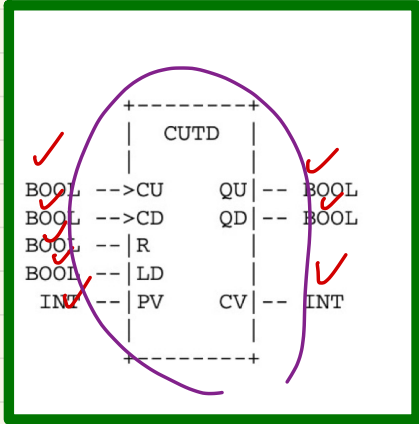
ELSIF PUSH & NOT OFLO THEN
  EMPTY := 0; PTR := PTR+1; OFLO := (PTR = NI);
  IF NOT OFLO THEN OUT := IN ; STK[PTR] := IN;
  ELSE OUT := 0;
  END_IF ;
END_IF ;

```

IF OFLO THEN OUT := IN

IEC 61131-3 Annex F: Counters

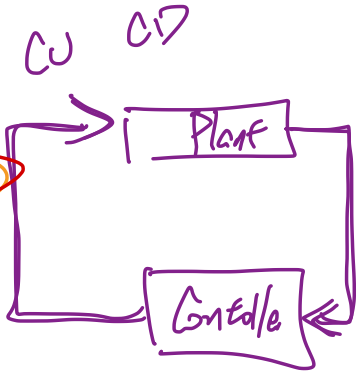
✓ API



PV_{min} to
 PV_{max} |

```

FUNCTION_BLOCK CUTD
VAR_INPUT
    CU, CD : BOOL R_EDGE; (* Value to be counted up/down *)
    R      : BOOL          (* Reset *)
    LD     : BOOL          (* Load value flag *)
    PV     : INT           (* Preset value *)
END_VAR
VAR_OUTPUT
    QU : BOOL (* Compare CV with PV for up counter *)
    QD : BOOL (* Compare CV with 0 for down counter *)
    CV : INT  (* Current counted value *)
END_VAR
IF R THEN CV := 0;
ELSIF LD THEN CV := PV;
ELSE
    IF NOT (CU AND CD) THEN
        IF CU AND (CV < PVmax) THEN
            CV := CV + 1;
        ELSEIF CD AND (CV > PVmin) THEN
            CV := CV - 1;
        END IF;
    END IF;
END IF;
QU := (CV >= PV);
QD := (CV <= 0);
END_FUNCTION_BLOCK
    
```



Formalizing Requirements of Counters using Function Tables

Condition			Result	
		R	CV	
		LD	0	
		$CU \wedge CD$	PV	
$\neg R$	$\neg LD$	$CU \wedge \neg CD$	NC	
		$CV_{-1} < PV_{max}$	$CV_{-1} + 1$	
		$CV_{-1} \geq PV_{max}$	NC	
		$\neg CU \wedge CD$	$CV_{-1} > PV_{min}$	$CV_{-1} - 1$
		$\neg CU \wedge \neg CD$	$CV_{-1} \leq PV_{min}$	NC

assume: $PV_{min} < PV < PV_{max}$

Proof obligation of **Completeness**?

Proof obligation of **Disjointness**?