

Register Transfer Level

CSE3201

RTL

- A digital system is represented at the register transfer level by these three components
 1. The set of registers in the system
 2. The operation that are performed on the data stored in the registers
 3. The control that supervises the sequence of operations in the system.
- The operations executed on the information stored in the registers are elementary operations and performed in parallel during one clock cycle.

RTL

- Comma is used to separate 2 or more operations that are executed in the same time

If(T3=1) then (R2←R1, R1←R2)

- That is possible with registers that have edge triggered flip-flop

RTL in HDL

```
assign s=A+B;
```

Continuous assignment,
for combinational
circuits only, output can
not be a reg

```
always @(A or B)  
    s=A+B;
```

```
always @ (posedge clock)  
begin  
    RA=RA+RB;  
    RD=RA;  
end
```

Blocking procedural
assignment, new value of
RA is assigned to RD

```
always @ (negedge clock)  
begin  
    RA<=RA+RB;  
    RD<=RA;  
end
```

Non-blocking procedural
assignment, old value of
RA is assigned to RD

HDL Operations

- Arithmetic: + - * / %
- Logic (bit wise): ~ & | ^
- Logical ! && ||
- Shift >> << {, }
- Relational > < == != >= <=
- In shifting, the vacant bits are filled with zeros

Loop Statements

```
■ integer count
   initial
   begin
       count = 0;
       while (count <0)
       #5 count = count+1;
   end

   initial
   begin
       clock = 1'b0;
       end
       repeat (16)
       #5 clock = ~ clock;
   end
```

Loop Statements

```
module decoder
  input [1:0] IN;
  output [3:0] Y;
  reg [3:0] Y;
  integer I;
  always @(IN)
    for (I=0; I<=3; I=I+1)
      if (IN == I) Y[I]=1;
      else Y[I]=0;
endmodule
```

```
assign Y=s ? L1: L0;
Or
always @(L1 or L0 or S)
  if (S) Y=1;
  else Y=0;
```

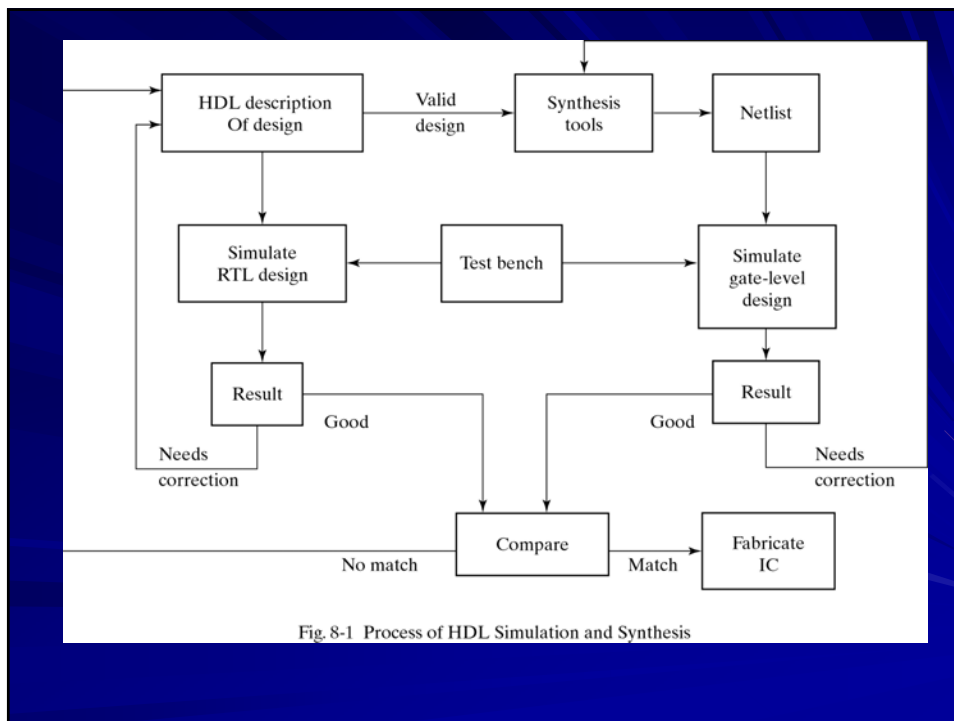
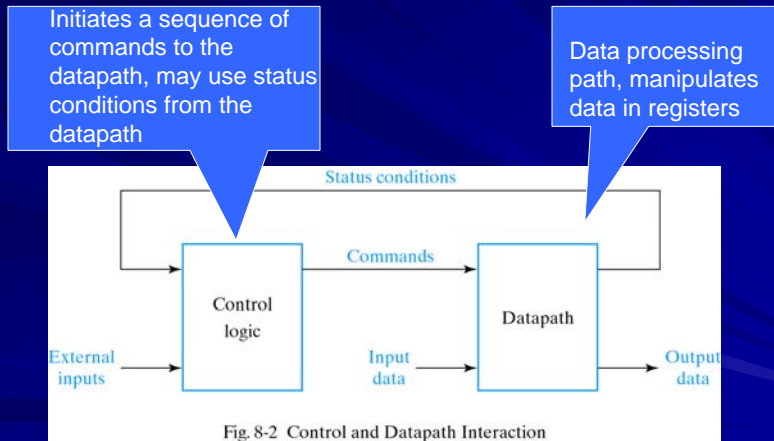


Fig. 8-1 Process of HDL Simulation and Synthesis

Algorithmic State Machine (ASM)



ASM

- ASM is similar to flowchart in the sense that it specifies a sequence of procedural steps and decision paths for an algorithm.
- However, ASM is interpreted differently than a flowchart. While the flow chart is interpreted as a sequence of operations, ASM describes the sequence of events as well as the timing relationship between the states (as we will see shortly).

