

CSE3213 Computer Network I

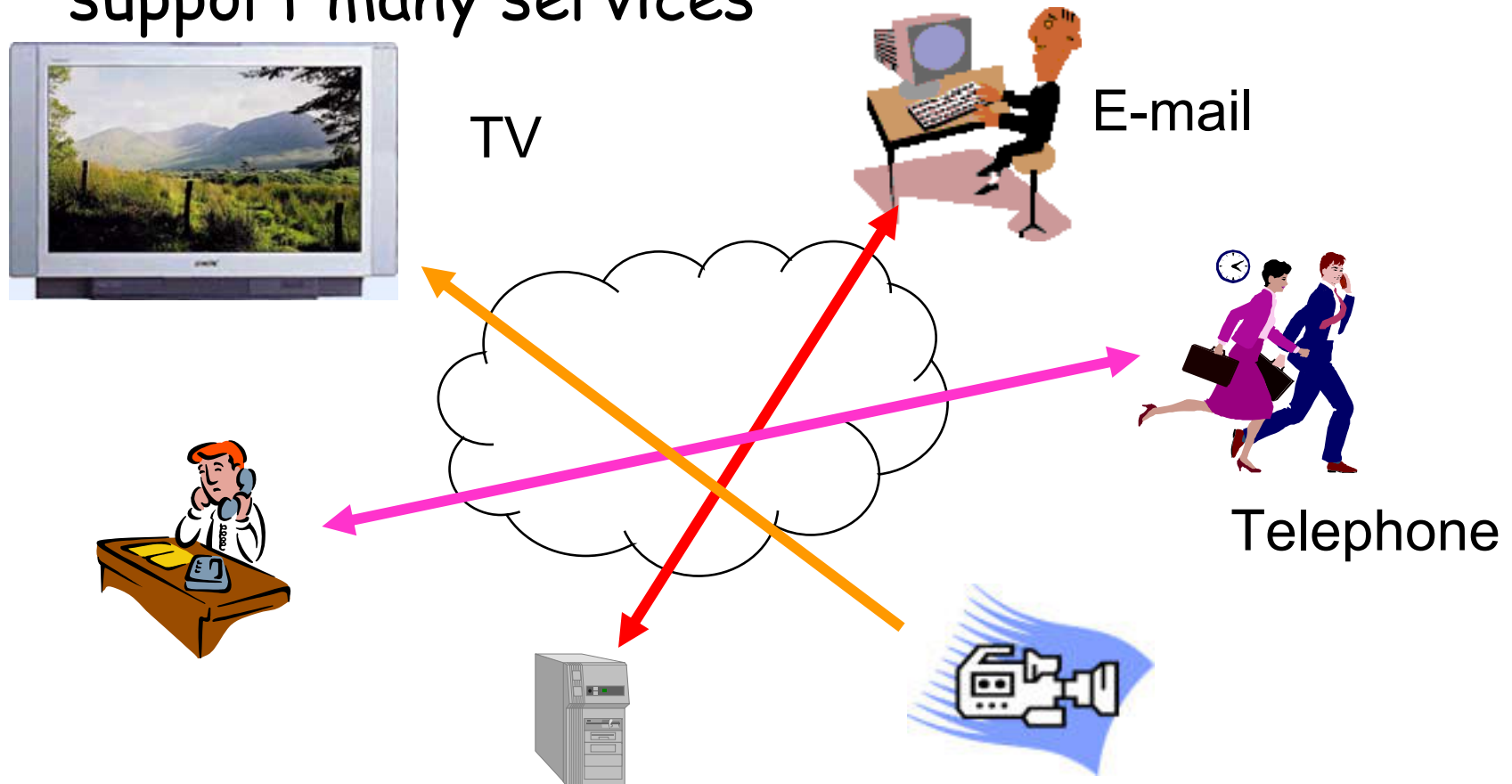
Chapter 3 Digital Transmission Fundamentals

Course page:
<http://www.cse.yorku.ca/course/3213>

Slides modified from Alberto Leon-Garcia and Indra Widjaja

Digital Networks

- Digital transmission enables networks to support many services



Questions of Interest

- How long will it take to transmit a message?
 - How many bits are in the message (text, image)?
 - How fast does the network/system transfer information?
- Can a network/system handle a voice (video) call?
 - How many bits/second does voice/video require? At what quality?
- How long will it take to transmit a message without errors?
 - How are errors introduced?
 - How are errors detected and corrected?
- What transmission speed is possible over radio, copper cables, fiber, infrared, ...?

