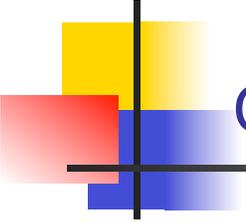


# Path Testing – Creating Test Cases

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Chapter 9



## CFG question

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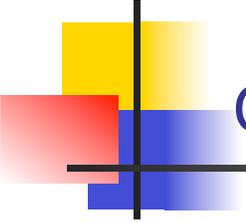
- **What is the control flow graph  
– DD-path graph for the following?**

**if  $a < b$  then  $c = a + b$  ;  $d = a * b$**

**else  $c = a * b$  ;  $d = a + b$**

**if  $c < d$  then  $x = a + c$  ;  $y = b + d$**

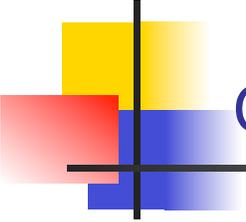
**else  $x = a * c$  ;  $y = b * d$**



## Creating a test case – key question

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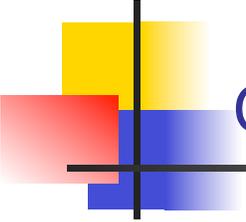
- **What is the key question that needs to be answered to be able to create a test for a path?**



## Create a test case – key question – 2

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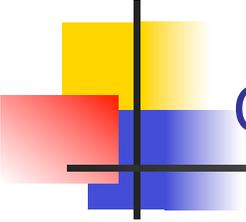
- The key question is:
  - **How to make the path execute, if possible.**
    - Generate input data that satisfies all the conditions on the path.



## Create a test case – key items

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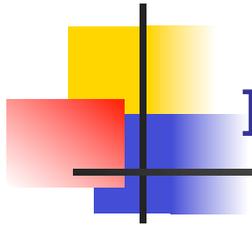
- **What are the key items you need to generate a test case for a path?**



## Create a test case – key items – 2

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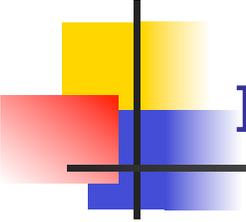
- Key items needed to generate a test case
  - Input vector
  - Predicate
  - Path predicate
  - Predicate interpretation
  - Path predicate expression
  - Create test input from path predicate expression



## Input Vector

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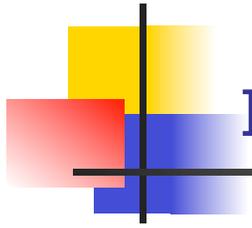
- **What is an input vector?**



## Input Vector – 2

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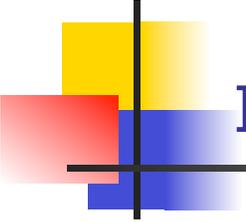
- An input vector is a collection of all data entities read by the routine whose values must be fixed prior to entering the routine.



## Input Vector – 3

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- **What are the members of an input vector?**



## Input Vector – 4

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- Members of an input vector can be as follows.
  - Input arguments to the routine
  - Global variables and constants
  - Files
  - Contents of registers (in Assembly language programming)
  - Network connections
  - Timers



## Predicate

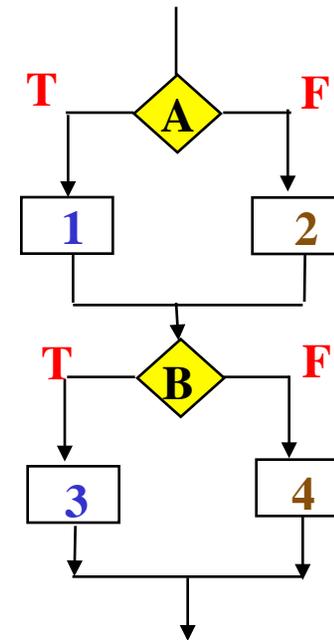
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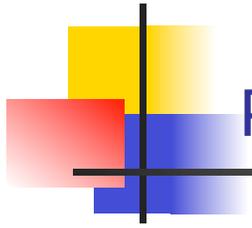
- **What is a predicate?**

## Predicate – 2

- A predicate is a logical function evaluated at a decision point.
  - Example
    - In the following each of  $a < b$  and  $c < d$  are predicates

**if  $a < b$  then  $c = a + b$  ;  $d = a * b$**   
**else  $c = a * b$  ;  $d = a + b$**   
**if  $c < d$  then  $x = a + c$  ;  $y = b + d$**   
**else  $x = a * c$  ;  $y = b * d$**





## Path predicate

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- **What is a path predicate?**