State Box

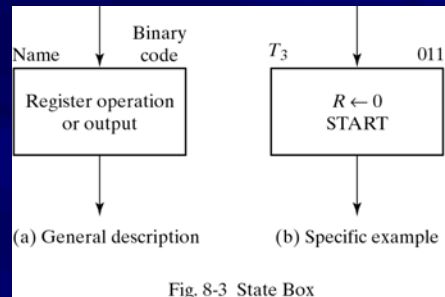


Fig. 8-3 State Box

The state is given a symbolic name (T_3)

Binary code for the assigned state (011)

The operations that are performed in this state $R \leftarrow 0$; and START could be an output signal is generated to start some operation

The operation is performed when we leave T_3 to the next state

Decision Box

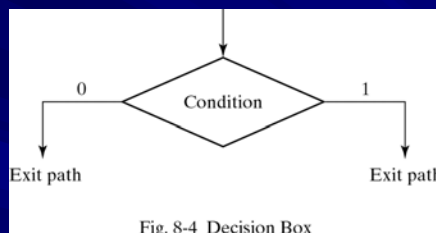


Fig. 8-4 Decision Box

Conditional Box

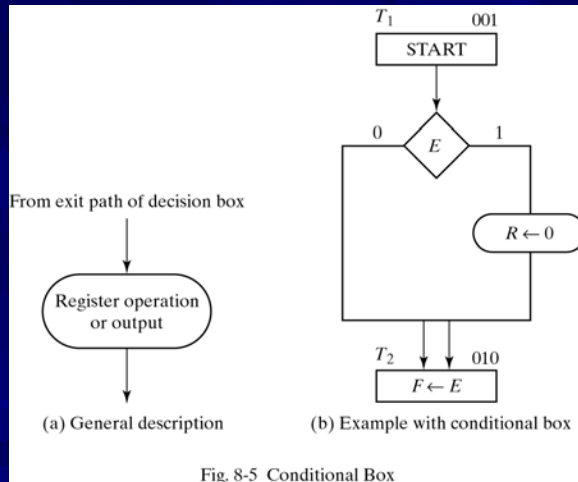


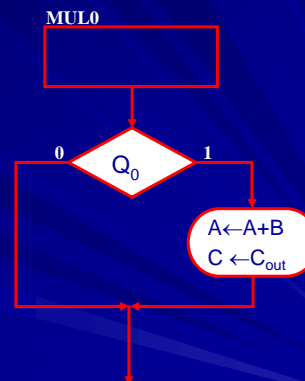
Fig. 8-5 Conditional Box

Input to the conditional box must come from one of the exit paths of a decision box.

The register operation or outputs listed inside the conditional box are generated during a given state, if the input condition is satisfied of course

ASM

- The operation in the state box or conditional box are not executed in the current state.
- Rather, a control signal is asserted in the current state if Q_0 is 1 and the operation is done at the transition from this state to the next one (with the next clock cycle)



One entrance

ASM Block

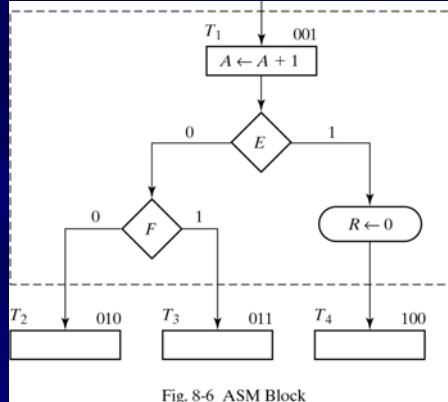


Fig. 8-6 ASM Block

If flow chart, A is incremented, then E is tested

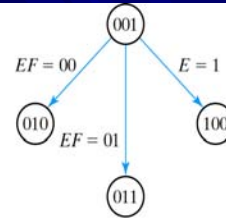


Fig. 8-7 State Diagram Equivalent to the ASM Chart of Fig. 8-6

ASM block is a structure consisting of one state box and all the decision and conditional boxes connected to its exit path.

Each block in the ASM describes the state of the system during one clock-pulse interval.

The operations within the state and conditional boxes are executed at the clock pulse when the system is leaving T_1 to T_2 , T_3 , or T_4 .

Timing Consideration

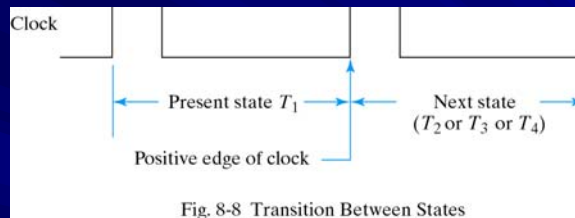
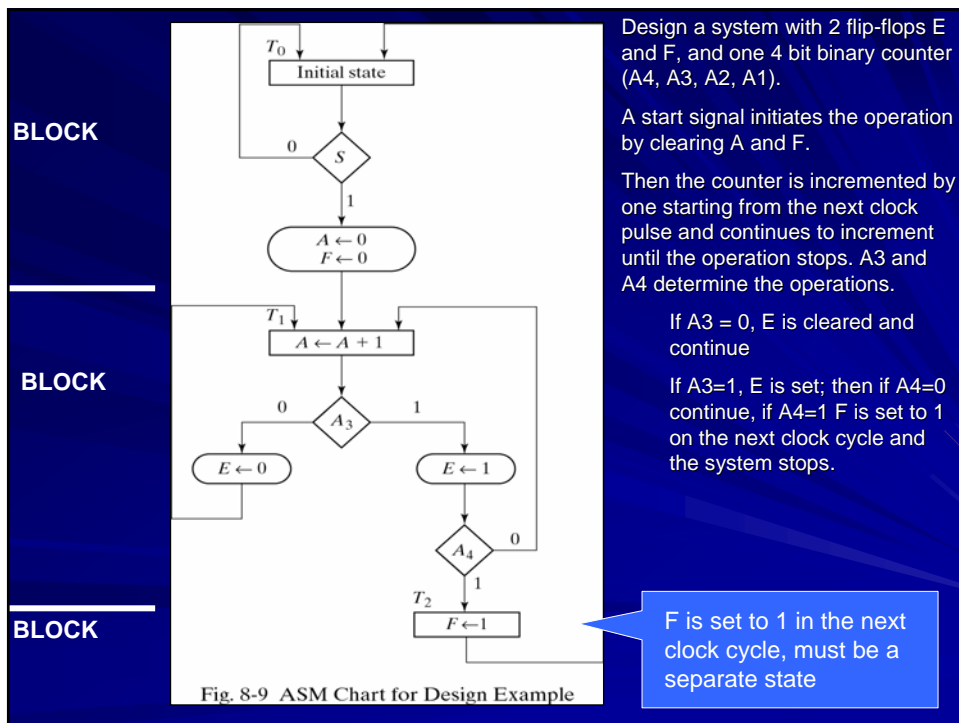


Fig. 8-8 Transition Between States

Design Example

- Design a system with 2 flip-flops E and F, and one 4 bit binary counter (A_4, A_3, A_2, A_1).
- A start signal initiates the operation by clearing A and F.
- Then the counter is incremented by one starting from the next clock pulse and continues to increment until the operation stops. A_3 and A_4 determine the operations.
 - If $A_3 = 0$, E is cleared and continue
 - If $A_3 = 1$, E is set; then if $A_4 = 0$ continue, if $A_4 = 1$ F is set to 1 on the next clock cycle and the system stops.