Digital Representation of Information

Bits, numbers, information

- Bit: number with value 0 or 1
 - n bits: digital representation for $0, 1, \dots, 2^n$
 - Byte or Octet, $n = 8$
 - Computer word, $n = 16, 32, \text{ or } 64$
- n bits allows enumeration of 2^n possibilities
 - n -bit field in a header
 - n -bit representation of a voice sample
 - Message consisting of n bits
- *The number of bits required to represent a message is a measure of its information content*
 - More bits \rightarrow More content

Block vs. Stream Information

Block

- Information that occurs in a single block
 - Text message
 - Data file
 - JPEG image
 - MPEG file
- Size = Bits / block
or bytes/block
 - 1 kbyte = 2^{10} bytes
 - 1 Mbyte = 2^{20} bytes
 - 1 Gbyte = 2^{30} bytes

Stream

- Information that is produced & transmitted *continuously*
 - Real-time voice
 - Streaming video
- Bit rate = bits / second
 - 1 kbps = 10^3 bps
 - 1 Mbps = 10^6 bps
 - 1 Gbps = 10^9 bps

Transmission Delay

- L number of bits in message
- R bps speed of digital transmission system
- L/R time to transmit the information
- t_{prop} time for signal to propagate across medium
- d distance in meters
- c speed of light (3×10^8 m/s in vacuum)

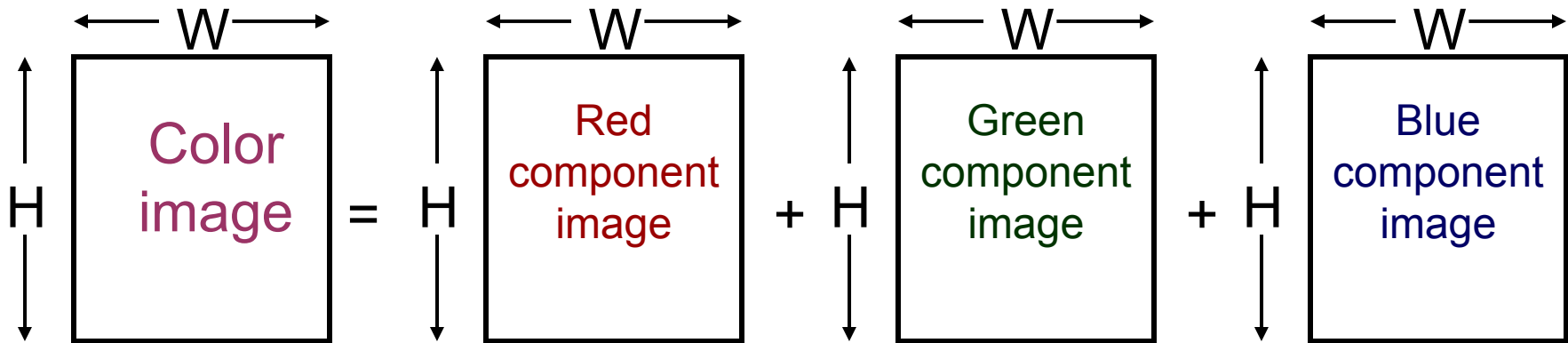
$$\text{Delay} = t_{\text{prop}} + L/R = d/c + L/R \text{ seconds}$$

Use data compression to reduce L
Use higher speed modem to increase R
Place server closer to reduce d

Compression

- Information usually not represented efficiently
- Data compression algorithms
 - Represent the information using fewer bits
 - Noiseless: original information recovered exactly
 - E.g. zip, compress, GIF, fax
 - Noisy: recover information approximately
 - JPEG
 - Tradeoff: # bits vs. quality
- Compression Ratio
$$\text{\#bits (original file)} / \text{\#bits (compressed file)}$$

Color Image



Total bits = $3 \times H \times W$ pixels \times B bits/pixel = $3HWB$ bits

Example: 8×10 inch picture at 400×400 pixels per inch²

$400 \times 400 \times 8 \times 10 = 12.8$ million pixels

8 bits/pixel/color

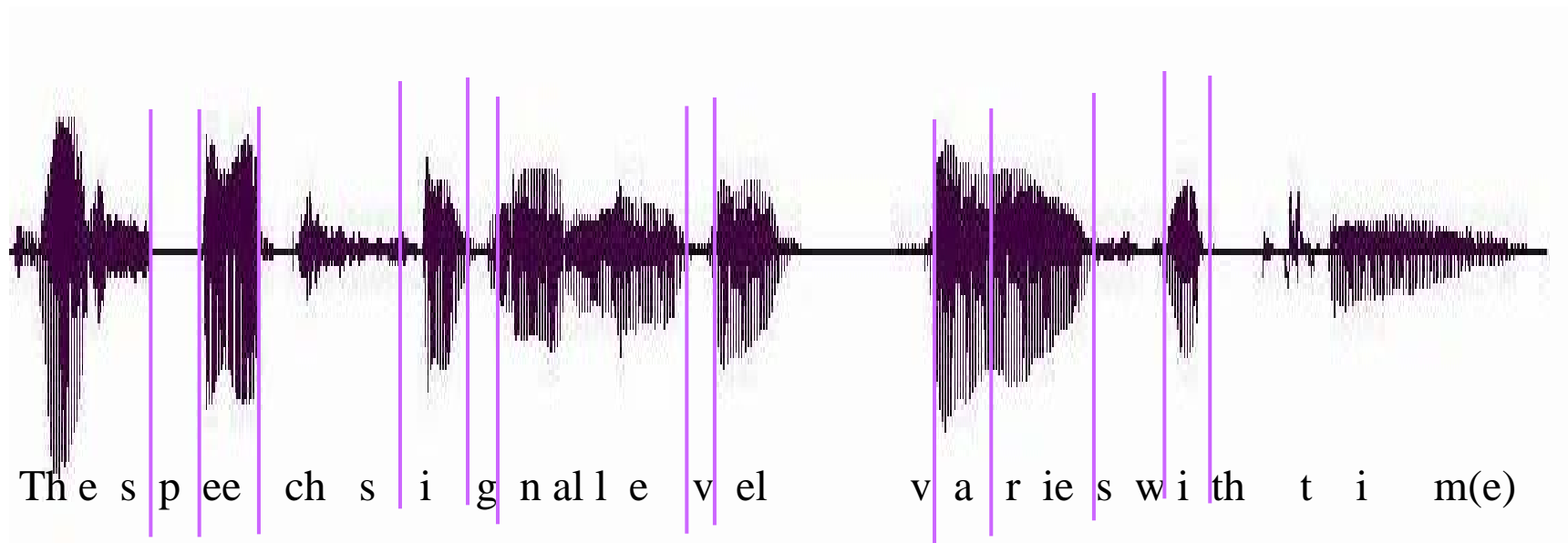
12.8 megapixels \times 3 bytes/pixel = 38.4 megabytes

