$1 \ {\rm of} \ 16$

EECS-3421A: Test #2

"Queries"

Electrical Engineering & Computer Science Lassonde School of Engineering York University

Family Name:	
Given Name:	
Student#:	
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Instructor:	Parke Godfrey	
Exam Duration:	75 minutes	
Term:	Fall 2016	
Instructions		

• rules

- The test is closed-note, closed-book. Use of a calculator is permitted.

- answers
 - Should you feel a question needs an assumption to be able to answer it, write the assumptions you need along with your answer.
 - If you need more room to write an answer, indicate where you are continuing the answer.
 - For multiple choice questions, choose *one* best answer for each of the following. There is no negative penalty for a wrong answer.
- notation
 - For schema, the <u>underlined</u> attributes indicate a table's primary key (and are, hence, not nullable). Attributes in *italics* are not nullable. Foreign keys are indicated by FK.
 Assume *set* semantics for relational-algebra expressions.
- points
 - The number of points a given question is worth is marked.
 - There are five major parts worth 10 points each, for 50 points in total.

	Marking Box	
1.		/10
2.		/10
3.		/10
4.		/10
5.		/10
Total		/50

1. [10pt] Relational Algebra. Quadratic queries!

[SHORT ANSWER]

For Questions 1a to 1c, use the Colours schema in Figure 1 on page 15 (as used in examples in class) to write *relational-algebra* queries for the English questions posed.

a. [2pt] Show customers by cust# and cname who have bought a *pink* (colour) *Lamborghini* (prod#).

b. [2pt] Show products by $\mathsf{prod}\#$ and pname that are owned by at least two customers.

c. [2pt] For each available colour (colour), show the most expensive product by prod# and pname that comes in that colour. (In case of ties for most expensive, list all in the tie.)

F	2	5	5		Г
Α	В	В	С	Α	С
a	b	f	b	g	a
с	b	b	d	a	b
е	f	h	a	i	с
g	h	h	с	е	d
i	h	b	е	с	е

Consider the three tables ${\sf R},\,{\sf S},\,\&\,{\sf T}$ above for Questions 1d & 1e.

d. [2pt] Show the results of $\mathbf{R} \bowtie \mathbf{S}$.

e. [2pt] Show the results of $\mathbf{R} \bowtie (\mathbf{S} \bowtie \mathbf{T})$.

2. (10 points) SQL. Some Quidditch League!

[Exercise]

Consider the Movie database with the schema in Figure 2 on page 15 for the questions below.

a. [5pt] Write an SQL query for the following.

List each actor by name, gender, role, and the minutes they appear on screen in that role in a given movie by title, studio, and year such that "Hampton Fancher" was an author of the screenplay of the movie and the movie's genre is "SciFi".

b. [5pt] For each movie, report how many male actors and how many female actresses—gender = 'M' for *male* and gender = 'F' for *female*—were *cast* in the movie in columns male and female, respectively.

Only count a given actor or actress *once* per movie; that is, that a person may have played several *characters* (*roles*) in the movie does *not* count multiple times.

For full credit, the column male or female should report '0' (zero) if there were no actors or actresses, respectively, in the movie.

3. (10 points) Query Logic. Take the L train to Q Street.

a. [2pt] State in *plain, concise English* what the following SQL query over the *Movie database* does. (See the Movie schema in Figure 2 on page 15.)

Note that you will get *zero* credit if you use database terms in your answer! (E.g., "Well, the query first *joins* two tables, taking the *projection* of..." does not count!)

```
select P.p#, P.name as actor, D.p# as d#, D.name as director
from Person P, Person D
where not exists (
            select *
            from Movie M
            where M.director = D.p#
              and not exists (
                    select *
                    from Cast C
                    where C.actor = P.p#
                        and C.title = M.title
                        and C.studio = M.studio
                        and C.year = M.year
                )
        )
   and exists (
            select *
            from Movie M
            where M.director = D.p#
        );
```

b. [2pt] Is the *having* clause *logically redundant* in SQL? That is, could one always write the "same" query not using the *having* clause?
Explain briefly why or why not.

c. [2pt] Given $\mathbf{R}(\underline{A},\underline{B})$ and $\mathbf{S}(\underline{B},\underline{C})$, rewrite

$$(\pi_{\mathsf{A}}(\mathsf{R}) \times \pi_{\mathsf{C}}(\mathsf{S})) - \pi_{\mathsf{A},\mathsf{C}}(\mathsf{R} \bowtie \mathsf{S})$$

as an equivalent SQL query.

d. [2pt] Consider relations R(A, B), S(B, C), and T(C, D).
Can ((R ⋈ S) ⋈ T) and ((R ⋈ T) ⋈ S) evaluate to different answer sets, or must they evaluate to the same answer set?
Show how they could evaluate differently, or argue why they must evaluate to the same.

e. [2pt] Consider the relations $\mathbf{R}(\underline{A}, B)$ and $\mathbf{S}(\underline{C}, D)$, and query select distinct A, B from R where exists (select * from S where A = C);

Write this as a relational-algebra expression.