Counter				Flip-Flops		Condition	State
A ₄	A ₃	A ₂	A ₁	E	F		
0	0	0	0	1	0	A ₃ =0, A ₄ =0	T ₁
0	0	0	1	0	0		
0	0	1	0	0	0		
0	0	1	1	0	0		
<hr/>							
0	1	0	0	0	0	A ₃ =1, A ₄ =0	
0	1	0	1	1	0		
0	1	1	0	1	0		
0	1	1	1	1	0		
<hr/>							
1	0	0	0	1	0	A ₃ =0, A ₄ =1	
1	0	0	1	0	0		
1	0	1	0	0	0		
1	0	1	1	0	0		
<hr/>							
1	1	0	0	0	0	A ₃ =1, A ₄ =1	
1	1	0	1	1	0		
<hr/>							
1	1	0	1	1	1		T ₀
<hr/>							
1	1	0	1	1	1		T ₀

Timing Sequence

- That illustrates the difference between ASM and flowchart.
 - When the system is in state 1011, It checks A₃ is 0, so it sets E to 0 and increment counter to 1100, the next cycle will start with 1100 and E set to 0.
 - Then checks A₃ and A₄ (both are 1), it sets E to 1, and increments counter.
 - Next cycle counter is 1101, and E=1 and now it is in state 2
 - Then it set F to 1 and goes to state 0

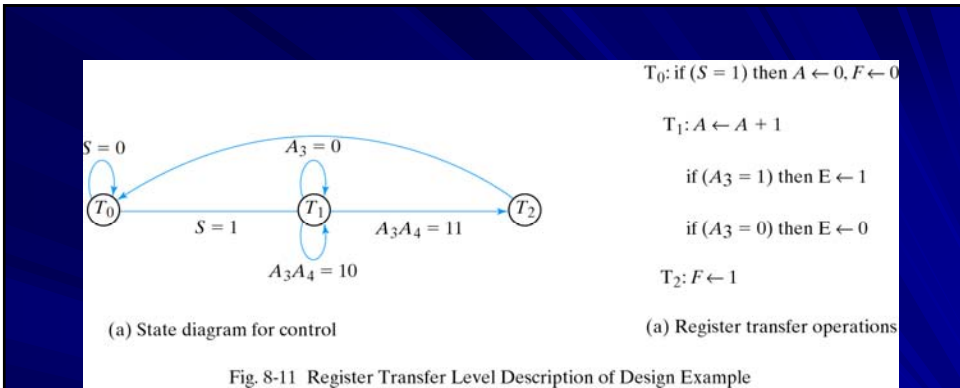
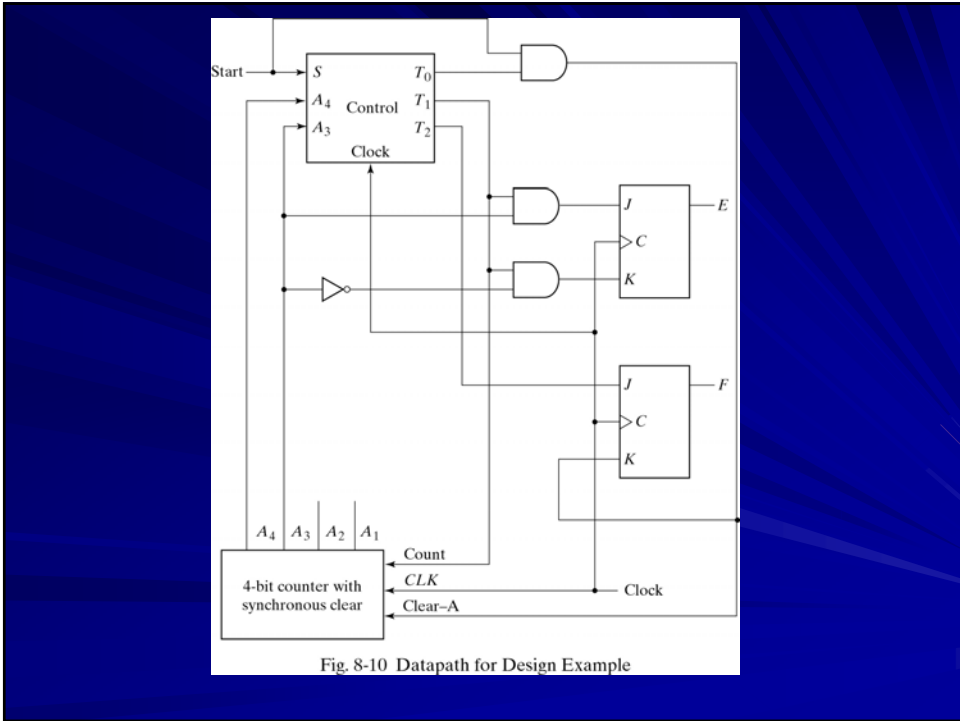
Datapath Design

- The requirements for the design of the datapath are specified in the state and conditional boxes.
- The control logic is determined from the decision and the required state transition.
- A look at the datapath design of the previous example.

Datapath design

Correction

- In state T_0 , clear the counter and the F flip-flop (the and gate and f inputs).
- In state T_1 , if $A_3=0$, set $E \leftarrow 0$ (will generate 01 on the JK inputs of E if the state is T1).
- In state T_1 , if $A_3=1$; $E \leftarrow 1$ (note the inputs of E).
- In state T_2 $F \leftarrow 1$, and (the F-F is set).



Sometimes it is useful to separate the control operation from the register transfer of the datapath.

The state diagram represents the control sequence; while the register transfer operation represents what happens in every state.

State Table

- The state diagram can be converted into a state table.
- Three states (T_0 , T_1 , and T_2), represents as the output of two registers (G_1 G_0) as 00, 01, and 11.
- The following table shows the state table for the previous example.