Examples of Block Information

Type	Method	Format	Original	Compressed(Ratio)
Text	Zip, compress	ASCII	Kbytes- Mbytes	(2-6)
Fax	CCITT Group 3	A4 page 200x100 pixels/in ²	256 kbytes	5-54 kbytes (5-50)
Color Image	JPEG	8x10 in ² photo 400 ² pixels/in ²	38.4 Mbytes	1-8 Mbytes (5-30)

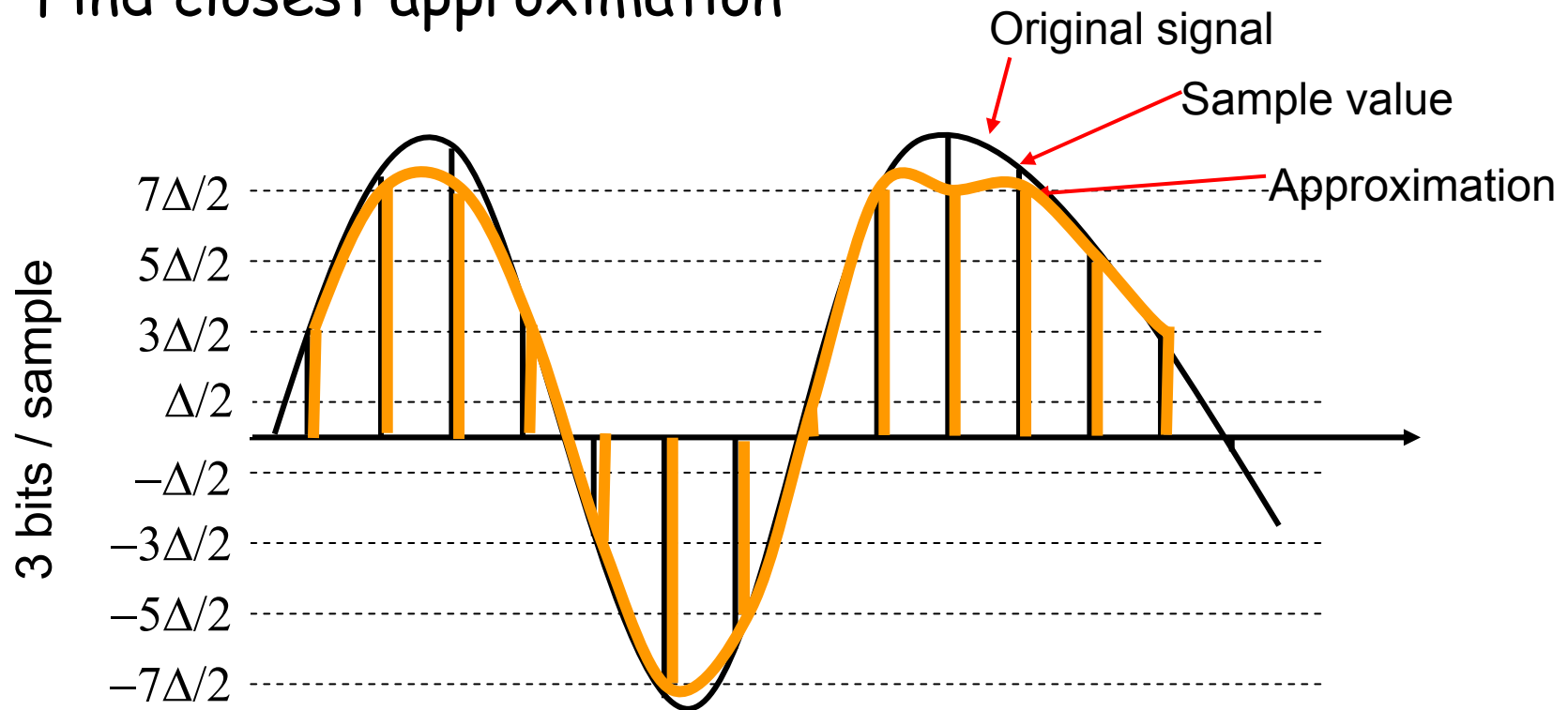
Stream Information

- A real-time voice signal must be digitized & transmitted as it is produced
- Analog signal level varies continuously in time