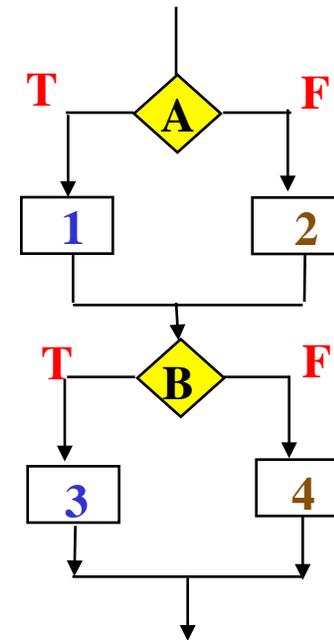
## Path predicate – 2

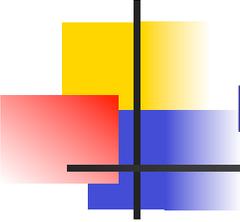
- A path predicate is the set of predicates associated with a path.

- Example

- In the following  **$a < b = \text{true} \ \& \ c < d = \text{false}$**  is a path predicate

**if  $a < b$  then  $c = a + b$  ;  $d = a * b$   
else  $c = a * b$  ;  $d = a + b$   
if  $c < d$  then  $x = a + c$  ;  $y = b + d$   
else  $x = a * c$  ;  $y = b * d$**

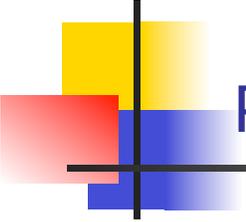




## Predicate Interpretation

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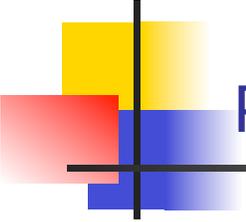
- A path predicate may contain local variables.
- Local variables play no role in selecting inputs that force a path to execute.
- Local variables can be eliminated with **symbolic execution**.
  - Symbolically substituting operations along a path in order to express the predicate solely in terms of the input vector and a constant vector.
- A predicate may have different interpretations depending on how control reaches the predicate.



## Path Predicate Expression

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- An interpreted path predicate is called a path predicate expression.
- A path predicate expression has the following attributes.
  - It has no local variables.
  - It is a set of constraints in terms of the input vector, and, maybe, constants.
  - Path forcing inputs can be generated by solving the constraints.
  - If a path predicate expression has no solution, the path is infeasible.

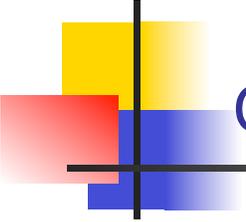


## Path Predicate Generating Input Values

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**if  $a < b$  then  $c = a + b$  ;  $d = a * b$**   
**else  $c = a * b$  ;  $d = a + b$**   
**if  $c < d$  then  $x = a + c$  ;  $y = b + d$**   
**else  $x = a * c$  ;  $y = b * d$**

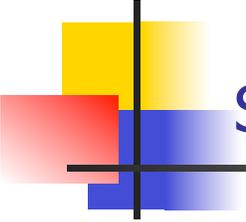
- Path predicate:  **$a < b = \text{true} \ \& \ c < d = \text{false}$**
- Substitute for c and d:  
 **$a < b = \text{true} \ \& \ a + b < a * b = \text{false}$**   
 **$\rightarrow a < b \ \& \ a + b \geq a * b$**
- Solve for a and b:  **$a = 0 \ \& \ b = 1$**   
Solutions are not unique
- We have a feasible path, since a solution exists.
- Can have infeasible paths, if there is no solution to the constraints



## Can have decision table

	<b>A1B3</b>	<b>A1B4</b>	<b>A2B3</b>	<b>A2B4</b>
<b>A &lt; B</b>	<b>T</b>	<b>T</b>	<b>F</b>	<b>F</b>
<b>C &lt; D</b>	<b>T</b>	<b>F</b>	<b>T</b>	<b>F</b>
<b>A value</b>	<b>2</b>	<b>0</b>	<b>1</b>	<b>5</b>
<b>B value</b>	<b>5</b>	<b>1</b>	<b>0</b>	<b>2</b>

Paths **A1B3** and **A2B4** give statement coverage  
Or paths **A1B4** and **A2B3** give statement coverage



## Selecting paths

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- A program unit may contain a large number of paths.
  - Path selection becomes a problem. Some selected paths may be infeasible.
  - Apply a path selection strategy:
    - Select as many short paths as possible.
    - Choose longer paths.
  - Make an effort to write program text with fewer or no infeasible paths.