Present (symbol)	Present State		Inputs			next State		Outputs		
	G_1	G_0	S	A_3	A_4	G_1	G_0	T_0	T_1	T_2
T_0	0	0	0	X	X	0	0	1	0	0
T_0	0	0	1	X	X	0	1	1	0	0
T_1	0	1	X	0	X	0	1	0	1	0
T_1	0	1	X	1	0	0	1	0	1	0
T_1	0	1	X	1	1	1	1	0	1	0
T_2	1	1	X	X	X	0	0	0	0	1

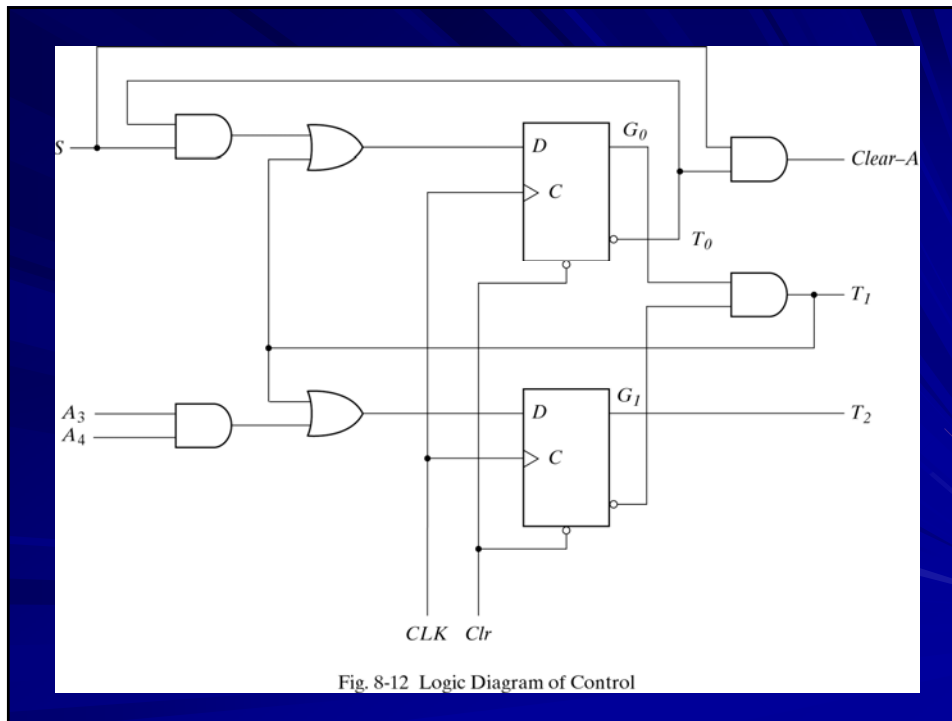
$T_0 = G_0'$

$T_1 = G_1'G_0$

$T_2 = G_1$

$D_{G1} = T_1A_3A_4$

$D_{G2} = T_0S + T_1$



HDL Description

- The description could be one three different levels
 - Behavioral description on the RTL level
 - Behavior description on the algorithmic level
 - Structural description
- Note that the algorithmic level, is used only to verify the design *ideas* in the early stages. Some of the constructs might not be *synthesizable*
- Following RTL behavior description

```

■ //RTL description of design example module
Example_RTL (S,CLK,Clr,E,F,A);
■ //Specify inputs and outputs
■ //See block diagram Fig. 8-10
■ input S,CLK,Clr;
■ output E,F;
■ output [4:1] A;
■ //Specify system registers
■ reg [4:1] A; //A register
■ reg E, F; //E and F flip-flops
■ reg [1:0] pstate, nstate; //control register
■ //Encode the states
■ parameter T0 = 2'b00, T1 = 2'b01, T2 =
2'b11;
■ //State transition for control logic
■ //See state diagram Fig. 8-11(a)
■ always @(posedge CLK or negedge Clr)
■ if (~Clr) pstate = T0; //Initial state
■ else pstate <= nstate; //Clocked
operations
■ always @(S or A or pstate)
■ case (pstate)
■ T0: if(S) nstate = T1;
■ T1: if(A[3] & A[4]) nstate = T2;
■ T2: nstate = T0;
■ default: nstate = T0;
■ endcase
■ //Register transfer operators
■ //See list of operations Fig.8-11(b)
■ always @(posedge CLK)
■ case (pstate)
■ T0: if(S)
■ begin
■ A <= 4'b0000;
■ F <= 1'b0;
■ end
■ T1:
■ begin
■ A <= A + 1'b1;
■ if (A[3]) E <= 1'b1;
■ else E <= 1'b0;
■ end
■ T2: F <= 1'b1;
■ endcase
■ endmodule

```

Testing

- Note that because we used non-blocking assignment we did not have to worry about the order of the statements in every state.
- Had we used a blocking assignment, we have to worry about the order.

Testing

```
■ //HDL Example 8-3
■ //-----
■ //Test bench for design example
■ module test_design_example;
■   reg S, CLK, Clr;
■   wire [4:1] A;
■   wire E, F;
■ //Instantiate design example
■ endmodule

■ Example RTL dsexp
■ (S,CLK,Clr,E,F,A);
■   initial
■   begin
■     Clr = 0;
■     S = 0;
■     CLK = 0;
■     #5 Clr = 1; S = 1;
■     repeat (32)
■     begin
■       #5 CLK = ~ CLK;
■     end
■   end
■   initial
■     $monitor("A = %b E = %b F =
■ %b time = %0d", A,E,F,$time);
```

Structural Description

Structural Description

```

■ //HDL Example 8-4
■ //-----
■ //Structural description of design
  example
■ //See block diagram Fig. 8-10
■ module Example_Structure
  (S,CLK,Clr,E,F,A);
■   input S,CLK,Clr;
■   output E,F;
■   output [4:1] A;
■ //Instantiate control circuit
  control ctl
  (S,A[3],A[4],CLK,Clr,T2,T1,Clear);
■ //Instantiate E and F flip-flops
  E_F EF (T1,T2,Clear,CLK,A[3],E,F);
■ //Instantiate counter
  counter ctr (T1,Clear,CLK,A);
■ endmodule

■ //Control circuit (Fig. 8-12)
  module control
  (Start,A3,A4,CLK,Clr,T2,T1,Clear);
■   input Start,A3,A4,CLK,Clr;
■   output T2,T1,Clear;
■   wire G1,G0,DG1,DG0;
■ //Combinational circuit
  assign DG1 = A3 & A4 & T1,
  DG0 = (Start & ~G0) | T1,
  T2 = G1,
  T1 = G0 & ~G1,
  Clear = Start & ~G0;
■ //Instantiate D flip-flop
  DFF G1F (G1,DG1,CLK,Clr),
  G0F (G0,DG0,CLK,Clr);
■ endmodule