Digitization of Analog Signal

- Sample analog signal in time and amplitude
- Find closest approximation



$$R_s = \text{Bit rate} = \# \text{ bits/sample} \times \# \text{ samples/second}$$

Bit Rate of Digitized Signal

- Bandwidth W_s Hertz: how fast the signal changes
 - Higher bandwidth \rightarrow more frequent samples
 - Minimum sampling rate = $2 \times W_s$
- Representation accuracy: range of approximation error
 - Higher accuracy
 - \rightarrow smaller spacing between approximation values
 - \rightarrow more bits per sample

Example: Voice & Audio

Telephone voice

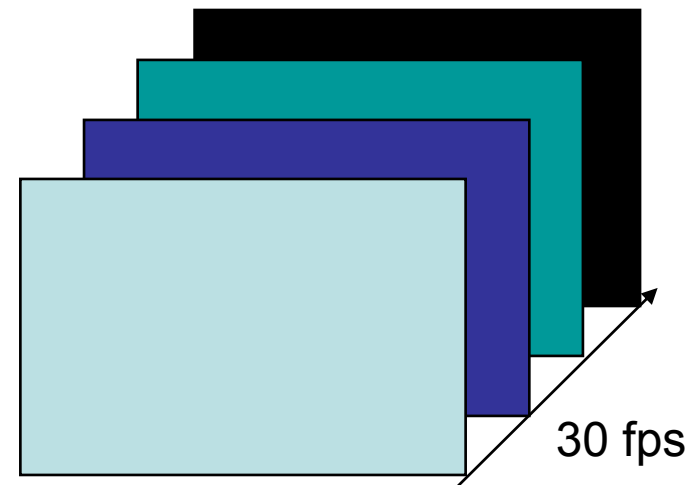
- $W_s = 4 \text{ kHz} \rightarrow 8000 \text{ samples/sec}$
- 8 bits/sample
- $R_s = 8 \times 8000 = 64 \text{ kbps}$
- Cellular phones use more powerful compression algorithms: 8-12 kbps

CD Audio

- $W_s = 22 \text{ kHz} \rightarrow 44000 \text{ samples/sec}$
- 16 bits/sample
- $R_s = 16 \times 44000 = 704 \text{ kbps}$ per audio channel
- MP3 uses more powerful compression algorithms: 50 kbps per audio channel

Video Signal

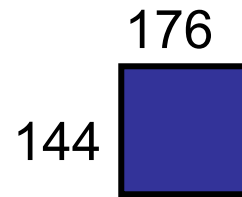
- Sequence of picture frames
 - Each picture digitized & compressed
- Frame repetition rate
 - 10-30-60 frames/second depending on quality
- Frame resolution
 - Small frames for videoconferencing
 - Standard frames for conventional broadcast TV
 - HDTV frames



$$\text{Rate} = M \text{ bits/pixel} \times (W \times H) \text{ pixels/frame} \times F \text{ frames/second}$$

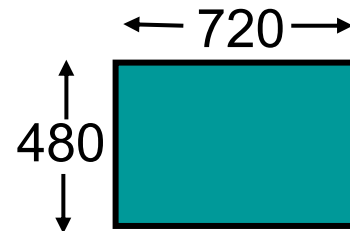
Video Frames

QCIF videoconferencing



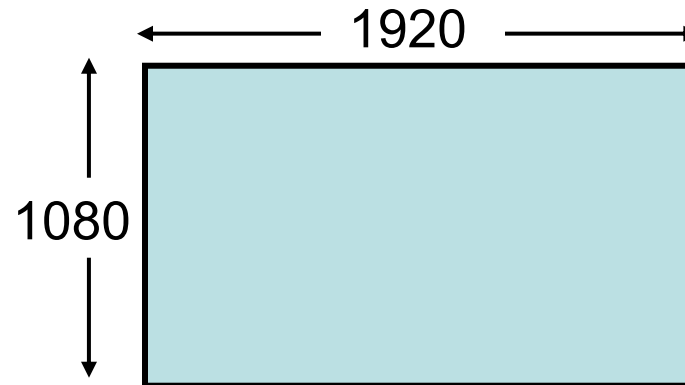
at 30 frames/sec =
760,000 pixels/sec

Broadcast TV



at 30 frames/sec =
 10.4×10^6 pixels/sec

HDTV



at 30 frames/sec =
 67×10^6 pixels/sec

Digital Video Signals

Type	Method	Format	Original	Compressed
Video Confer- ence	H.261	176x144 or 352x288 pix @10-30 fr/sec	2-36 Mbps	64-1544 kbps
Full Motion	MPEG2	720x480 pix @30 fr/sec	249 Mbps	2-6 Mbps
HDTV	MPEG2	1920x1080 @30 fr/sec	1.6 Gbps	19-38 Mbps

Transmission of Stream Information

- Constant bit-rate
 - Signals such as digitized telephone voice produce a steady stream: e.g. 64 kbps
 - Network must support steady transfer of signal, e.g. 64 kbps circuit
- Variable bit-rate
 - Signals such as digitized video produce a stream that varies in bit rate, e.g. according to motion and detail in a scene
 - Network must support variable transfer rate of signal, e.g. packet switching or rate-smoothing with constant bit-rate circuit

Stream Service Quality Issues

Network Transmission Impairments

- Delay: Is information delivered in timely fashion?
- Jitter: Is information delivered in sufficiently smooth fashion?
- Loss: Is information delivered without loss?
If loss occurs, is delivered signal quality acceptable?
- Applications & application layer protocols developed to deal with these impairments

Why Digital Communications?