- 4. [10pt] Normalization. It's the end of the world as we know it...
 - a. [3pt] Consider the relation T with attributes A, B, C, D, and E, and with the following functional dependencies (FDs):

$AB \mapsto C$	$C \mapsto A$
$AD\mapstoE$	$C\mapstoD$

Dr. Datta Bas claims that the decomposition step of ${\sf T}$ into ABC & CDE is a *lossless-join* decomposition step.

Explain convincingly *either* that he is correct *or* that he is wrong.

$\mathsf{A}\mapsto\mathsf{BC}$

Consider the decomposition of \mathbf{R} into AB and BC. Construct a counterexample (example tuples) that demonstrate that this decomposition is *not* lossless (that is, it is *lossy*).

b. [2pt] Consider the relation **R** with attributes A, B, and C, and with just the one following functional dependency (FD):

For Questions 4c to 4e, consider the relation R with attributes A, B, C, and D, and with the following functional dependencies (FDs):

c. [1pt] What are the keys of \mathbf{R} ?

d. [3pt] Decompose ${\sf R}$ losslessly into a BCNF decomposition.

e. [1pt] Is your decomposition in your answer to Question 4d dependency preserving? Why or why not?

5. [10pt] General. ... and I feel fine.

[MULTIPLE CHOICE]

Choose *one* best answer for each of the following. Each is worth one point. There is no negative penalty for a wrong answer.

In the *rare* case that you feel a clarification to your answer is needed, write a brief clarification on the side.

Let $|\mathbf{T}|$ denote the number of tuples in \mathbf{T} .

a. [1pt] Consider the schema

 $\mathbf{R}(\underline{A}, B) \ \mathsf{FK} \ (B) \ \mathsf{refs} \ \mathbf{S}$ $\mathbf{S}(A, \underline{B}) \ \mathsf{FK} \ (A) \ \mathsf{refs} \ \mathbf{R}$

Note that none of the attributes are nullable. Which of the following is guaranteed to produce as many as, or more, tuples than each of the others?

A. $\mathbf{R} \bowtie \mathbf{S}$ B. $\pi_{\mathbf{A}}(\mathbf{R}) \bowtie \mathbf{S}$ C. $\pi_{\mathbf{A}}(\mathbf{R}) \bowtie \pi_{\mathbf{B}}(\mathbf{S})$ D. $\mathbf{R} \bowtie \pi_{\mathbf{B}}(\mathbf{S})$ E. There is not enough information to answer this.

- b. [1pt] Assume $|\mathbf{R}| > 0$ and $|\mathbf{S}| > 0$. If one natural joins tables **R** and **S**, but **R** and **S** have no column names in common, then
 - A. it is an *error*.
 - **B.** the answer set is an empty table.
 - C. it is an outer join.
 - **D.** it is the same as $\mathbf{R} \cap \mathbf{S}$.
 - **E.** it is the same as $\mathbf{R} \times \mathbf{S}$.

For Questions 5c & 5d, consider the schema

 $\mathbf{R}(\underline{A}, B)$ FK (B) refs **R** (A)

c. [1pt] What is the <i>smallest</i> that $ \mathbf{R} \bowtie \pi_{A \to B, B \to A}(\mathbf{R}) $ can be	?
A. 0	
B. R	
C. $\frac{1}{2} \mathbf{R} $	
\mathbf{D} . $\overline{2} \mathbf{R} $	
E. $ \mathbf{R} ^2$	

d. [1pt] What is the *largest* that $|\mathbf{R} \bowtie \pi_{\mathbf{A} \to \mathbf{B}, \mathbf{B} \to \mathbf{A}}(\mathbf{R})|$ can be?

- **A.** 0
- **B.** $|\mathbf{R}|$ **C.** $\frac{1}{2}|\mathbf{R}|$
- **D.** $2|\mathbf{R}|$
- **E.** $|\mathbf{R}|^2$

- e. $[1\mathrm{pt}]$ The technique of synthesis for normalization always
 - A. works only if there will be no multi-attribute keys.
 - **B.** achieves a 3NF schema, but it may not be dependency-preserving.
 - C. achieves a dependency-preserving, 3NF schema.
 - **D.** achieves a BCNF schema, but it may not be dependency-preserving.
 - E. achieves a dependency-preserving, BCNF schema.

f. [1pt] Which of the following SQL queries is illegal?

```
A. select * from T;
B. select count(*) from T;
C. select count(*) from T group by A;
D. select count(*), max (B) from T group by A;
E. select max(count(*)) from T group by A;
```

g. [1pt] Which of the following SQL queries is illegal?
A. select A from T;
B. select A, count(*) from T;
C. select A, count(*) from T group by A;
D. select A, count(*) from T group by A, B;
E. select A, B, count(*) from T group by A, B;