```

Structural Description

```

■ //D flip-flop
  module DFF (Q,D,CLK,Clr);
■   input D,CLK,Clr;
■   output Q;
■   reg Q;
■   always @ (posedge CLK or
  negedge Clr)
■     if (~Clr) Q = 1'b0;
■     else Q = D;
■ endmodule

■ //E and F flip-flops
  module E_F
  (T1,T2,Clear,CLK,A3,E,F);
■   input T1,T2,Clear,CLK,A3;
■   output E,F;
■   wire E,F,JE,KE,JF,KF;
■ //Combinational circuit
  assign JE = T1 & A3,
  KE = T1 & ~A3,
  JF = T2,
  KF = Clear;
■ //Instantiate JK flipflop
  JKFF EF (E,JE,KE,CLK),
  FF (F,JF,KF,CLK);
■ endmodule

```

Structural Description

```

■ //JK flip-flop
■ module JKFF (Q,J,K,CLK);
■   input J,K,CLK;
■   output Q;
■   reg Q;
■   always @ (posedge CLK)
■     case ({J,K})
■       2'b00: Q = Q;
■       2'b01: Q = 1'b0;
■       2'b10: Q = 1'b1;
■       2'b11: Q = ~Q;
■     endcase
■ endmodule

■ //counter with synchronous
  clear
■ module counter
  (Count,Clear,CLK,A);
■   input Count,Clear,CLK;
■   output [4:1] A;
■   reg [4:1] A;
■   always @ (posedge CLK)
■     if (Clear) A<= 4'b0000;
■     else if (Count) A <= A +
  1'b1;
■     else A <= A;
■ endmodule

```

Binary Multiplier

- We did this before using combinational circuit (adders, gates, ..).
- Use one adder and shift registers.
- Instead of shifting multiplicand to the left, shift the partial product to the right.

23	10111	
19	10011	
	10111	
	10111	
	00000	
	00000	
	10111	
437	110110101	

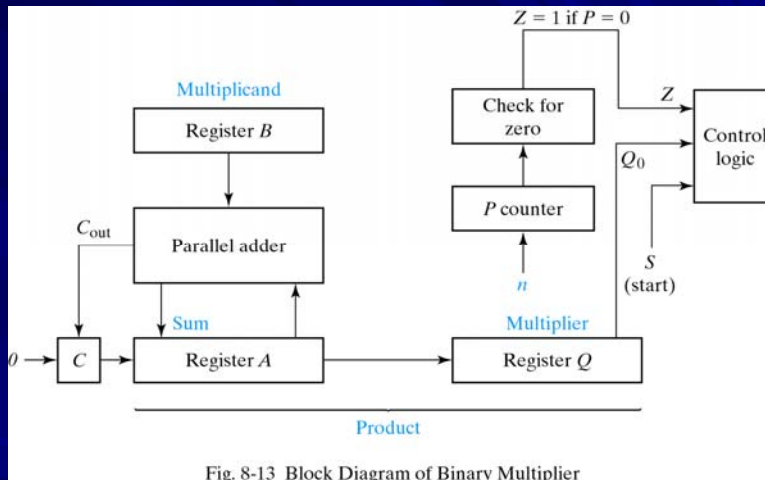


Fig. 8-13 Block Diagram of Binary Multiplier

Binary Multiplier

- Assume that the multiplicand in B, and the multiplier in Q.
- P contains n the length of the multiplier

Partial product is shifted one bit at a time into Q and eventually replaces the multiplier

$A \leftarrow \text{shr } A, A_{n-1} \leftarrow C$
 $Q \leftarrow \text{shr } Q, Q_{n-1} \leftarrow A_0$
 $C \leftarrow 0$

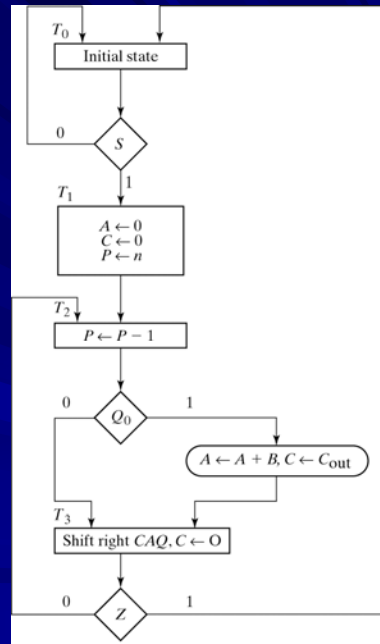
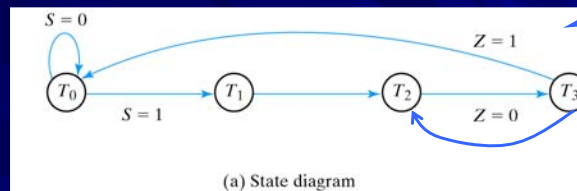


Fig. 8-14 ASM Chart for Binary Multiplier



(a) State diagram

T_0 : Initial state
 T_1 : $A \leftarrow 0, C \leftarrow 0, P \leftarrow n$
 T_2 : $P \leftarrow P - 1$
 if $(Q_0) = 1$ then $(A \leftarrow A + B, C \leftarrow C_{out})$
 T_3 : shift right $CAQ, C \leftarrow 0$

(b) Register transfer operations

Fig. 8-15 Control Specifications for Binary Multiplier

Correction

Mistake an arrow from T_3 to T_2 if $Z=0$

State Table

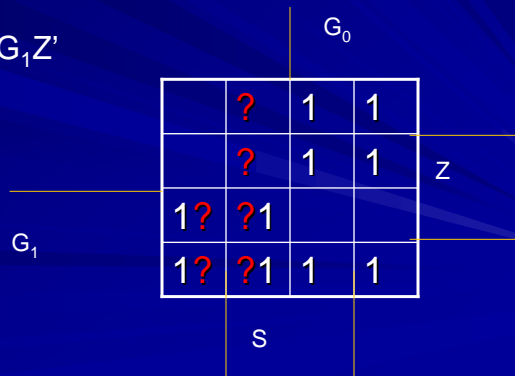
Present State		Inputs		next State		Outputs			
G1	G0	S	Z	G1	G0	T0	T1	T2	T3
0	0	0	X	0	0	1	0	0	0
0	0	1	X	0	1	1	0	0	0
0	1	X	X	1	0	0	1	0	0
1	0	X	X	1	1	0	0	1	0
1	1	X	0	1	0	0	0	0	1
1	1	X	1	0	0	0	0	0	1

Controller Design

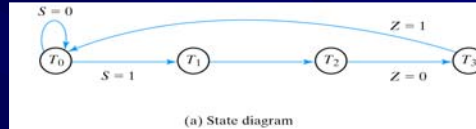
- We can use conventional sequential circuit design for the controller, if we did using 2 D type Flip-Flops

$$D_{G1} = G_1 G'_0 + G_0 G'_1 + G_1 Z'$$

$$D_{G0} = S G'_0 + G_1 G'_0$$



Z is a status signal that checks P for 0.