A Transmission System



Transmitter

- Converts information into *signal*/suitable for transmission
- Injects energy into communications medium or channel
 - Telephone converts voice into electric current
 - Modem converts bits into tones

Receiver

- Receives energy from medium
- Converts received signal into form suitable for delivery to user
 - Telephone converts current into voice
 - Modem converts tones into bits

Transmission Impairments



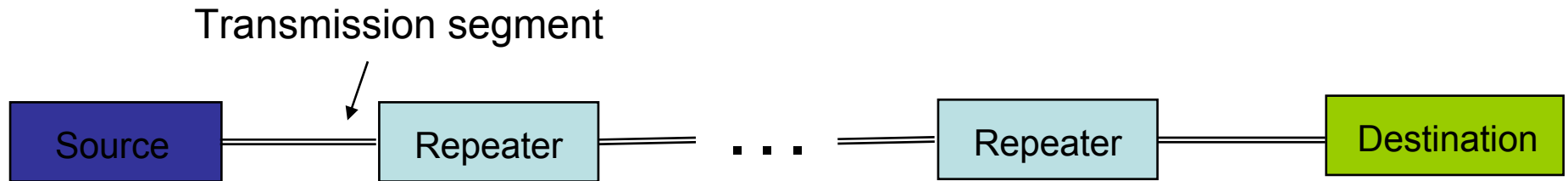
Communication Channel

- Pair of copper wires
- Coaxial cable
- Radio
- Light in optical fiber
- Light in air
- Infrared

Transmission Impairments

- Signal attenuation
- Signal distortion
- Spurious noise
- Interference from other signals

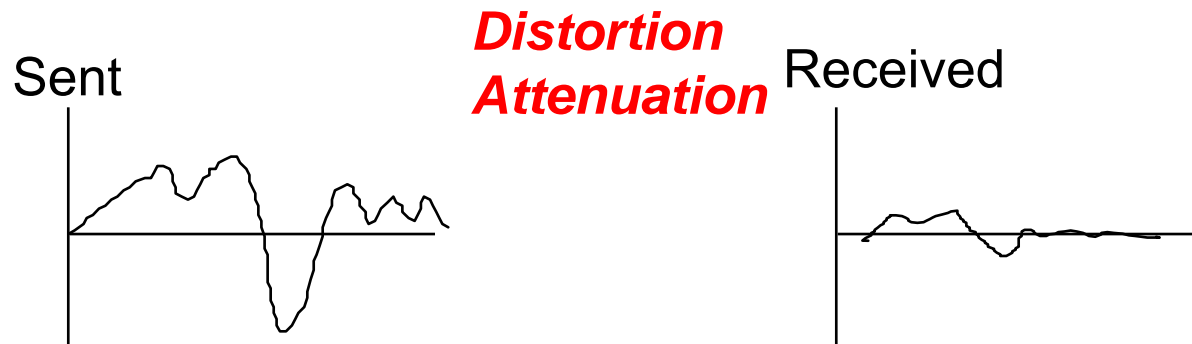
Analog Long-Distance Communications



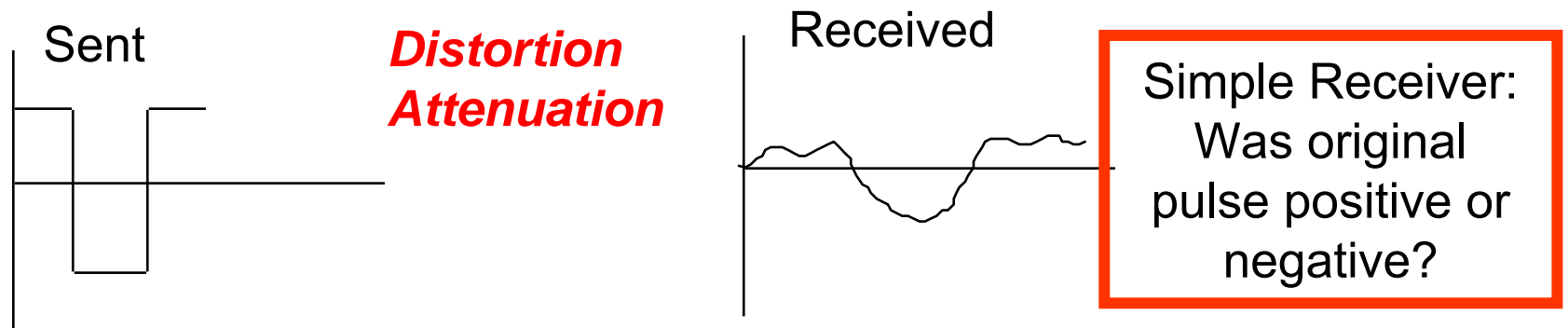
- Each repeater attempts to restore analog signal to its original form
- Restoration is imperfect
 - Distortion is not completely eliminated
 - Noise & interference is only partially removed
- Signal quality decreases with # of repeaters
- Communications is distance-limited
- Still used in analog cable TV systems
- Analogy: Copy a song using a cassette recorder