- h. [1pt] Consider the schema $\mathbf{R}(\underline{A}, B)$, $\mathbf{S}(\underline{A}, \underline{D})$, and $\mathbf{T}(\underline{D}, B)$. One of the following relationalalgebra expressions is not like the others. That is, one of them may evaluate differently from the other four. Which one?
 - A. $\pi_{B}(\mathbf{R} \bowtie \mathbf{T} \bowtie \mathbf{S})$ B. $\pi_{B}((\mathbf{R} \bowtie \mathbf{T}) \cap (\mathbf{S} \times \pi_{B}(\mathbf{T})))$ C. $\pi_{B}(\mathbf{R} \bowtie \mathbf{S}) \cap \pi_{B}(\mathbf{S} \bowtie \mathbf{T})$ D. $\pi_{B}(\mathbf{R} \bowtie \mathbf{S} \bowtie \mathbf{S} \bowtie \mathbf{T})$ E. $\pi_{B}(\mathbf{R} \bowtie \mathbf{S} \bowtie \mathbf{T})$

i. [1pt] Consider table $\mathbf{R}(\underline{A}, B)$ for which B is of type *integer* and $|\mathbf{R}| = n > 0$. How many tuples will the query

```
select A from R where B <= 5 or B > 5;
```

return? A. 0 B. $\frac{1}{2}n$ C. n D. n^2 E. There is not enough information to answer this.

j. [1pt] Consider the relation **Enrol** with attributes sid, cid, term, and grade which stores academic records of students. Attribute sid is a student identifier and cid is a class—a given section of a course in a given term—identifier.

Here is a query involving **Enrol**:

```
select distinct cid

from ( select * from Enrol E1

where not exists

(select *

from Enrol E2

where E2.cid = E1.cid

and E2.grade > E1.grade)

) as V

where grade = 7;
```

Which of the following queries must return the same result as the query above?

```
I. select distinct E.cid
from Enrol E
where E1.grade = 7
except
select distinct E.cid
from Enrol E
where E1.grade > 7
```

II. select distinct cid from Enrol group by cid having max(grade) = 7;

A. I only.

- B. II only.
- C. Both I and II.
- **D.** Neither **I** nor **II**.
- E. There is not enough information available to determine this.

EXTRA SPACE

EXTRA SPACE

Reference

(Detach this page for convenience, if you want.)

Schema for the Colours Database.

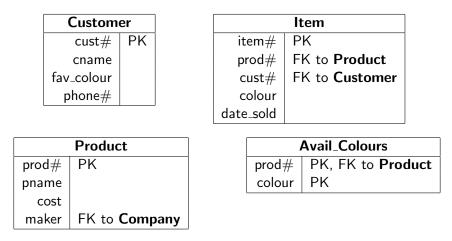


Figure 1: Colours Schema.

Schema for the Movie Database.

Person(p#, name, birthdate, nationality, gender) **Actor**(p#, aguild#) FK (p#) refs Person **Director**(p#, dguild#) FK (p#) refs Person **Writer**(p#, *wguild*#) FK (p#) refs Person Studio(name) ScreenPlay(title, year) Authored(title, year, writer) FK (title, year) refs ScreenPlay FK (writer) refs Writer (p#) **Movie**(title, studio, year, genre, director, length) FK (studio) refs **Studio** (name) FK (title, year) refs ScreenPlay FK (director) refs **Director** (p#) **Cast**(<u>title</u>, <u>studio</u>, year, <u>role</u>, <u>actor</u>, *minutes*) FK (title, studio, year) refs Movie FK (actor) refs **Actor** (p#) Affiliated(director, studio) FK (director) refs **Director** (p#) FK (studio) refs **Studio** (name)

Figure 2: Movie Schema.

Reference

The Normal Form Definitions.

1NF:	Domain of each attribute is an <i>elementary</i> type; that is, not a <i>set</i> or a <i>record structure</i> .
2NF:	Whenever $\mathcal{X} \mapsto A$ is a functional dependency that holds in relation R and $A \notin \mathcal{X}$, then either
	• A is <i>prime</i> , or
	• \mathcal{X} is not a proper subset of any key for R .
3NF:	Whenever $\mathcal{X} \mapsto A$ is a functional dependency that holds in relation R and $A \notin \mathcal{X}$, then either
	• A is <i>prime</i> , or
	• \mathcal{X} is a key or a super-key for R .
BCNF:	Whenever $\mathcal{X} \mapsto A$ is a functional dependency that holds in relation R and $A \notin \mathcal{X}$, then
	• \mathcal{X} is a key or a super-key for R .
An attrib	ute A is called <i>prime</i> if A is in any of the candidate keys.
	Figure 3: The Normal Forms.