(a) State diagram

T_0 : Initial state

T_1 : $A \leftarrow 0, C \leftarrow 0, P \leftarrow n$

T_2 : $P \leftarrow P - 1$

if $(Q_0) = 1$ then $(A \leftarrow A + B, C \leftarrow C_{out})$

T_3 : shift right $CAQ, C \leftarrow 0$

(b) Register transfer operations

Fig. 8-15 Control Specifications for Binary Multiplier

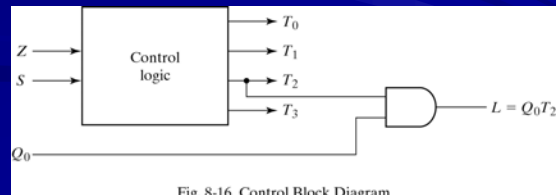


Fig. 8-16 Control Block Diagram

Sequence Register and Decoder

- If the number of variables is large, conventional design is difficult.
- Need specialized methods for the control design.
- Uses a register to control the states, and a decoder to provide an output corresponding to each of the states.
- A register with n flip-flops can have up to 2^n states, and n -to- 2^n line decoder has up to 2^n outputs.

Sequence Register and Decoder

- The circuit could be obtained directly from the table by inspection (keep in mind that the states are available as inputs).
- Directly from the table, there are three 1's for G_1 , which means

$$D_{G_1} = T_1 + T_2 + T_3 \bar{Z}$$

$$D_{G_0} = T_0 S + T_2$$

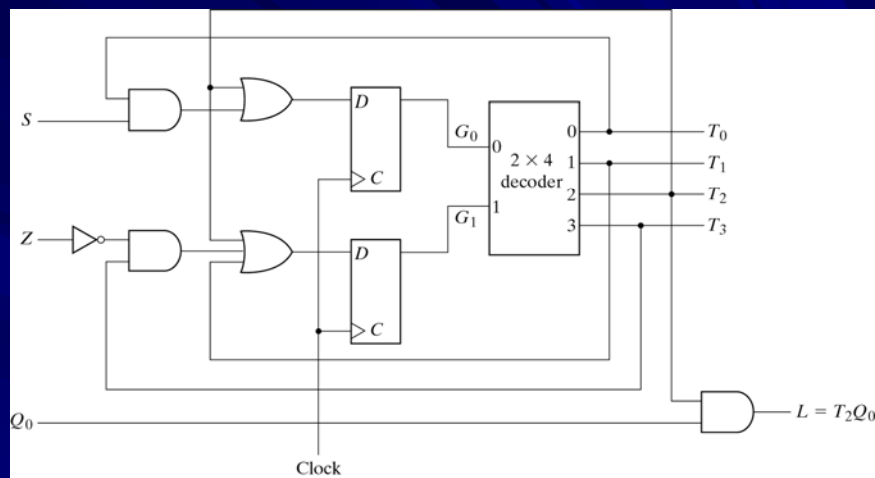


Fig. 8-17 Logic Diagram of Control for Binary Multiplier Using a Sequence Register and Decoder

One Flip-Flop per State

- We need n flip-flops for every state
- In this case, we need 4 flip-flops.
- The circuits are very simple to implement and can be obtained directly from the state diagram.
- For example, we move from state 0 to 1 if $S=1$ which means $D_{T_1}=T_0S$

One Flip-Flop per State



(a) State diagram

T_0 : Initial state

T_1 : $A \leftarrow 0, C \leftarrow 0, P \leftarrow n$

T_2 : $P \leftarrow P - 1$

if $(Q_0) = 1$ then $(A \leftarrow A + B, C \leftarrow C_{out})$

T_3 : shift right $CAQ, C \leftarrow 0$

(b) Register transfer operations

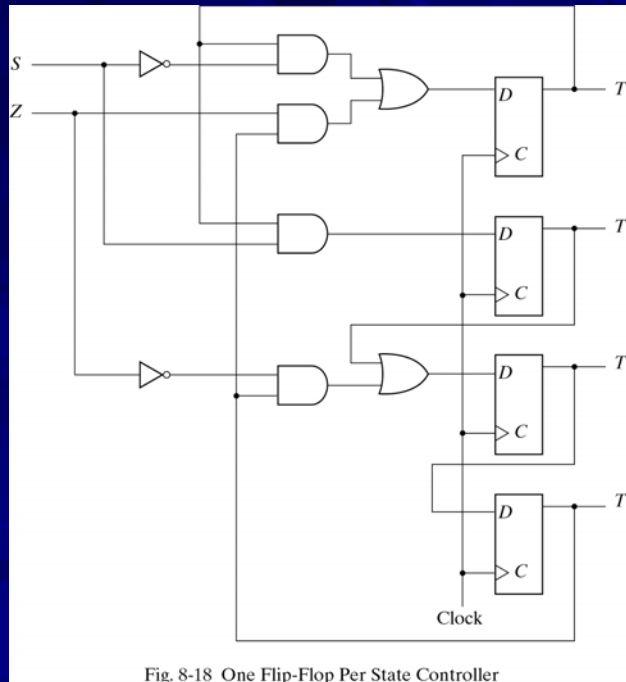
Fig. 8-15 Control Specifications for Binary Multiplier

$$D_{T_0} = T_0 \bar{S} + T_3 Z$$

$$D_{T_1} = T_0 S$$

$$D_{T_2} = T_1 + T_3 \bar{Z}$$

$$D_{T_3} = T_2$$



Design with multiplexers

- The previous design consists of flip-flops, decoder, and gates.
- Replacing gates with multiplexers results in a regular pattern of the design.
 - First level contains multiplexers (possibly added gates, but only one level.
 - The second level is the registers to hold the present state information
 - The last stage has a decoder that provides a separate output for every state