Analog vs. Digital Transmission

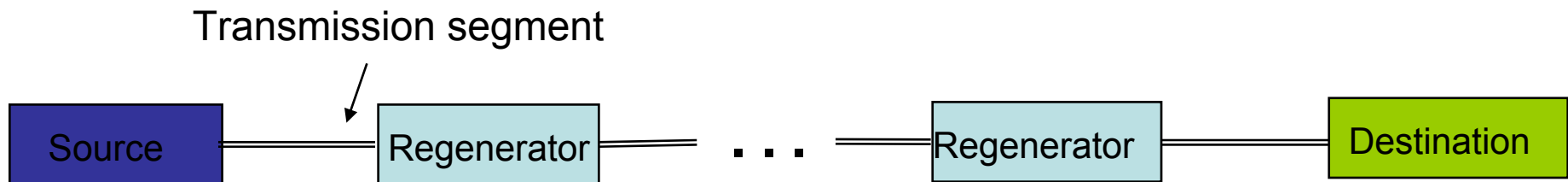
Analog transmission: all details must be reproduced accurately



Digital transmission: only discrete levels need to be reproduced

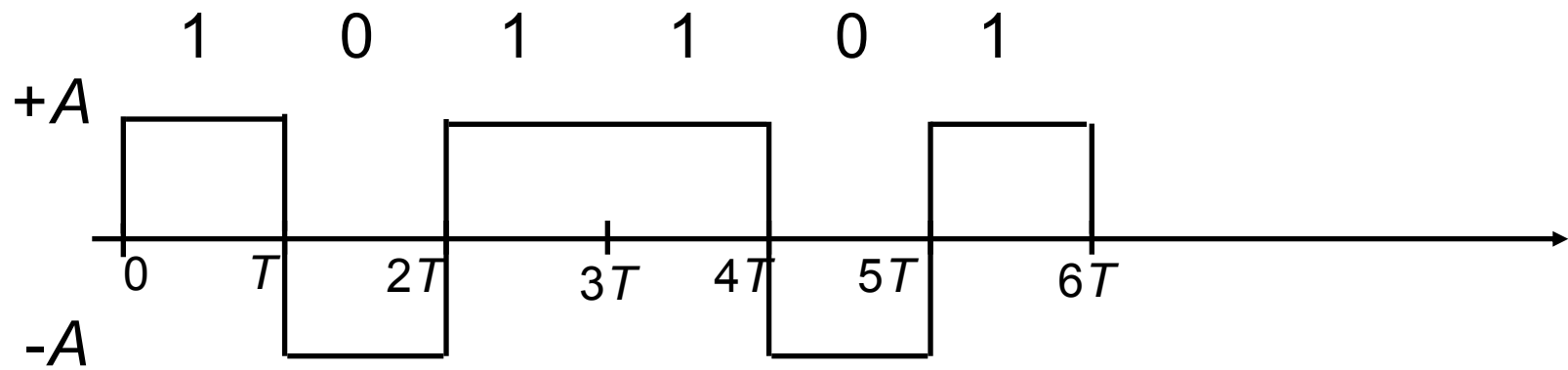


Digital Long-Distance Communications



- Regenerator recovers original data sequence and retransmits on next segment
- Can design so error probability is very small
- Then each regeneration is like the first time!
- Analogy: copy an MP3 file
- Communications is possible over very long distances
- Digital systems vs. analog systems
 - Less power, longer distances, lower system cost
 - Monitoring, multiplexing, coding, encryption, protocols...

Digital Binary Signal



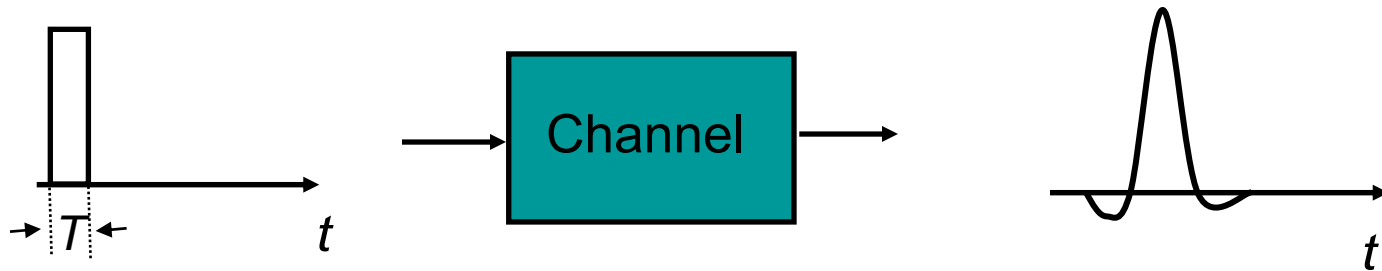
$$\text{Bit rate} = 1 \text{ bit} / T \text{ seconds}$$

For a given communications medium:

- How do we increase transmission speed?
- How do we achieve reliable communications?
- Are there limits to speed and reliability?