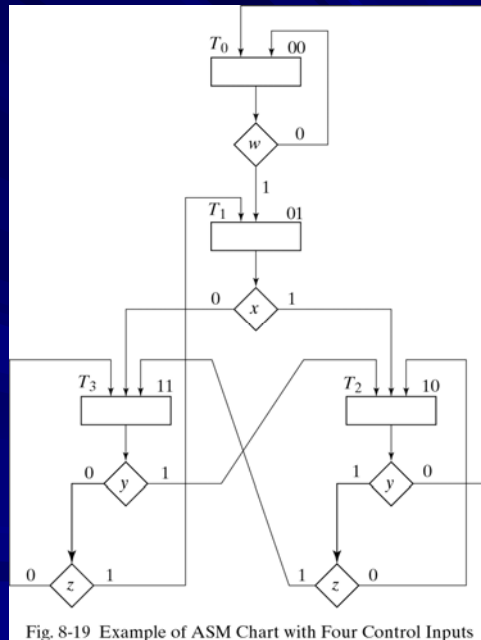
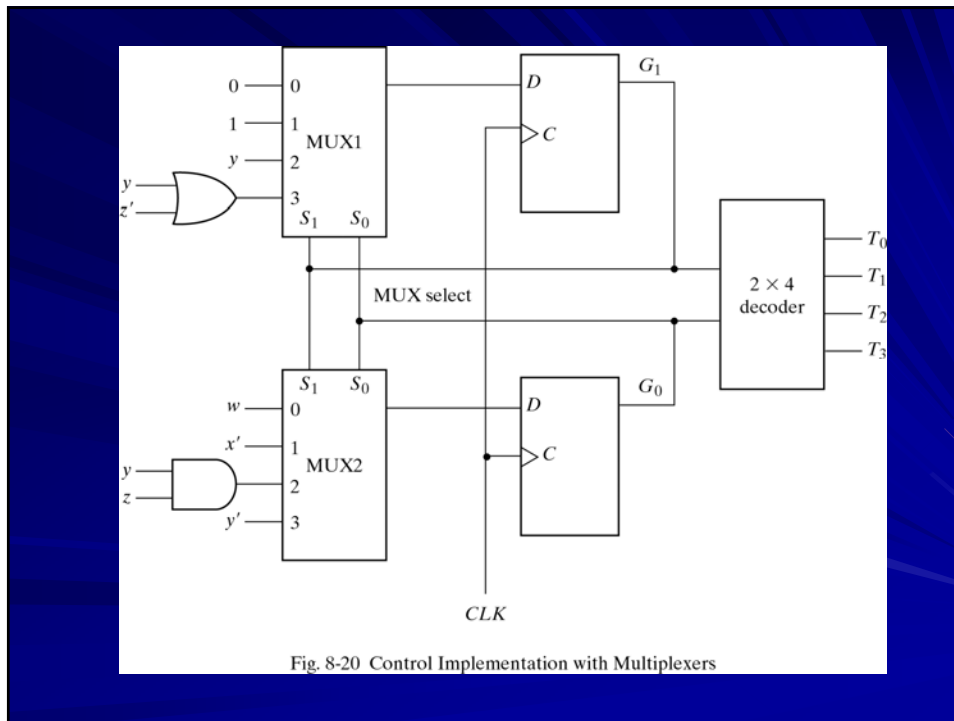


Fig. 8-19 Example of ASM Chart with Four Control Inputs

Multiplexer input condition

Present State		next State		I/P	inputs	
G1	G0	G1	G0	cond.	MUX1	MUX2
0	0	0	0	w'		
0	0	0	1	w	0	w
0	1	1	0	x		
0	1	1	1	x'	1	x'
1	0	0	0	y'		
1	0	1	0	yz'	$yz'+yz=y$	yz
1	0	1	1	yz		
1	1	0	1	$y'z$		
1	1	1	0	y	$y+y'z=y+z$	$y'z+y'z'=y'$
1	1	1	1	$y'z'$		



Counting the number of 1's

- The system counts the number of 1's in R1, and set R2 accordingly.
- The bits in R1 are shifted one at a time, checking if the shifted out bit is 1 or 0, and incrementing R2
- Z is a signal to indicate if R1 contains all 0's or not.
- E is the output of the flip-flop (the shifted out bit).

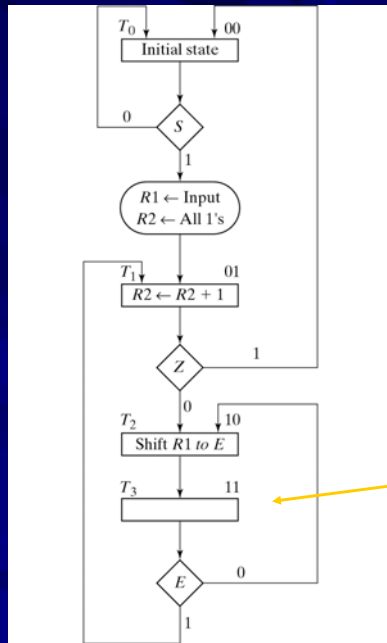


Fig. 8-21 ASM Chart for Count-of-Ones Circuit

?

E could not be checked in the same block as T2 since the shift to E will not happen until the end of the cycle.

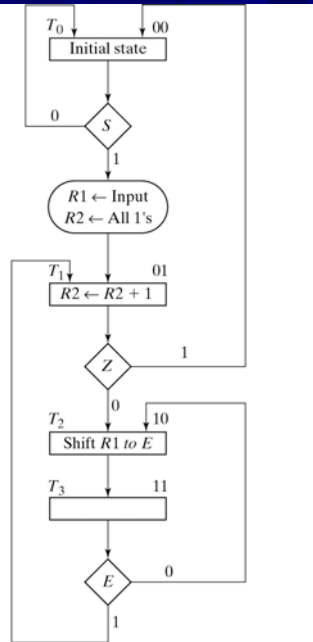
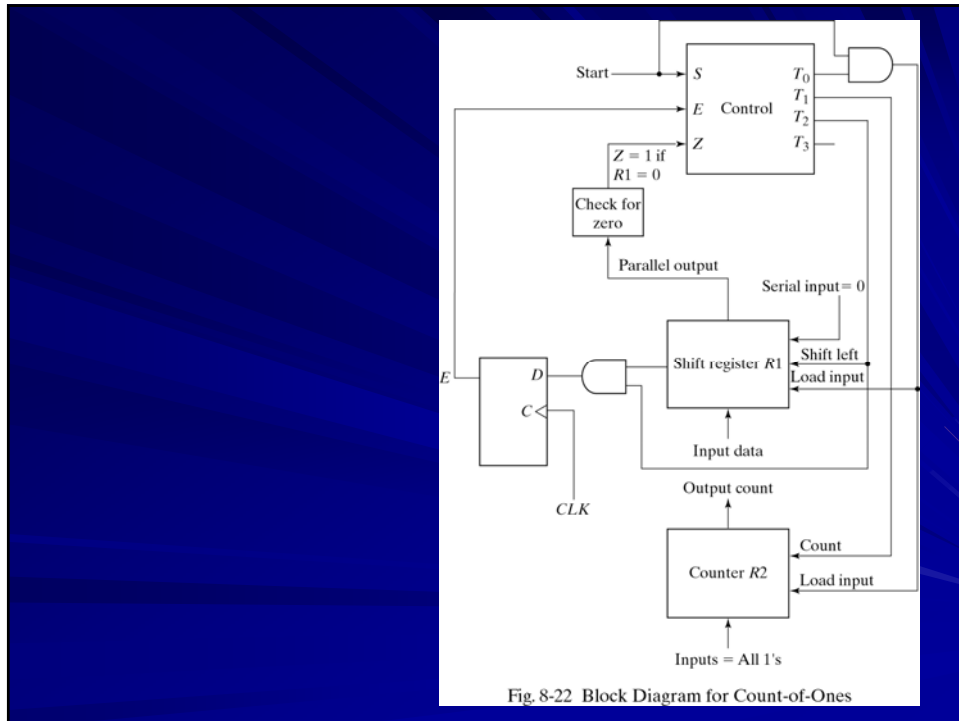


Fig. 8-21 ASM Chart for Count-of-Ones Circuit



Control (counting of 1's)

Present State		Next State		Conditions	MUX inputs	
G1	G0	G1	G0		MUX1	MUX2
0	0	0	0	S'		
0	0	0	1	S	0	S
0	1	0	0	Z		
0	1	1	0	Z'	Z'	0
1	0	1	1		1	1
1	1	1	0	E'		
1	1	0	1	E	E'	E

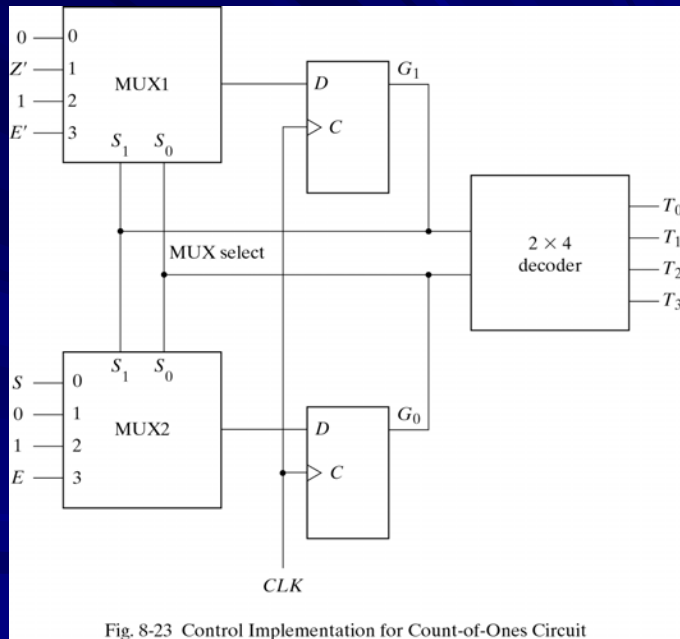


Fig. 8-23 Control Implementation for Count-of-Ones Circuit

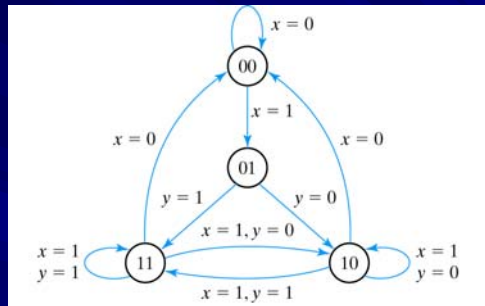


Fig. P8-10 Control State Diagram for Problems 8-10 and 8-11

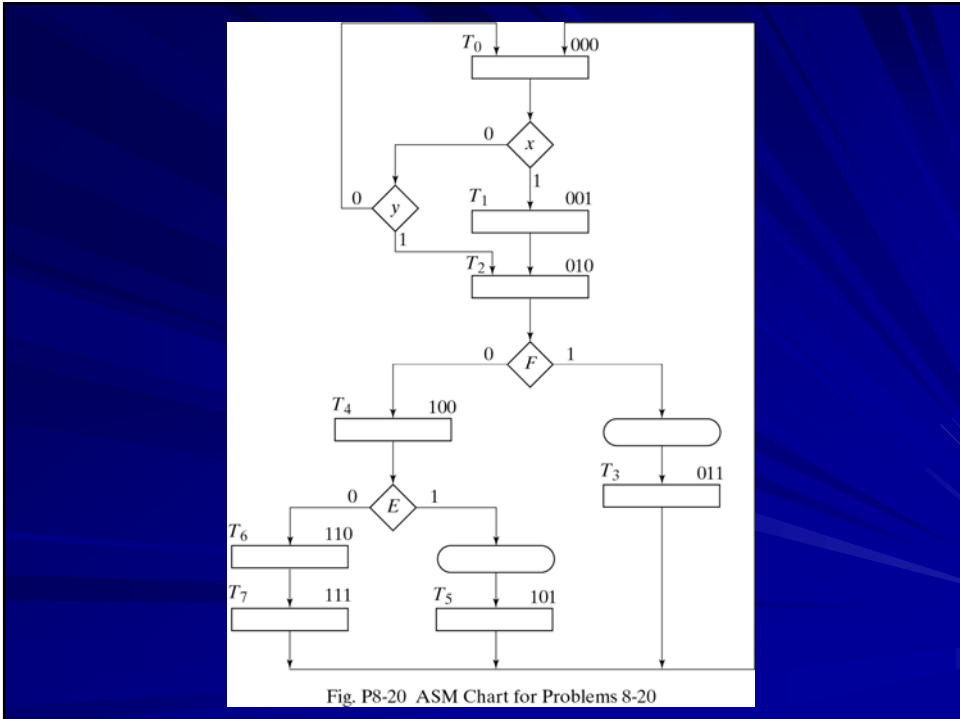


Fig. P8-20 ASM Chart for Problems 8-20