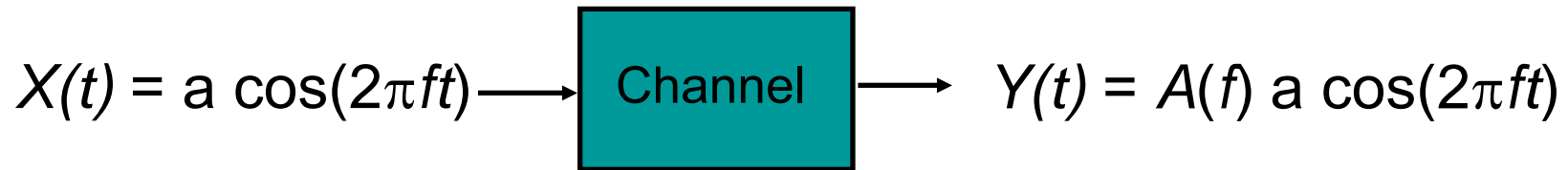
Pulse Transmission Rate

- Objective: Maximize pulse rate through a channel, that is, make T as small as possible

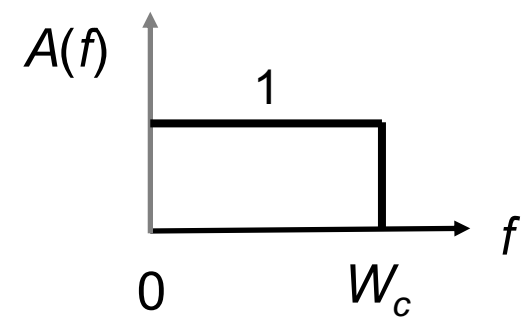


- If input is a narrow pulse, then typical output is a spread-out pulse with ringing
 - Question: How frequently can these pulses be transmitted without interfering with each other?
 - Answer: $2 \times W_c$ pulses/second
- where W_c is the bandwidth of the channel

Bandwidth of a Channel



- If input is sinusoid of frequency f , then
 - output is a sinusoid of same frequency f
 - Output is attenuated by an amount $A(f)$ that depends on f
 - $A(f) \approx 1$, then input signal passes readily
 - $A(f) \approx 0$, then input signal is blocked
- Bandwidth W_c is range of frequencies passed by channel



Ideal low-pass
channel

Multilevel Pulse Transmission

- Assume channel of bandwidth W_c , and transmit $2 W_c$ pulses/sec (without interference)
- If pulses amplitudes are either $-A$ or $+A$, then each pulse conveys 1 bit, so

$$\text{Bit Rate} = 1 \text{ bit/pulse} \times 2 W_c \text{ pulses/sec} = 2 W_c \text{ bps}$$

- If amplitudes are from $\{-A, -A/3, +A/3, +A\}$, then bit rate is $2 \times 2 W_c$ bps
- By going to $M = 2^m$ amplitude levels, we achieve

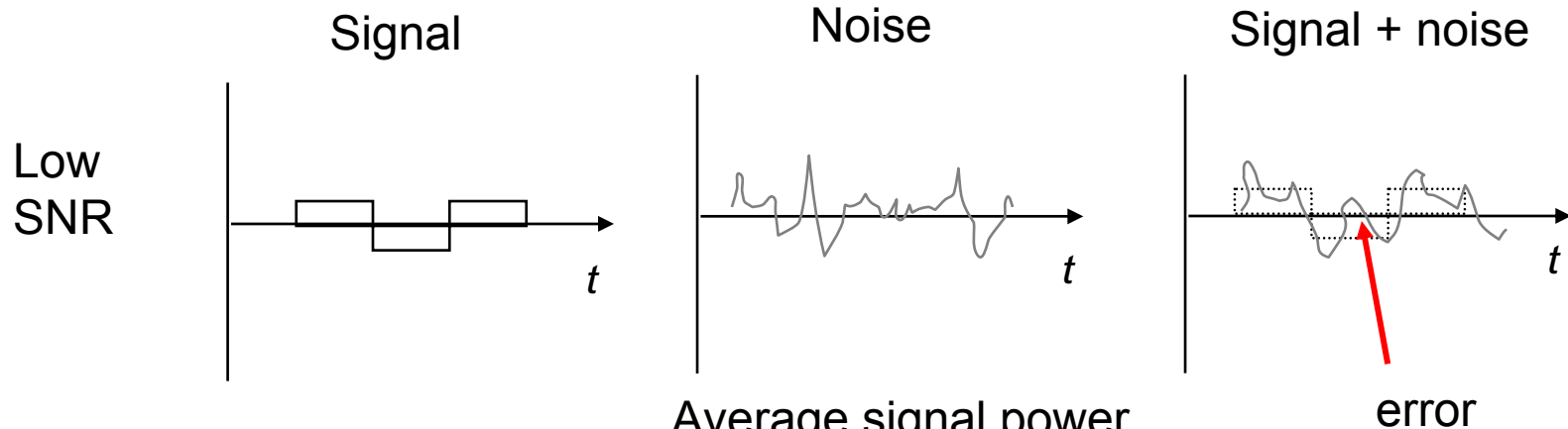
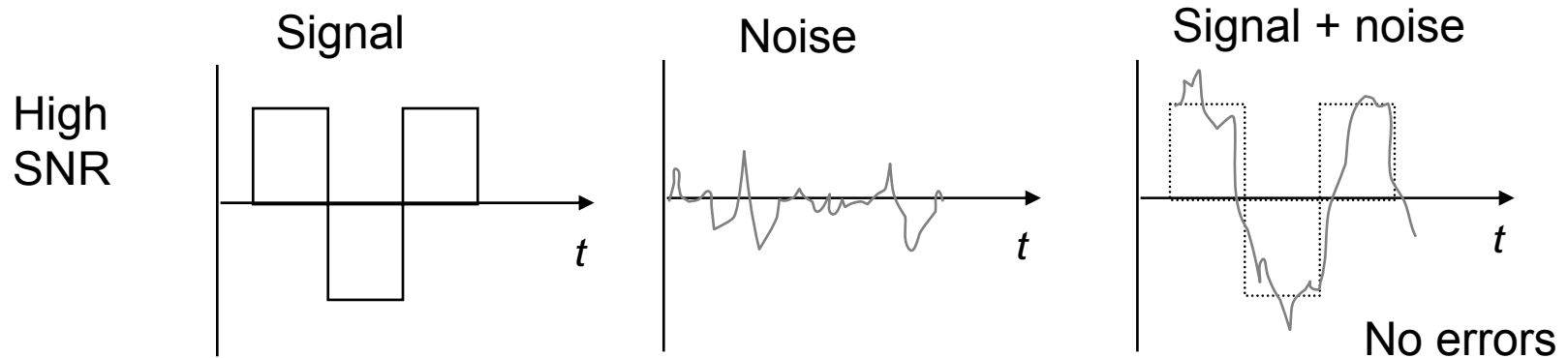
$$\text{Bit Rate} = m \text{ bits/pulse} \times 2 W_c \text{ pulses/sec} = 2mW_c \text{ bps}$$

In the absence of noise, the bit rate can be increased without limit by increasing m

Noise & Reliable Communications

- All physical systems have noise
 - Electrons always vibrate at non-zero temperature
 - Motion of electrons induces noise
- Presence of noise limits accuracy of measurement of received signal amplitude
- Errors occur if signal separation is comparable to noise level
- Bit Error Rate (BER) increases with decreasing signal-to-noise ratio
- Noise places a limit on how many amplitude levels can be used in pulse transmission

Signal-to-Noise Ratio



$$\text{SNR} = \frac{\text{Average signal power}}{\text{Average noise power}}$$

$$\text{SNR (dB)} = 10 \log_{10} \text{SNR}$$

Shannon Channel Capacity

$$C = W_c \log_2 (1 + SNR) \text{ bps}$$

- Arbitrarily reliable communications is possible if the transmission rate $R < C$.
- If $R > C$, then arbitrarily reliable communications is not possible.
- “Arbitrarily reliable” means the BER can be made arbitrarily small through sufficiently complex coding.
- C can be used as a measure of how close a system design is to the best achievable performance.
- Bandwidth W_c & SNR determine C

Example

- Find the Shannon channel capacity for a telephone channel with $W_c = 3400$ Hz and $SNR = 10000$

$$\begin{aligned} C &= 3400 \log_2 (1 + 10000) \\ &= 3400 \log_{10} (10001) / \log_{10} 2 = 45200 \text{ bps} \end{aligned}$$

Note that $SNR = 10000$ corresponds to
 $SNR \text{ (dB)} = 10 \log_{10}(10001) = 40 \text{ dB}$

Bit Rates of Digital Transmission Systems

System	Bit Rate	Observations
Telephone twisted pair	33.6-56 kbps	4 kHz telephone channel
Ethernet twisted pair	10 Mbps, 100 Mbps	100 meters of unshielded twisted copper wire pair
Cable modem	500 kbps-4 Mbps	Shared CATV return channel
ADSL twisted pair	64-640 kbps in, 1.536-6.144 Mbps out	Coexists with analog telephone signal
2.4 GHz radio	2-11 Mbps	IEEE 802.11 wireless LAN
28 GHz radio	1.5-45 Mbps	5 km multipoint radio
Optical fiber	2.5-10 Gbps	1 wavelength
Optical fiber	>1600 Gbps	Many wavelengths

Examples of Channels

Channel	Bandwidth	Bit Rates
Telephone voice channel	3 kHz	33 kbps
Copper pair	1 MHz	1-6 Mbps
Coaxial cable	500 MHz (6 MHz channels)	30 Mbps/ channel
5 GHz radio (IEEE 802.11)	300 MHz (11 channels)	54 Mbps / channel
Optical fiber	Many TeraHertz	40 Gbps / wavelength